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## A hybrid multi-objective imperialist competitive algorithm and Monte Carlo method for robust safety design of a rail vehicle

## Mohamed Nejlaoui<sup>a,\*</sup>, Ajmi Houidi<sup>b</sup>, Zouhaier Affi<sup>a</sup>, Lotfi Romdhane<sup>c</sup>

<sup>a</sup> National School of Engineers, University of Monastir, Tunisia

<sup>b</sup> Higher Institute of Applied Sciences and Technology, Sousse, Tunisia

<sup>c</sup> College of Engineering, The American University of Sharjah, Sharjah, United Arab Emirates

#### A R T I C L E I N F O

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#### ABSTRACT

This paper deals with the robust safety design optimization of a rail vehicle system moving in short radius curved tracks. A combined multi-objective imperialist competitive algorithm and Monte Carlo method is developed and used for the robust multi-objective optimization of the rail vehicle system. This robust optimization of rail vehicle safety considers simultaneously the derailment angle and its standard deviation where the design parameters uncertainties are considered. The obtained results showed that the robust design reduces significantly the sensitivity of the rail vehicle safety to the design parameters uncertainties compared to the determinist one and to the literature results.

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#### 1. Introduction

It is a common practice in a rail vehicle (RV) safety design to consider the nominal values only as input variables for design optimization. Nejlaoui et al. [1] took care of the RV security in quasi-static cases by using the Genetic Algorithm (GA) method. He and McPhee [2] treated a mono-objective optimization design of the RV derailment by using Genetic Algorithms. The objective function is a weighted combination of the angle of attack and of the ratio of the lateral force to the vertical force applied by each wheel on the rail. To evaluate the RV safety system, Eom and Lee [3] developed a sensitivity analysis of the parameters related to the derailment coefficients of track conditions. Banerjee et al. [4] used a model with 18 degrees of freedom to analyze the RV safety through determining the critical speed.

However, the RV design parameters (DPs) have usually an uncertainty around their nominal values due to the presence of variations in manufacturing, geometry, and material properties. To estimate the effect of DP uncertainty on the performance of a mechanical system, several methods have been described. In particular, the Monte Carlo Simulation (MCS) is a popular tool because of its relative precision and simplicity [5]. Araujo et al. [6] use the MCS method to estimate the uncertainty of surface emissivity, obtained by dual spectral infrared radiometry at ambient temperature. Motevalli et al. [7] applied a MCS approach to study the water inflow uncertainty impact on the performance of both single and multi-reservoir systems.

\* Corresponding author. Fax: +216 73 500 514.

E-mail address: nejlaouimohamed@gmail.com (M. Nejlaoui).

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Nomencla	ature
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i	Index of wheelset	Yki	Transversal displacement of the wheelset $i$ of
j	Index of wheel.		bogie k
k	Index of bogie	$y_k$	Transversal displacement of the bogie $k$
g	The gravity constant	$\bar{y}$	Transversal displacement of the car body
$G_{ki}$	Wheelset center of mass	$\alpha_{ki}$	Yaw angle of the wheelset $i$ of the bogie $k$
$G_k$ $\overline{G}$	Bogie center of mass	$\alpha_k$	Yaw angle of the bogie $k$
Ē	Car body center of mass	$\bar{lpha}$	Yaw angle of the car body
т	Half wheelset mass	$\theta_k$	Roll angle of the bogie k
ŵ	Bearing box body mass	$\bar{\theta}$	Roll angle of the car body
М	Bogie mass	$\theta_{ki}$	Roll angle of the wheelsets ki
$\overline{M}$	Car body mass	V	The speed of the vehicle
Ν	Normal load by a wheel	Ku	Spring stiffness of the primary suspension in
Н	Vertical distance between the primary and the		the direction $u$ ( $u = x, y, z$ )
	secondary suspension	$\bar{K}_u$	Spring stiffness of the secondary suspension in
$h_0$	Vertical distance between the primary suspen-		the direction u
	sion and $G_k$	d	Transversal distance between the primary sus-
δ	The rail inclination	_	pension and $G_k$
$\gamma_0$	Inclination of the tangent plan of contact	ā	Transversal distance between the secondary
	wheel-rail with the horizontal		suspension and the car body center of mass
e <sub>0</sub>	Half spacing of the track	R	Curvature radius of the wheel profile
γe	Equivalent conicity	R'	Curvature radius of the rail profile
R <sub>c</sub>	Radius of curve	S	the normal force on the flange

Other works have studied the robust product design where uncertainties of the DP are considered. Cheng and Li [8] have developed a hybrid differential evolution and sequential quadratic programming method that ensures robust mechanical structures under uncertain DP. Kalantari et al. [9] have developed a hybrid robust evolutionary algorithm by combining the NSGAII process with a local search method. This strategy is used to optimize composite structures under an uncertain fiber angle and a lamina thickness. Bouazizi et al. [10] studied the robust optimization of a vibration absorber using the GA. The robustness, defined by the ratio of the mean value to the standard deviation, is treated as an objective function.

This paper deals with the multi-objective robust design optimization of a rail vehicle moving in short-radius curved tracks based on the safety criteria. A combined algorithm based on the Multi-objective Imperialist Competitive Algorithm (MOICA) and the MCS is proposed. The obtained results are compared to literature ones. In section 2, the dynamic model of the RV is reviewed and the safety criterion is defined. Section 3 deals with the determinist multi-objective design optimization of RV safety. Then, the authors show that the determinist optimal solutions can be seriously altered by DP uncertainties. In Section 4, a novel algorithm is developed and used in multi-objective robust optimization. The results are discussed and compared with literature results. Finally, some concluding remarks are presented in section 5.

#### 2. Model of the RV system

The RV system is made of a rigid car body *C*, bogies  $C_k$  and wheelsets  $S_{ki}$ . The connection between these components is represented by the secondary and the primary suspensions. Each suspension is formed by a system of linear springs and dampers, which work in three directions (Fig. 1) [1,11].

The longitudinal symmetry of the RV system leads to the decoupling of lateral, vertical and longitudinal motions [1,11]. In this paper, we focus on the lateral dynamic behavior of the RV system. To simplify the analysis without reducing the accuracy of the model, we will consider only a quarter model of the RV (Fig. 1) [1,11]. Hence, the RV system has only eight degrees of freedom represented by the generalized coordinate vector **q**:

$$\boldsymbol{q} = [\bar{y}, \bar{\alpha}, y_1, \alpha_1, y_{11}, \alpha_{11}, y_{12}, \alpha_{12}]^{\mathrm{T}}$$
(1)

In this study, the rail is assumed to be smooth and rigid. Moreover, due to the fact that the rail curve radius and the RV speed are constant, damping forces were found not to be important, compared to the elastic ones [1,11]. We may find the dynamic model of the RV system by applying the Lagrange method:

 $\frac{\mathrm{d}}{\mathrm{d}t} \left( \frac{\partial L}{\partial \dot{q}_i} \right) - \frac{\partial L}{\partial q_i} = Q_i$ 

L is the Lagrangian function and  $Q_i$  represents the generalized forces applied to the system.

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