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Software Update

Update (v1.2) to *DLTPulseGenerator*: A library for the simulation of lifetime spectra based on detector-output pulses

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a r t i c l e i n f o

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A B S T R A C T

In the last update of *DLTPulseGenerator* library (*v1.1*), we realised the simulation of distributed *specific lifetimes* as can be found for the lifetimes of positrons (PALS) in porous materials due to the pore size distribution.

However, in this update *v1.2*, the *DLTPulseGenerator* library was modified to allow the simulation of lifetime spectra consisting of non-*Gaussian* distributed and linearly combined Instrument Response Functions (IRF), since a *Gaussian* shaped instrumental response of a lifetime spectroscopy setup more likely represents an approximation as it reflects the experimentally obtained results. Eventually, this provides an improved modeling of the experimental instrumental response and, finally, leads to a more realistic simulation of lifetime spectra.

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Code metadata

1. Introduction and significance

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In *DLTPulseGenerator* v1.0 [\[1](#page--1-0)] and v1.1 [[2](#page--1-1)], the uncertainties of the ideal lifetime (dt_{ideal}) due to the influences of the setup components, i.e. the instrumental response, were simulated using a *Gaussian* distribution function for the Photo Detection Systems A and B

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Table 1

Modifications of struct DLTSetup: The variables PDSUncertaintyA, PDSUncertaintyB and MUUncertainty in DLTPulseGenerator v1.0 [[1](#page--1-0)] and v1.1 [\[2](#page--1-1)] were replaced by the structs irfA, irfB (struct type DLTIRF_PDS) and irfMU (struct type DLTIRF_MU) to accomplish the simulation of non-Gaussian distributed and linearly combined IRFs.

struct DLTSetup	DLTPulseGenerator v1.0/1.1	DLTPulseGenerator v1.2
	PDSUncertaintyA (double) PDSUncertaintyB (double) MUUncertainty (double)	irfA (struct type DLTIRF_PDS) irfB (struct type DLTIRF_PDS) irfMU (struct type DLTIRF_MU)

(PDS - A/B), and the Measure Unit (MU). Since the resulting Instrument Response Function (IRF) mostly consists of a contribution significantly deviating from the Gaussian shape, this approximation hardly reflects the experimental results in lifetime spectroscopy methods such as Fluorescence Lifetime Spectroscopy (FLS) and Positron Annihilation Lifetime Spectroscopy (PALS). However, this effect is well known in spectroscopic methods of other fields of research, such as X-ray or neutron powder diffraction, where the peak shape is often described by a *Pseudo-Voigt* profile (*Voigt* profile approximation). This is used for cases where neither a pure *Gaussian* nor a *Lorentzian/Cauchy* distribution function leads to an appropriate fit [\[3](#page--1-2)–[5\]](#page--1-3). In PALS, the *Gaussian* approximation is commonly used since the analytical solution exists for a convolution of a *Gaussian* with an *exponential* distribution function, as it was first shown by Kirkegaard and Eldrup in 1972 [[6\]](#page--1-4). Therefore, the least-square fitting can be applied to retrieve the *specific lifetimes* and its corresponding intensities of the lifetime spectrum [[6](#page--1-4)[–12\]](#page--1-5).

To investigate the influences on the spectra analysis using non-*Gaussian* distributed and linearly combined Instrument Response Functions, modifications of struct *DLTSetup* were applied.

2. Changes in the software architecture — modifications of struct DLTSetup

The simulation of non-*Gaussian* distributed and linearly combined Instrument Response Functions (IRF) for the Photo Detection System (PDS) and the Measure Unit (MU) is accomplished by replacing the variables *DLTSetup::PDSUncertaintyA*, *DLTSetup::PDSUncertaintyB* and *DLTSetup::MUUncertainty* with the new structs *DLTIRF_PDS* and *DLTIRF_MU,* as listed in [Table 1](#page-1-0).

