Accepted Manuscript

Learning solutions to two dimensional electromagnetic equations using LS-SVM

Xiaoming Han, Jinjun Wang, Ziku Wu, Guofeng Li, Yan Wu, Juan Li

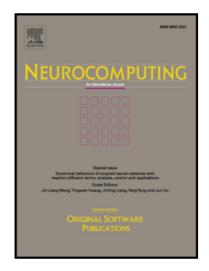
PII: \$0925-2312(18)30587-3

DOI: 10.1016/j.neucom.2018.05.035

Reference: NEUCOM 19588

To appear in: Neurocomputing

Received date: 31 March 2017
Revised date: 28 February 2018
Accepted date: 11 May 2018



Please cite this article as: Xiaoming Han, Jinjun Wang, Ziku Wu, Guofeng Li, Yan Wu, Juan Li, Learning solutions to two dimensional electromagnetic equations using LS-SVM, *Neurocomputing* (2018), doi: 10.1016/j.neucom.2018.05.035

This is a PDF file of an unedited manuscript that has been accepted for publication. As a service to our customers we are providing this early version of the manuscript. The manuscript will undergo copyediting, typesetting, and review of the resulting proof before it is published in its final form. Please note that during the production process errors may be discovered which could affect the content, and all legal disclaimers that apply to the journal pertain.

ACCEPTED MANUSCRIPT

Learning solutions to two dimensional electromagnetic equations using LS-SVM[☆]

Xiaoming Han^a, Jinjun Wang^a, Ziku Wu^{b,*}, Guofeng Li^a, Yan Wu^a, Juan Li^c

^aSchool of Electrical Engineering, Dalian University of Technology, Dalian 116024, China
 ^bScience and Information College, Qingdao Agricultural University, Qingdao 266109, China
 ^cCollege of Mechanical and Electrical Engineering, Qingdao Agricultural University, Qingdao 266109, China

Abstract

In this paper, a new approach based on least squares support vector machines (LS-SVM) is proposed for solving the electromagnetic equations. Firstly, the cubic spline function is employed to smooth the discontinuous boundary. LS-SVM is used to solve the modified problem. Secondly, nonlinear electromagnetic equation is solved by LS-SVM. Finally, multimedia electromagnetic equation is solved by LS-SVM. Same as to the artificial neural networks (ANN), the approximate solutions are composed of two parts. The first part is a known function that satisfies the boundary conditions. The second part is the product of two terms. One term is also a known function which vanished on the boundary. The left part is the combination of kernel functions containing regression parameters. The parameters can be obtained by solving a system of equations. The numerical results show that the proposed method in this paper is feasible.

Keywords: Linear electromagnetic equation, nonlinear electromagnetic equation, multimedia electromagnetic equation, discontinuous boundary conditions, least squares support vector machines, cubic spline

1. Introduction

Numerical computation of electromagnetic equation is mainly component of computational electromagnetics. There are mainly three categories methods for computing electromagnetic equations. The first category is analytical method, which provides the analytical solutions [1]. Unfortunately, there are only a small amount of electromagnetic equations which can be expressed by the analytical formulas. The second category is numerical method, which is widely used in engineering. At present, the electromagnetic equations are successfully solved by finite element method (FEM) [2]. The FEM needs to high quality meshes, so it is difficult to solve variable structures and high speed problems. The meshes are not necessary when using element free method to solve electromagnetic equations, so element free method is high efficient performance. Galerkin's element free (EFG) method is one of the mature element free methods, but shape functions do not satisfy the Kronecker delta property. Therefore, essential boundary conditions cannot be directly imposed as is done in the FEM and the finite difference method [3]-[4]. Radical basis function mixed with finite element method (RBF-FEM) is presented in [5]. It is easy to handle the essential boundary conditions by the RBF-FEM, but it uses numerical integration, which decreases the accuracy of the solutions. The third category is approximate solutions method, and the approximate solutions are be clearly expressed by this method. The drawback is that the error of solution is not easy to be estimated [6].

Email address: zkwu1968@126.com (Ziku Wu)

^{*}Corresponding author

Download English Version:

https://daneshyari.com/en/article/10151108

Download Persian Version:

 $\underline{https://daneshyari.com/article/10151108}$

Daneshyari.com