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Development of a method for comprehensive water quality forecasting and its application in Miyun reservoir of Beijing, China

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ABSTRACT

Water quality forecasting is an essential part of water resource management. Spatiotemporal variations of water quality and their inherent constraints make it very complex. This study explored a data-based method for short-term water quality forecasting. Prediction of water quality indicators including dissolved oxygen, chemical oxygen demand by KMnO₄ and ammonia nitrogen using support vector machine was taken as inputs of the particle swarm algorithm based optimal wavelet neural network to forecast the whole status index of water quality. Gubeikou monitoring section of Miyun reservoir in Beijing, China was taken as the study case to examine effectiveness of this approach. The experiment results also revealed that the proposed model has advantages of stability and time reduction in comparison with other data-driven models including traditional BP neural network model, wavelet neural network model and Gradient Boosting Decision Tree model. It can be used as an effective approach to perform short-term comprehensive water quality prediction.

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39 Introduction

In recent years, natural water bodies suffered varying degrees of 41 pollution. Hence the surface water quality has always been a 42 43research hotspot in environmental science. Accurate and 44 effective prediction of water quality is critical to better under-45 stand aqueous ecosystems. A variety of methods have been 46 applied in this field (Li, 2006; Zou et al., 2008; Zhu et al., 2007; 47 Bahaa et al., 2012; Kim and Seo, 2015; Deng et al., 2014, 2015). Most researches focused on the prediction of a certain single 48 water quality indicator, few on the whole status. Because of the 49wide range of physical, chemical, biological factors influencing 50water quality, the traditional prediction method based on linear 51relationships is not sufficient for this problem. Several nonlinear 52mapping methods were used including the weighted Markov 53chain (Qiu et al., 2007), logistic regression (Zou et al., 2008), 54

genetic algorithm based optimal BP neural network (Ding et al., Q4 2014). Zhou (2012) studied water quality attribute data and 56 graphic data and developed water quality prediction system 57 using data management and topology relationship analysis 58 function of the Java platform. Yan and Yang (2015) used the 59 fuzzy comprehensive evaluation and analytic hierarchy process 60 for water quality assessment and proposed the regression 61 model of the inflow and water quality fuzzy comprehensive 62 evaluation index. Forecasting of water quality status remains 63 challenging. Further explorations are needed in order to find 64 suitable methods and increase prediction accuracy. 65

Wavelet neural network (WNN) combined time-frequency 66 localization character of wavelet transfer and self-study capacity 67 of neural network. With strong approximation ability and fault 68 tolerance, it has been a research hotspot for the last decades and 69 widely applied in forecast filed such as mid-long-term power 70

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load forecasting (He et al., 2012), air temperature prediction 71 (Wang and Gou, 2015) and seawater quality parameter predic-7273 tion (Mohamad and Mohamad, 2015). Particle swarm optimization (PSO) is a computational method that optimizes a problem 74 by iteratively trying to improve a candidate solution with regard 75to a given measure of quality. Zhang et al. (2014) proposed a 76 77 conjunction method of wavelet transform-PSO-support vector machine for stream flow forecasting. Application of PSO based 78 79 optimal WNN model in power transformer fault diagnosis 80 (Cheng et al., 2014) and parameter optimization in twist spring back process for high-strength sheets (Xie et al., 2015) proved 81 that the PSO algorithm can accelerate the training speed of WNN 82 and improve the accuracy of training. In the comparison made 83 by Azimirad et al. (2015) among three classifiers (PSO based 05 optimal WNN, Artificial Immune System (AIS) based optimal 85 WNN and Genetic Algorithm based optimal WNN), the PSO 86 based optimal WNN results in the best classification accuracy. 87

In this study, the PSO based optimal WNN model was 88 proposed for comprehensive water quality forecasting. First, 89 water quality indicators including dissolved oxygen (DO), 90 chemical oxygen demand by KMnO₄ (COD_{Mn}) and ammonia 91 nitrogen (NH₃-N) were predicted with support vector machine 92 (SVM). Then the PSO based optimal WNN model was adopted 93 94 to predict the whole status index of water quality. To test the 95 forecasting performance, application of the optimized model 96 was performed to predict water grades of the Gubeikou 97 monitoring section, Miyun reservoir in Beijing, China.

