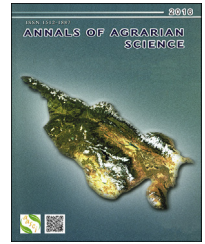


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On hydraulics of capillary tubes

N.G. Aloyan*

National Agrarian University of Armenia, 74 Teryan str., Yerevan, 0009, Armenia

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ABSTRACT

The article considers the laws of motion of water in the capillary tubes, taken as a model for flowing well, on the analogical net count device. For capillary tube the lower limit value of flow rate is empirically determined above which the total hydraulic resistance of the capillary is practically constant. The specificity of the phenomenon is that the regime of motion, by a Reynolds number, for a given flow rate still remains laminar. This circumstance can perplex the specialists, so the author invites them to the scientific debate on the subject of study. Obviously, to identify the resulting puzzle it is necessary to conduct a series of experiments using capillaries of different lengths and diameters and with different values of overpressure. The article states that in tubes with very small diameter the preliminary magnitude of capillary rise of water in the presence of flow plays no role and can be neglected.

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Introduction

We present the research results on steady movement under different pressures in a small diameter glass tubes (capillaries) which show that in capillaries after a certain values of the flow rate the hydraulic resistance value, with some accuracy, can be accepted as constant. The specificity of the phenomenon is that in case of the noted value the regime of motion by Reynolds still remains laminar. This fact can perplex professionals, so the author invites them to scientific debate on this subject.

Objectives and methods

On the analogical net count device we used glass capillary tubes as a model of artesian flowing well which allow us to create non-linear hydraulic resistances.

To ensure the problem solution accuracy on the model, as well as to avoid unnecessary complications in the simulation process, it is necessary, that the resistance value remains practically unchanged throughout the period of the solution and independent from the change of flow rates through the capillaries. In other words, in the capillaries there should be provided the hydraulic resistance zone which is mostly present in the flowing wells under natural conditions [1,8].

The proposed requirement means that each certain capillary needs special laboratory studies to determine the minimum value of the flow rate after which, in case of the least amount, a significant resistance change will take place in the capillary [7,9].

In the mathematical modeling the definition of the flow rate minimum value is also important in the sense of that it, in some way, conditions the final selection of the values of pressure and large-scale linear receptivity coefficients of hydraulic modeling [1,8].

Usually, to seek resolution of the simulation, the values of these coefficients are selected according to the discretion of

* Tel.: +374 55615014.

E-mail address: naraloyan@rambler.ru.

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the users, according to the technical characteristics of the count device. But under conditions of flowing well the simulation values of these coefficients should be chosen so that the non-linear resistance remains constant along with the steadiness the linear hydraulic resistance values throughout the solution.

The laboratory studies of the capillary used in the future model of the well were carried out on a separate test device the schematic image of which is given in Fig. 1 [4,7].

Results and analysis

Let us consider the water outflow through the capillary under the overpressure. In this case, we have a steady-in-time movement, so we can use Bernoulli's assurance [2,3,5,6].

Let us write it for sections A and B for the comparability plane B. So, we will have:

$$Z_A + \frac{P_A}{\gamma} + \frac{\alpha V_A^2}{2g} = Z_B + \frac{P_B}{\gamma} + \frac{\alpha V_B^2}{2g} + \sum h_L, \tag{1}$$

where Z_A - and Z_B are the geometric heights of centers of relevant sections centers from the comparable plane, P_A - and P_B - are absolute pressures in these sections, V_A -the speed in the flexible pipe, V_B - speed in the capillary, $\sum h_L$ – sum of the pressure losses along the flow way, it is:

$$\sum h_L = h_{L1} + h_{L2}, \tag{2}$$

where h_{L1} -pressure losses in the flexible pipe, h_{L1} -the same in the capillary tube.

From Fig. 1 it easy to notice that $Z_A = H$, $Z_B = 0$ and $P_A = P_{atm}$.

At the initial state, when there is no water flow in the capillary, taking into consideration the capillary water increasing amount under the influence of surface tension forces, for P_B we can write:

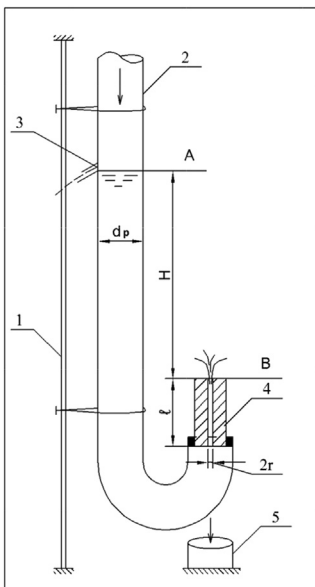


Fig. 1 – Test scheme.

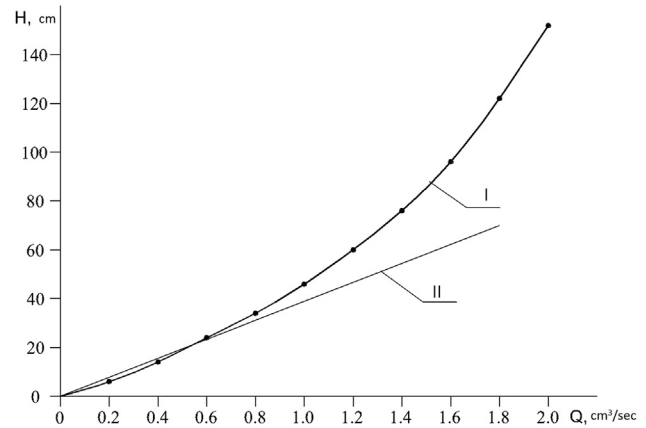


Fig. 2 – Graph of the $H = f(Q)$ function.

$$P_B = P_{atm} - \gamma h_c, \tag{3}$$

where h_c is the value of water increasing in the capillary tube and which is suggested to determine by the following relation [3,6]:

$$h_c = \frac{15}{r}, \tag{4}$$

where r is the radius of the capillary.

However, when there is a water stream in the capillary, then at the part of its contact with the air the curved surface and generating surface tension forces are disappearing and therefore we can accept, that $P_B = P_{atm}$.

On the test device the flexible tube diameter (d_t) is ten times bigger than the capillary diameter, hence the speed of the water flow here is relatively slow than in the capillary ($V_A \ll V_B$), further we designate $V_B = V$. This fact allows with great accuracy to accept $h_{c1} = 0$.

Based on the scheme in Fig. 1 for h_{c2} we can write [2,5].

$$h_{c2} = \left(\xi_{ent} + \lambda \frac{\ell}{2r} \right) \frac{V^2}{2g}, \tag{5}$$

where ℓ is the length of capillary, ξ - the hydraulic resistance coefficient of entrance. Taking into consideration that the flexible tube diameter is $d_t \gg 2r$, then with enough accuracy we can admit that $\xi_{ent} = 0,5$, λ – the coefficient of hydraulic friction resistance.

$$H = \left(1,5 + \lambda \frac{\ell}{2r} \right) \frac{V^2}{2g} \tag{6}$$

Taking into consideration the given above assumptions, terms and conditions, from the equation (1) we get:

$$H = \left(1,5 + \lambda \frac{\ell}{2r} \right) \frac{V^2}{2g} \tag{7}$$

Replacing the flow speed by its flow rate, equation (6) will look like:

$$H = \eta Q^2 \tag{8}$$

where Q is effluent flow rate through the capillary tube, η -the

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