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Correcting intensity loss errors in the absence of texture-free reference samples during pole figure measurement



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ABSTRACT

Even with the use of X-ray polycapillary lenses, sample tilting during pole figure measurement results in a decrease in the recorded X-ray intensity. The magnitude of this error is affected by the sample size and/or the finite detector size. These errors can be typically corrected by measuring the intensity loss as a function of the tilt angle using a texture-free reference sample (ideally made of the same alloy as the investigated material). Since texturefree reference samples are not readily available for all alloys, the present study employs an empirical procedure to estimate the correction curve for a particular experimental configuration. It involves the use of real texture-free reference samples that pre-exist in any X-ray diffraction laboratory to first establish the empirical correlations be tween X-ray intensity, sample tilt and their Bragg angles and thereafter generate correction curves for any Bragg angle. It will be shown that the empirically corrected textures are in very good agreement with the experimentally corrected ones.

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1. Introduction

The measurement of bulk crystallographic textures via X-ray diffraction begins with the collection of incomplete pole figures on the basis of specific crystal lattice planes recording intensities upon fulfilling Bragg's law. In this regard, the axes of a pole figure are defined by a macroscopic sample coordinate system whereas the pole figure itself is a contour plot stereogram of the angular distribution of crystallite plane normals within the sample [1].

The measurement of a single Bragg reflection (pole figure) on a goniometer involves mounting a sample on an Eulerian cradle and setting the X-ray source (or incident radiation) and detector to a particular peak position (2θ , where θ = Bragg angle). Thereafter, the systematic tilting (α) and rotation (β) of the Eulerian cradle successively brings all possible lattice planes into the reflection condition and results in the collection of X-ray intensities for all angular orientations of the sample [1]. It follows that the recorded X-ray intensity for a given tilt and rotation angle is proportional to the volume fraction of particularly oriented crystallites in the sample.

During typical pole figure scans, the measured intensities are affected by absorption, background and defocusing errors. In the present study, correcting for absorption errors was unnecessary as the studied bulk sample is thicker than the penetration depth of the X-rays [2].

* Corresponding author. *E-mail address:* asaleh@uow.edu.au (A.A. Saleh). Background errors are caused by incoherent scattering events and fluorescence [1]. While the measured intensities (I_{meas}) are a function of both α and β angles, the background intensities (I_{BG}) are mainly affected by the α -angle. Since the background intensities tend to remain stable for a given α -angle, they are typically measured on either side of a Bragg peak, averaged and subtracted from the measured intensities [1,3].

Defocusing errors are an instrumental aberration that manifest as a decrease in the measured intensity of a reflected peak due to the broadening of the diffracted beam with increasing sample tilt [4].

Previous generation diffractometers employing crossed slits on the incident beam side were more prone to large defocusing errors. The limitations of the X-ray optics meant that defocusing errors were highly sensitive to: (i) variations in the irradiated area and broadening of the diffracted peaks with increasing tilt angle, (ii) the Bragg angle, (iii) the inaccurate positioning of the sample in the Eulerian cradle and/or (iv) the incorrect alignment of the goniometer itself [3–7]. The conventional method to eliminate defocusing errors is via a correction function (U₁) involving the pole figure scanning of a texture-free reference sample with a peak position and width close to that of the sample under investigation¹ [1]. Thus, for a given Bragg angle, the correction function is a measure of the change in the normalised intensity ($U_I = I_{\alpha=0^{-85^\circ}}/I_{\alpha=0^\circ}$) with tilt angle [1,3,8]. Alternatively, analytical methods that correct for defocusing in the classical Schultz reflection geometry with

¹ Ideally speaking, the texture-free reference samples should be made of the same alloy as the investigated material.

incident crossed slits have also been developed by a number of authors [3,9–11].

On the other hand, modern diffractometers configured with the Xray tube in point focus mode and a polycapillary lens on the incident beam side are less susceptible to large defocusing errors. This optical configuration: (i) reduces instrumental aberrations by imposing a focused, (quasi-) parallel beam with a small angular divergence on the sample, (ii) returns higher diffracted intensities and (iii) makes the overall measurement less sensitive to sample misalignments and peak broadening than traditional optics [4,12,13].

While classical defocusing errors are minor when X-ray lens are used, other sources of geometrical error persist such that a decrease in measured intensity is returned when: (i) areas outside the sample surface are illuminated or (ii) only a fraction of the diffracted beam is collected by the detector due to its finite size. Experimental and analytical methods have been developed to overcome these intensity losses [4,13]. In the case of analytical methods, they are based on the assumption that the reference and investigated samples are larger than the maximum irradiated area at the highest tilt angle [14].

Since the above conditionality cannot always be met in practice, a correction for the loss of intensity at high tilt angle still needs to be undertaken using texture-free reference samples. Given that texture-free reference samples are not readily available for all alloys, the present study details an empirical procedure to estimate the intensity loss correction required for a given goniometer configuration. Our method makes use of real texture-free reference samples that pre-exist in any X-ray diffraction laboratory to first establish the correlations between X-ray intensity and sample position in terms of 20, α and β angles and thereafter generate correction curves for any Bragg angle. It will be shown that our correction curves are in very good agreement with experimental curves and that the former can be effectively used to correct incomplete pole figures when texture-free reference samples of the same alloy are absent.

