



# Liquid residence time distribution of multiphase horizontal flow in packed bed milli-channel: Spherical beads versus open cell solid foams

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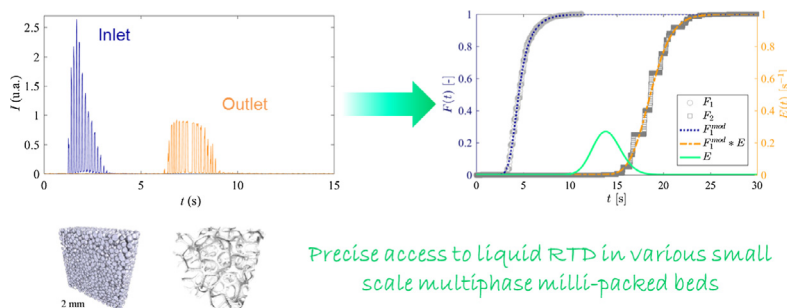
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## HIGHLIGHTS

- Robust access to liquid RTD in small-scale porous packings under multiphase flow conditions is presented.
- Dense micro-packed beds are compared to open cell solid foams.
- A modified liquid hold up correlation is developed and is valid for both packings.
- RTD broadening is explained by a combination of convective dispersion and mass transfer to a fraction of immobile liquid.

## GRAPHICAL ABSTRACT



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## ABSTRACT

A robust approach to access liquid residence time distribution (RTD) adapted to multiphase flow in porous media is presented. It is tailored to meet specific requirements of small scale systems (centimeter, millimeter or less) with Taylor segmented flow feed. The method involves direct visualization using fluorescence microscopy close to both extremities of a porous packing. Critical image treatment steps and optimization of a versatile discrete model with 4 parameters are detailed and discussed. They allow the precise and rapid determination of RTD curves and their 1st- and 2nd-order moments. The application of the method is successfully illustrated with dense micro-packed beds of sub-millimeter particles and highly porous media like open cell solid foams undergoing a preformed G-L segmented (Taylor) flow. Original results regarding the effect of fluid flowrates and different confined porous media are discussed and lead to a single two-parameter liquid hold up correlation, which is valid for both packings. As usual, RTD broadening is treated as a combination of convective dispersion and mass transfer to a fraction of immobile liquid. The predominant role of mass transfer is underlined with an analysis of characteristic times.

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## 1. Introduction

Micro- or milli-packed beds (MPBs) of small catalyst particles (10–200  $\mu\text{m}$ ) became established and efficient lab-tools in the case

of heterogeneously catalyzed gas–liquid (G–L) reactions (Losey et al., 2001; van Herk et al., 2005; Al-Rifai et al., 2016; Moulijn et al., 2016; Faridkhou et al., 2016). Their attractive mass and heat transfer performances and their low material inventory are the driving reasons for this development. Overall, they help speeding up the access to intrinsic chemical activity (van Herk et al., 2009) and optimizing operating conditions in potentially unconventional and risky domains where macroscale reactors are difficult to operate (Inoue et al., 2007). Additionally, these tools can be of great