Each struct *irfA/irfB* (*irfMU*) of struct type *DLTIRF_PDS* (*DLTIRF_MU*) consists of a set of max. five weighted (*I*i) distribution functions *f*ⁱ representing the final IRF of PDS A/B (MU) ([Fig. 1\)](#page--1-6):

IRF (t) =
$$
\sum_{i=1}^{5} I_i f_i(t)
$$
 with $\sum_{i=1}^{5} I_i \equiv 1$. (1)

The variables used to model the distribution functions (*f*i) are defined in the structs *irfXPDS* (*irfXMU*) of struct type *DLTIRF*, where *X* relates to the index *i*.

• **struct DLTIRF**

The number of linearly combined distribution functions for *irfA/irfB* and *irfMU* is controlled by setting the variable *enable* (type: bool). The considered weighting (*I*ⁱ , Eq. [\(1\)\)](#page-1-1) is defined by the variable **intensity** ($0 \leq I_i \leq 1$), where the sum of all enabled intensities must be equal to one. Setting *enable* to *false* results in a zero weighted component ($I_i \equiv 0$, Eq. [\(1\)](#page-1-1)) and is equivalent to setting the corresponding struct *irfXPDS* (*irfXMU*) to the value *IGNORE_DLTIRF*.

Furthermore, three types of distribution functions (*enum DLT-DistributionFunction::Function*) are provided (variable *function-Type*):

I. *Gaussian* distribution^{[1](#page-1-2)} (**DLTDistributionFunction::Function::GAUSSIAN**)

Table 2

IRF: Pseudo-Voigt profile: Listing of the simulation input (left column, variables of struct type DLTIRF) and resulting model fit output (right column). The Pseudo-Voigt based IRF is realised using a linear combination of a Gaussian (Eq. [\(1\)\)](#page-1-1) and Lorentzian/Cauchy (Eq. [\(2\)](#page-1-3)) distribution function.

Table 3

Left column: Simulated specific lifetimes and its intensities used for the lifetime spectrum simulation as displayed in [Fig. 2](#page--1-7)a. Right column: Retrieved output by applying the reconvolution approach using DLTReconvolution software [[14](#page--1-8)]. The results of the reconvolution fit indicate an excellent agreement.

II. *Cauchy/Lorentzian* distribution^{[1](#page-1-2)} (**DLTDistribution Function::Function:: LORENTZIAN_CAUCHY**) III. Log-Normal distribution^{[1](#page-1-2)}

(**DLTDistributionFunction::Function::LOG_NORMAL**).

The peak location indicating parameters^{[1](#page-1-2)} are specified by the variable *relativeShift* (in nanoseconds), whereas the normalisa-tion/scaling parameters^{[1](#page-1-2)} of the distribution functions are given by the variable *uncertainty* (in nanoseconds). Variable *param* is reserved for future purposes and can serve as parameter for additional or custom distribution functions, where two parameters are insufficient for the definition (see: modifications in struct DLTSimulationInput [[2](#page--1-1)]).

By enabling only one component *irfXPDS* (*irfXMU*) of each struct *irfA*, *irfB* and *irfMU* and, moreover, setting the *functionType* to **DLTDistributionFunction::Function::GAUSSIAN**, the functionality is equivalent to those of *DLTPulseGenerator* v1.0 [\[1](#page--1-0)] and v1.1 [[2\]](#page--1-1).

3. Illustrative example — verification of the validity and functionality

For the verification of the validity and functionality of this new feature, a lifetime spectrum consisting of two *specific lifetimes* (see [Fig. 2](#page--1-7)a and [Table 3](#page-1-4)) has been simulated by using the *Pseudo-Voigt* profile

$$
V_p(t|\eta, \sigma, s) = \eta G(t|\sigma) + (1 - \eta) L(t|s), \quad 0 \le \eta \le 1
$$
 (2)

as an example for a linearly combined IRF, consisting of a *Gaussian* (**DLTDistributionFunction::Function::GAUSSIAN**)

$$
IRF_1: G(t|\mu = 0, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} \exp\left\{-\frac{t^2}{2\sigma^2}\right\}
$$
 (3)

 1 All formulas and parameter definitions are described in [\[2\]](#page--1-1).

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