



# Uncertainty of canal seepage losses estimated using flowing water balance with acoustic Doppler devices



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## SUMMARY

Seepage losses from unlined irrigation canals amount to a large fraction of the total volume of water diverted for agricultural use, posing problems to both water conservation and water quality. Quantifying these losses and identifying areas where they are most prominent are crucial for determining the severity of seepage-related complications and for assessing the potential benefits of seepage reduction technologies and materials. A relatively easy and inexpensive way to estimate losses over an extensive segment of a canal is the flowing water balance, or inflow–outflow, method. Such estimates, however, have long been considered fraught with ambiguity due both to measurement error and to spatial and temporal variability. This paper presents a water balance analysis that evaluates uncertainty in 60 tests on two typical earthen irrigation canals. Monte Carlo simulation is used to account for a number of different sources of uncertainty. Issues of errors in acoustic Doppler flow measurement, in water level readings, and in evaporation estimates are considered. Storage change and canal wetted perimeter area, affected by variability in the canal prism, as well as lagged vs. simultaneous measurements of discharge at the inflow and outflow ends also are addressed. Mean estimated seepage loss rates for the tested canal reaches ranged from about  $-0.005$  (gain) to  $0.110 \text{ m}^3 \text{ s}^{-1}$  per hectare of canal wetted perimeter (or  $-0.043$  to  $0.95 \text{ m d}^{-1}$ ) with estimated probability distributions revealing substantial uncertainty. Across the tests, the average coefficient of variation was about 240% and the average 90th inter-percentile range was  $0.143 \text{ m}^3 \text{ s}^{-1}$  per hectare ( $1.24 \text{ m d}^{-1}$ ). Sensitivity analysis indicates that while the predominant influence on seepage uncertainty is error in measured discharge at the upstream and downstream ends of the canal test reach, the magnitude and uncertainty of storage change due to unsteady flow also is a significant influence. Recommendations are presented for conducting field water balance tests to recognize and reduce uncertainty in canal seepage estimates.

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## 1. Introduction

Millions of kilometers of earthen canals traverse vast landscapes of irrigated regions to deliver the water that supports the world's most productive agriculture. Along the course of these canals, substantial portions of water often seep through the channel perimeter into the surrounding groundwater. Sharma (1975) estimated that irrigation canals and laterals in New Delhi lose 45% of the total diverted flow rate before water reaches agricultural fields. Similarly, Yussuff et al. (1994) and Tanji and Kielen (2002) estimated that seepage losses in semi-arid regions can account for 20–50% of the total flow volume in unlined earthen canals. USGS (1990) suggests that 17% of the water that was

conveyed for irrigation in 1985 in the United States was lost to evaporation or seepage to groundwater, and Fipps (2005) estimated that conveyance efficiency from the point of diversion to the field in canals in the Lower Rio Grande Valley in Texas was 69.7%. A recent study by Kinzli et al. (2010), in which acoustic Doppler equipment was implemented to measure canal flow rates, found that earthen canals in the Middle Rio Grande Valley of New Mexico can lose more than 40% of the diverted water volume to seepage. Despite the variety of estimates, it is clear that significant volumes of water diverted for irrigation purposes never reach agricultural fields due to seepage.

Seepage from irrigation canals poses several problems to agricultural water management: (1) diminished water delivered to agricultural fields to meet evapotranspiration and salt leaching demands; (2) contribution to higher groundwater table elevations which often lead to salinity and waterlogging, with resulting crop yield depression, under cropped fields and non-beneficial water consumption under naturally-vegetated fields; (3) reduction in