2. Experimental and analytical procedure

2.1. Diffractometer configuration

All bulk texture measurements were conducted on a PANalytical X'pert-Pro Materials Research Diffractometer (MRD) goniometer (320 mm radius) equipped with a Cu tube operating in point focus mode at 40 kV and ~45 mA. The incident beam optics comprised a polycapillary X-ray lens of 7 mm diameter and ~0.3° divergence angle. A square beam of $2 \times 2 \text{ mm}^2$ was obtained by placing a knob adjustable crossed slit collimator in front of the lens. This beam size is significantly smaller than the lens diameter divided by $\sqrt{2}$ which ensures a well-shaped square beam and minimises any inhomogeneous lens transmission [4].

The diffracted beam optics comprised a 0.04° soller slit, a parallel plate collimator (0.27° acceptance angle), a flat crystal graphite monochromator and a PIXcel real time multiple strip (RTMS) detector operating in receiving slit mode.

2.2. Bulk texture measurements on twinning induced plasticity (TWIP) steel

A flat $25(l) \times 5(w) \times 1(t)$ mm³ gage dog-bone-shaped sample of fully recrystallised 24Mn–3Al–2Si–1Ni–0.06C (wt.%) face centred cubic (fcc) austenitic TWIP steel was mechanically polished up to the colloidal silica stage and subjected to uniaxial tensile testing along the prior rolling direction, in speed control mode at 5 µm s⁻¹. The details related to the earlier processing of the TWIP steel are given elsewhere [15].

The tensile test was interrupted at true strains of 0%, 7.2%, 20.9%, 32.3% and 48%. Following each tensile test interruption, bulk texture measurements were conducted in the middle of the gauge length. After identifying the exact peak positions via a θ -2 θ scan, the {111}, {200} and {220} incomplete ($\alpha = 0$ -85°, $\beta = 0$ -360°) pole figures were collected at 5° intervals in step mode (counting time = 5 s/step).

The background measurements were conducted at $\pm 2^{\circ}$ of a Bragg peak position. An austenitic stainless steel (ASS) texture-free reference sample was used to correct for the intensity loss in the {111}, {200} and {220} incomplete pole figures of TWIP steel. The background and intensity loss correction measurements were conducted in continuous mode for a total counting time of 72 s at each tilt angle (α) such that one value of integrated intensity was returned after the sample rotated (β) a full 360° at each α -angle.

The three sets of raw data files were imported to X'Pert Texture software to correct the incomplete pole figures for background and X-ray lens intensity. Following this, the normalised incomplete pole figures were exported to ResMat where the orientation distribution functions (ODFs) were calculated via series expansion. Since these ODFs do not account for intensity loss correction, they are hereafter termed as the uncorrected ODFs. An additional set of ODFs were calculated by correcting for the background, X-ray lens intensity and intensity loss and are hereafter referred to as experimental ODFs.

2.3. Additional intensity loss scans on a set of texture-free reference samples

Intensity loss correction measurements were collected for a range of Bragg angles (θ) using a set of texture-free reference samples comprising ASS (fcc), aluminium (Al, fcc), copper (Cu, fcc), ferritic stainless steel (FSS, body centred cubic (bcc)) and α -titanium (α -Ti, hexagonal closed packed (hcp)) obtained from Labosoft S.C. and Bonet (Table 1). Similar to the method stated in Section 2.2, all measurements were conducted in continuous mode for a total counting time of 72 s at each tilt angle (α) such that one value of integrated intensity was returned after the sample rotated (β) a full 360° at each α -angle.

For each Bragg angle, the intensity loss correction factor was computed via normalisation such that $U_I = I_{\alpha=0-85^\circ}/I_{\alpha=0^\circ}$. Fig. 1(a–e) depicts the experimental intensity loss correction curves of ASS (Fig. 1a), Al (Fig. 1b), Cu (Fig. 1c), FSS (Fig. 1d), α -Ti (Fig. 1e).

Irrespective of the type of texture-free reference sample, the correction factors were then collated in a matrix in ascending order of Bragg angles and a linear fit [16] was performed for each tilt angle (Fig. 1f). Consequently, for a given goniometer configuration, these linear fits

Table 1

Peak positions (2θ in degrees) for a Cu-K_{α} X-ray tube at which intensity correction factors were computed as a function of the tilt angle (α) for the set of texture-free reference samples obtained from Labosoft S.C. and Bonet. (*The peak positions at which intensity loss correction factors were not computed are missing their 2\theta values).*

fcc planes	ASS	Al	Cu	bcc planes	FSS	hcp planes	α-Ti
{111}	43.61	38.48	43.33	{110}	44.58	$\{10\overline{1}0\}/\{100\}$	35.11
{200}	50.79	44.74	50.47	{200}	64.91	{0002}/{002}	38.43
{220}	74.69	65.12	74.17	{211}	82.15	$\{10\overline{1}1\}/\{101\}$	40.18
{311}	90.65	78.25	89.99	{220}	98.61	$\{10\overline{1}2\}/\{102\}$	53.03
{222}	95.93	82.46	95.14	{310}	115.95	{1120}/{110}	62.99
{400}	-	99.06	-	{222}	136.48	{1013}/{103}	70.70
{331}	138.24	112.03	136.50			{2020}/{200}	-
{420}	146.93	116.57	144.65			$\{11\bar{2}2\}/\{112\}$	76.28
{422}	-	137.46	-			{2021}/{201}	77.39

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