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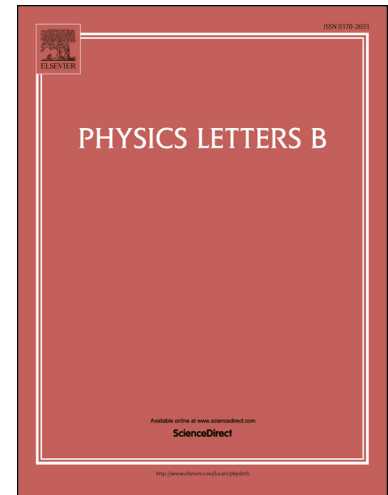
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# Stochastic Bias from Loops of Massive Particles During Inflation

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Primordial non-Gaussianities enhanced at small wavevectors can induce a power spectrum of the galaxy overdensity that differs greatly from that of the matter overdensity at large length scales. In previous work, it was shown that “squeezed” three-point and “collapsed” four-point functions of the curvature perturbation  $\zeta$  can generate these non-Gaussianities and give rise to so-called scale-dependent and stochastic bias in the galaxy overdensity power spectrum. We explore a third way to generate non-Gaussianities enhanced at small wavevectors: the infrared behavior of quantum loop contributions to the four-point correlations of  $\zeta$ . We show that these loop effects can give the largest contributions to the four-point function of  $\zeta$  in the collapsed limit and be observable in the context of quasi-single field inflation.

## I. INTRODUCTION

The inflationary paradigm [1] proposes an era in the very early universe during which the energy density is dominated by vacuum energy and the universe undergoes exponential expansion. Such a period elegantly explains why the universe is close to flat and the near isotropy of the cosmic microwave background (CMB). It also provides a simple quantum mechanical mechanism for generating energy density perturbations which have an almost scale-invariant Harrison-Zel’dovich power spectrum.

The simplest inflation models consist of a single scalar field  $\phi$ , called the inflaton, whose time-dependent vacuum expectation value drives the expansion of the universe. The quantum fluctuations in the Goldstone mode  $\pi$  associated with the breaking of time translation invariance by the inflaton [2] source the energy density fluctuations. In the simplest of these single field models, the density perturbations are very nearly Gaussian [3]. One way to generate measurable non-Gaussianities is to introduce a second field  $s$  that interacts with the inflaton field during the inflationary era. A simple realization of such a model is quasi-single field inflation (QSFI) [4].

These non-Gaussianities affect the correlation functions of biased tracers of the underlying matter distribution such as galaxies. It was first pointed out in [5] and [6] that the power spectrum of the galaxy overdensity can become greatly enhanced relative to the Harrison-Zel’dovich spectrum on large scales if the primordial mass density perturbations are non-Gaussian.<sup>1</sup> These enhancements are known as scale-dependent bias and stochastic bias and were systematically explored in the context of QSFI in [7] and [8].<sup>2</sup>

<sup>1</sup> We refer to these effects as “enhancements” even though for certain model parameters they can interfere destructively with the usual Gaussian primordial density fluctuations.

<sup>2</sup> By stochastic bias, we mean the difference between the collapsed trispectrum and the squeezed bispectrum squared; see for example Eq. (2.7) of [7]. This stochastic bias can depend on the scale.

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