98 1. Methodology

100 **1.1. Support vector machine**

SVM was first put forward by Vapnik in 1995. It is theoretically 101 based on statistical learning theory, namely approximate imple-102mentation of structure risk minimization (Zhang, 2000). It has 103been commonly used in the pattern recognition and nonlinear 104regression. SVM has good generality, robustness, effectiveness 105and simple computation, which gives it great advantage in 106 solving problems of finite sample, nonlinear, over-fitting and 107 pattern recognition with high dimension (Zhang, 2000). 108

109 River water quality system is dynamic non-equilibrium 110 composite system with openness, complexity and nonlinearity (Xu et al., 2003). Time series of a certain single factor are 111 seemingly irregular and random, which reduce the likelihood 112 of long-term forecasting. However, inherent regularity of the 113system makes short-term prediction for the time series 114 feasible. Procedures of regression prediction with SVM are as 115shown in Fig. 1. 116

117 1.2. The PSO algorithm

The PSO algorithm solves optimization problems by simulat-118 ing the birds' predation. In PSO, the population is referred to 119 120 as a swarm and each individual in the swarm is called a particle. A particle represents a potential optimal solution of 121122the optimization problem. It was characterized by its location, velocity and the fitness value. The fitness value is decided 123 by the objective function of the optimization problem. The 124 125optimal or approximately optimal solution can be found from

iteration to iteration. Each particle is iteratively updated by its 126 own best fitness value and the best fitness value of the entire 127 swarm so far. Suppose there are n particles in D-dimension 128 space. The position of a particle can be described as $X = (X_1, 129$ $X_2, ..., X_D$. The velocity for the ith particle can be denoted as 130 $V = [V_{11}, V_{12}, ..., V_{1D}]$. The best position so far for the ith particle 131 is represented as $P_i = [P_{i1}, P_{i2}, ..., P_{iD}]^T$. The best position so far 132 for the entire swarm can be described as $P_g = [P_{g1}, P_{g2}, ..., P_{gD}]^T$. 133 In each iteration, particles change its position and velocity 134 according to the following equations: 135

$$V_{id}^{k+1} = \omega V_{id}^{k} + c_1 r_1 \left(P_{id}^k - X_{id}^k \right) + c_2 r_2 \left(P_{gd}^k - X_{id}^k \right)$$
(1)

$$X_{id}^{k+1} = X_{id}^{k} + V_{id}^{k+1}$$
(2)

where, ω is the inertia weight; d = 1, 2, ..., D; i = 1, 2, ..., n; k is 138 the current generation; c_1 and c_2 are nonnegative constants, 140 controlling the maximum step size; r_1 and r_2 are random 141 numbers in [0,1]. The velocities and positions are normally 142 limited in $[-X_{max}, X_{max}]$ and $[-V_{max}, V_{max}]$ respectively in case 143 of the particles' blind search.

A typical WNN model consists of three layers: input, output 146 and hidden layer. It takes the topology structure of BP neural 147 network as foundation and the wavelet function as the 148 transfer function of the hidden layers. WNN with strong 149 nonlinearity mapping capacity organically combined wavelet 150 analysis and neural network. The wavelet neural network 151 realization process is as followed (Chen et al., 1999): 152

Set the note number in the input layer, hidden layer and 153 output layer *m*, *n*, N respectively. The WNN model can be 154 expressed by the following formulas. 155

$$y_{i}(t) = \sum_{j=0}^{n} w_{ij} \Psi_{(a,b)}\left(\sum_{j=0}^{n} w_{jk} x_{(k)}(t)\right), i = 1, 2, ..., N$$
(3)

$$E = \frac{1}{2} \sum_{i=i}^{N} (y_i(t) - d_{(i)})^2$$
(4)

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where, x_k is the input vector; y_i is the predicted output vector; **158** w_{ij} is the connection weight form the ith node of the output 160 layer to the *j*th node of the hidden layer; w_{jk} is the connection 161 weight from the *j*th node of the hidden layer to the *k*th node of 162 the output layer; $\Psi_{(a,b)}$ is the activation function of the hidden 163 layer; a_j , b_j are the expansion parameter and the translation 164 parameter of the wavelet function separately; d_i is the desired 165 output vector; and *E* is the error function. 166

The wavelet neural network adopts the gradient descent 167 algorithm to correct the connection weight, thus minimize 168 the network error. The parameters are changed using Eq. (5). 169

$$w_{jk}(t+1) = -\eta \frac{\partial E}{\partial w_{jk}} + w_{jk}(t)$$
(5)

where, η is the learning rate. w_{ij}, a_j, b_j can be adjusted in the 170 same way. When the maximum number of iterations is 172 exceeded or the targeted error is less than the predetermined 173 threshold, the WNN training is stopped; otherwise, the WNN 174 training should be continued (Li et al., 2015). 175

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