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## Nomenclature

ADCP	acoustic Doppler current profiler	$Q'_{US,4}$	flow rate at the upstream boundary of the canal test reach at time $t_4$ estimated using $Q$ vs. $H$ relationship (during “unmeasured” time period $\Delta t_A$ )
ADV	acoustic Doppler velocimeter	RFHC	Rocky Ford Highline Canal
$A_p$	canal wetter perimeter area	StDev	standard deviation
$A_{WS}$	canal free-water water surface area	$t_1$	time at the start of the $Q_{US}$ measurement
CC	Catlin Canal	$t_2$	time at the end of the $Q_{US}$ measurement
$C_i$	hydraulic geometry coefficient for variable $i$ determined from at-a-cross-section regression	$t_3$	time at the start of the $Q_{DS}$ measurement
$\hat{C}_i$	component of hydraulic geometry coefficient for variable $i$ predicted by the “along-the-canal” deterministic trend equation for that location	$t_4$	time at the end of the $Q_{DS}$ measurement
$C'_i$	random “along-the-canal” component associated with predicting hydraulic geometry coefficient for variable $i$	$TH_{el}$	relative canal thalweg elevation
$C_{P1}, C_{P2}, C_{P3}$	fitted “at-a-cross-section” regression coefficients for $P$ using survey data	$T_w$	canal top width at the water surface
$C_{T1}, C_{T2}, C_{T3}$	fitted “at-a-cross-section” regression coefficients for $T_w$ using survey data	$\bar{T}_{w_j}$	average canal top width over subreach $j$ along the canal test reach
CV	coefficient of variation	$x$	position along the thalweg axis of the canal test reach
$EL_{PT}$	relative elevation of a pressure transducer	$(\Delta H_{1-4})_{DS_j}$	canal stage change over $\Delta t$ at the stage measurement location at the downstream end of subreach $j$ along the canal test reach
$h$	canal flow depth	$(\Delta H_{1-4})_{US_j}$	canal stage change over $\Delta t$ at the stage measurement location at the upstream end of subreach $j$ along the canal test reach
$H$	canal stage	$\Delta H_{DS,1-3}$	measured stage change at the downstream boundary of the canal test reach between $t_1$ and $t_3$
$H_{DS}$	canal stage measured at the downstream boundary of the canal test reach	$\Delta H_{DS,2-3}$	measured stage change at the downstream boundary of the canal test reach between $t_2$ and $t_3$
$H_{US}$	canal stage measured at the upstream boundary of the canal test reach	$\Delta H_{US,2-3}$	measured stage change at the upstream boundary of the canal test reach between $t_2$ and $t_3$
IR	interpercentile range	$\Delta H_{US,2-4}$	measured stage change at the upstream boundary of the canal test reach between $t_2$ and $t_4$
LARV	Lower Arkansas River Valley	$(\frac{\Delta Q}{\Delta H})_{DS}$	change in flow rate with flow stage at the downstream boundary of the canal test reach, as developed using flow rate and stage data
$L_j$	length of subreach $j$ along the canal test reach	$(\frac{\Delta Q}{\Delta H})_{US}$	change in flow rate with flow stage at the upstream boundary of the canal test reach, as developed using flow rate and stage data
$P$	wetted canal perimeter area	$\frac{\Delta S}{\Delta t}$	rate of change of stored water volume within the canal test reach
$p_{abs}$	absolute water pressure	$\Delta t$	flowing water-balance test duration
$p_{baro}$	barometric pressure	$\Delta t_A$	“unmeasured” time period for $Q_{US}$ , between $t_2$ and $t_4$
$p_{gage}$	gage water pressure	$\Delta t_B$	“unmeasured” time period for $Q_{DS}$ , between $t_1$ and $t_3$
PDF	probability distribution function	$\epsilon_{H_{abs}}$	random error associated with measuring $p_{abs}$ for use in estimating $H$
$Q_D$	diverted outflow rate from the canal test reach	$\epsilon_{H_{baro}}$	random error associated with measuring $p_{baro}$ for use in estimating $H$
$Q_{DS}$	flow rate through the downstream cross section of the canal test reach	$\epsilon_{H_{SG}}$	random error in manual staff gage readings
$Q'_{DS,1}$	flow rate at the downstream boundary of the canal test reach at time $t_1$ estimated using $Q$ vs. $H$ relationship (during “unmeasured” time period $\Delta t_B$ )	$\epsilon_P$	random error associated with measuring $P$ “at-a-station”
$Q'_{DS,2}$	flow rate at the downstream boundary of the canal test reach at time $t_2$ estimated using $Q$ vs. $H$ relationship (during “unmeasured” time period $\Delta t_B$ )	$\epsilon_{P_{trend}}$	random error in estimating $P$ by projecting a linear trend line
$Q_{DS,3-4}$	measured flow rate at the downstream boundary of the canal test reach during unmeasured time period $\Delta t_B$	$\epsilon_{Q_{DS,1}}$	random error in estimating $Q'_{DS,1}$
$Q_E$	rate of evaporation from the water surface along the canal test reach	$\epsilon_{Q_{DS,2}}$	random error in estimating $Q_{DS,2}$
$Q_p$	rate of precipitation through the water surface along the canal reach	$\epsilon_{Q_{DS,3-4}}$	random error in estimating $Q_{DS,3-4}$
$Q_S$	seepage rate from the canal test reach	$\epsilon_{Q_{US,1-2}}$	random error in estimating $Q_{US,1-2}$
$Q_{US}$	flow rate through the upstream cross section of the canal test reach	$\epsilon_{Q'_{US,3}}$	randomly generated flow rate error for estimation of $Q'_{US,3}$
$Q_{US,1-2}$	measured flow rate at the upstream boundary of the canal test reach between $t_1$ and $t_2$ during unmeasured time period $\Delta t_A$	$\epsilon_{Q_{US,4}}$	randomly generated flow rate error for estimation of $Q'_{US,4}$
$Q'_{US,3}$	flow rate at the upstream boundary of the canal test reach at time $t_3$ estimated using $Q$ vs. $H$ relationship (during “unmeasured” time period $\Delta t_A$ )	$\epsilon_{TH}$	random error associated with estimating $TH_{el}$
		$\epsilon_{T_w}$	random error in measuring $T_w$ “at-a-station”

water quality as groundwater flows, resulting from canal seepage, pick up and transport salts, selenium, uranium, nutrients, and other constituents from the subsurface environment and into rivers and streams; and (4) larger flow rates diverted from streams

to meet field water requirements, leading to less in-stream flow (USGS, 1990; Burkhalter and Gates, 2005; Burt et al., 2010). A major step toward mitigation of these problems in any setting is estimation of the actual seepage losses that are occurring.

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