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### Nomenclature

$CV_{\hat{\epsilon}_{exp}}$	variation coefficient of the 1st-order moment of the RTD [%]	$\alpha', \beta'$	parameters of the adapted drift flux model [-]
$CV_{\sigma_{exp}^2}$	variation coefficient of the 2nd-order moment of the RTD [%]	$\gamma$	surface tension [N/m]
$d$	spherical particle diameter [m]	$\delta$	distance from channel wall [m]
$d_{pore}$	mean cell (OCSFs) or pore (MPB) diameter [m]	$\delta_F$	residuals between the model and experimental outlet $F_2$ curves [-]
$E(t)$	residence time distribution function [ $s^{-1}$ ]	$\epsilon$	volume averaged foam or bed porosity [-]
$\bar{E}(s)$	Laplace transform of the RTD [-]	$\epsilon\delta$	mean porosity at a distance $\delta$ from the channel walls [-]
$E_R(\theta)$	RTD in reduced time coordinate [-]	$\epsilon_{bulk}$	mean porosity far from the walls [-]
$\bar{E}_R(s)$	Laplace transform of the RTD in reduced time coordinate [-]	$\epsilon^*$	reduced porosity, $\epsilon\delta/\epsilon_{bulk}$ [-]
$F_{i, i}(t)$	cumulative raw tracer intensity [a.u.]	$\epsilon_L$	liquid hold up of the reactor [-]
$F_i(t)$	cumulative tracer intensity after baseline correction [a.u.]	$\epsilon_L^{mod}$	liquid hold up estimated from the drift flux model [-]
$F_i^{mod}(t)$	modelled cumulative tracer intensity [a.u.]	$\theta$	reduced time coordinate, $t/\bar{t}$ [-]
$F_i^{mod}(s)$	modelled cumulative tracer intensity in Laplace domain [-]	$\theta_m$	fraction of mobile liquid phase [-]
$h$	channel height [m]	$\theta_{im}$	fraction of immobile or stagnant liquid phase [-]
$I_i(t)$	raw tracer intensity [a.u.]	$\mu$	viscosity [-]
$J$	number of mixing cells in series [-]	$\rho$	density [ $kg/m^3$ ]
$K_{im}$	ratio of immobile to mobile liquid fractions [-]	$\sigma^2$	variance of the RTD [ $s^2$ ]
$of$	objective function [-]	$\sigma_i^2$	variance of the curve $i$ [ $s^2$ ]
$Q_i$	volumetric flowrate of fluid $i$ [ $m^3/s$ ]	$\sigma'^2$	reduced variance of the RTD [ $s^2$ ]
$r$	radius of the gas injection channel [m]		
$s$	Laplace variable [ $s^{-1}$ ]	<b>Subscripts:</b>	
$S_L$	liquid saturation in the porous media [-]	0	initial values
$\tilde{t}$	first-order moment of the RTD [s]	1	inlet
$\tilde{t}_i$	first-order moment of curve $i$ [s]	2	outlet
$t_m$	residence time of the mobile liquid phase [s]	DF	drift flux
$t_M$	mass transfer time between mobile and stagnant zones [s]	exp	experimental
$t_D$	characteristic time of hydrodynamic dispersion in the mobile zone [s]	G	gas
$t_T$	characteristic time of mass transfer between static and dynamic zones [s]	L	liquid
$u_i$	superficial velocity of the fluid $i$ [m/s]	min	minimum
$u_{DF}$	drift flux velocity [m/s]	max	maximum
$V$	volume of liquid [ $m^3$ ]	mod	model
$\vec{v}_i$	Eigenvectors of the variance-covariance matrix ( $i = 1-4$ ) [-]	R	reactor, reduced.
$V_R$	volume of the reactor [ $m^3$ ]	S	solid
		<b>Abbreviations:</b>	
<b>Greek symbols:</b>		CSTR <sub>4</sub>	series of continuously stirred tank reactor model with 4 parameters
$\alpha, \beta$	parameters of the drift flux model by <a href="#">Molga and Westerterp (1997)</a> [-]	FFT	fast Fourier transform
		LHS	Latin hypercube sampling
		MPB	micro packed bed
		OCSF	open cell solid foam
		PPI	pores per inch
		RTD	residence time distribution

interest to mimic and understand the complex two-phase flow patterns occurring at intergranular pore scale in larger scale reactors.

For production purpose, this concept faces scalability and operability issues inherent to multiple channel geometries. Important pressure drop, clogging, uniform two-phase distribution, reproducible loading, catalytic bed replacement and heat exchange integration are among them. Nonetheless, several examples are reported in the literature with reliable small production throughput ([Plucinski et al. 2005](#); [Lerou et al., 2010](#); [Deshmukh et al. 2010](#); [Inoue et al. 2015](#)).

Recently, milli-channels containing alternative porous structures like pillar arrays ([de Loos et al., 2010](#); [Yang et al., 2015](#)), open-cell solid foams ([Saber et al. 2012](#); [Liu et al. 2013](#); [Tourvieille et al. 2015, 2015a](#)) or ordered porous media ([Häfele et al., 2013](#); [Elias and von Rohr, 2016](#); [Potdar et al. 2017](#)) have been reported for multiphase applications. All these internals still

exhibit very good mass transfer and reaction performances but with drastically reduced pressure drop which can be attractive for future lab-tools or millireactor concepts.

At millimeter scale, in a wide range of feeding conditions and in empty channels, gas-liquid flows are often self-organized as segmented flows (also well-known as Taylor flows) ([Kreutzer et al., 2005a, 2005b](#)). A global understanding of the progressive disorganization of this flow entering porous beds (spheres, foams, etc.) is of fundamental importance because it governs the phase ratio, local mixing, the gas-liquid contact surface area and eventually the mass transfer performance. Residence Time Distribution (RTD) measurements provide precious and meaningful information (mean residence time and phase hold up of each fluid phase, dispersive behavior, presence of dead-zones or by-pass, etc.) about these issues. It helps handling and modeling the spreading of the reactants and products along the reactor which can lead to selectivity and conversion issues.

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