

# Studies on the defect structures for two $\text{Rh}^{2+}$ centers in LiD

Hua-Ming Zhang<sup>a</sup>, Shao-Yi Wu<sup>a,b,\*</sup>, Guang-Duo Lu<sup>a</sup>,  
Li-Hua Wei<sup>a</sup>, Zhi-Hong Zhang<sup>a</sup>

<sup>a</sup> Department of Applied Physics, University of Electronic Science and Technology of China, Chengdu 610054, PR China

<sup>b</sup> International Centre for Materials Physics, Chinese Academy of Sciences, Shenyang 110016, PR China

Received 17 June 2007; received in revised form 28 September 2007; accepted 1 October 2007

Available online 5 October 2007

## Abstract

The defect structures for two  $\text{Rh}^{2+}$  centers {A} and {O} in LiD are theoretically studied by analyzing their experimental EPR parameters, based on the perturbation formulas of these parameters for a  $4d^7$  ion with low spin ( $S = 1/2$ ) in tetragonally compressed octahedra and orthorhombically elongated octahedra. Center {A} can be attributed to the substitutional  $\text{Rh}^{2+}$  at the  $\text{Li}^+$  site, associated with the next nearest neighbouring (nnn)  $\text{Li}^+$  vacancy  $V_{\text{Li}}$  along [001] (or  $C_4$ ) axis as the compensator. In this center, the intervening ligand  $\text{D}^-$  in  $\text{Rh}^{2+}$  and the  $V_{\text{Li}}$  is found to shift towards  $\text{Rh}^{2+}$  by an amount  $\Delta Z_A \approx 0.01 \text{ \AA}$  due to the electrostatic repulsion of the  $V_{\text{Li}}$ . Center {O} is assigned to the elongation  $\delta \approx 0.072 \text{ \AA}$  of the ligand octahedron along [001] axis due to the Jahn–Teller effect, associated with one nnn  $V_{\text{Li}}$  along [100] (or X) axis. The intervening ligand may also suffer a displacement  $\Delta X_O \approx 0.11 \text{ \AA}$  towards  $\text{Rh}^{2+}$ . In the calculations of the hyperfine structure constants, the reduction factors  $H$  ( $\approx 0.49$  and  $0.93$ ) due to the  $\text{Rh}^{2+}$   $4d$ – $5s$  orbital admixture are obtained for centers {A} and {O}.

© 2007 Elsevier B.V. All rights reserved.

**Keywords:** Inorganic materials; Crystal and ligand fields; Point defects; Electron paramagnetic resonance

## 1. Introduction

LiD (or LiH) has attracted interest of researchers due to its useful optical [1–3], resonant Raman scattering properties [4,5] and unique state equation under high pressure [6,7]. In addition, it is also regarded as a promising material for high-temperature superconductors [8]. Usually, these properties depend mainly upon structure of this material, which can be probed by some transition-metal (e.g.,  $3d^n$ ) ions with the aid of electron paramagnetic resonance (EPR) technique [9–11]. Unfortunately, studies on the second group transition-metal ( $4d^n$ ) ions in this less common compound are relatively scarce. For example, EPR spectra for  $\text{Rh}^{2+}$  ( $4d^7$ ) in LiD single crystal have been observed after ultraviolet light illumination, and the EPR parameters anisotropic  $g$  factors and the hyperfine structure constants for

one tetragonal center {A} and another orthorhombic center {O} were also measured at 210 K and 77 K, respectively [12].

Until now, however, no satisfactory interpretation to the above experimental results has been made, and information about defect structures for the two  $\text{Rh}^{2+}$  centers has not been obtained, either. In the previous work [12], the simple second-order perturbation formulas of the EPR parameters for a  $3d^9$  ion in tetragonally elongated or compressed octahedra were adopted for center {A} or {O}. Secondly, the contributions from the low symmetrical distortions due to the charge compensation and the Jahn–Teller effect were not taken into account. Finally, the hyperfine structure constants were calculated by using the experimental  $g$  factors [12]. Further, the contributions from the reduction effect due to the  $\text{Rh}^{2+}$   $4d$ – $5s$  orbital admixtures can be important [13]. However, these contributions were neglected as well, leading to the unreasonably small covalency factor 0.47 for center {A} [12]. In order to study the defect structures and the EPR parameters for LiD: $\text{Rh}^{2+}$  to a better extent, in this work, the third-order perturbation formulas of the EPR parameters are established for a  $4d^7$  ion with low spin ( $S = 1/2$ ) under tetrag-

\* Corresponding author. Address: Department of Applied Physics, University of Electronic Science and Technology of China, Chengdu 610054, PR China. Tel.: +86 2883202586; fax: +86 2883202009.

E-mail address: wushaoyi@netease.com (S.-Y. Wu).

onally compressed octahedra and orthorhombically elongated ones, and then applied to centers {A} and {O}.

## 2. Theory and formulas

LiD has NaCl type structure.  $\text{Rh}^{2+}$  doped into LiD may occupy the host  $\text{Li}^+$  site. Since  $\text{Rh}^{2+}$  has an extra charge compared with the replaced  $\text{Li}^+$ , a next nearest neighbouring (nnn)  $\text{V}_{\text{Li}}$  may occur along [001] (or  $C_4$ ) axis due to charge compensation. Because of the negative effective charge of  $\text{V}_{\text{Li}}$ , the ligand  $\text{D}^-$  intervening in the  $\text{V}_{\text{Li}}$  and  $\text{Rh}^{2+}$  is expected to shift towards  $\text{Rh}^{2+}$  by an amount  $\Delta Z_{\text{A}}$  along the  $C_4$  axis due to the electrostatic repulsion, forming a tetragonally compressed octahedron (center {A}). As for center {O}, it can be attributed to  $\text{Rh}^{2+}$  locating on an elongated octahedron (characterized by the relative elongation  $\delta$  of the octahedron along [001] axis) due to the Jahn–Teller effect, associated with one nnn  $\text{V}_{\text{Li}}$  along [100] (or X) axis as the compensator. Similarly, the intervening ligand may suffer another displacement  $\Delta X_{\text{O}}$  towards  $\text{Rh}^{2+}$  and thus form an orthorhombically elongated octahedron. Therefore, the defect structure around  $\text{Rh}^{2+}$  in LiD can be described as  $\Delta Z_{\text{A}}$  (or  $\delta$  and  $\Delta X_{\text{O}}$ ) for center {A} (or {O}), respectively. Note that the displacement direction towards  $\text{Rh}^{2+}$  is defined as positive here.

Belonging to the case of strong crystal-fields,  $\text{Rh}^{2+}$  ( $4d^7$ ) ions in crystals have the orbital doublet  ${}^2\text{E}_{\text{g}}$  ( $t_{2\text{g}}^6 e_{\text{g}}$ ) with low spin ( $S = 1/2$ ) as the ground state, which can be described as an unpaired electron in  $e_{\text{g}}$  state [14–16]. As the ligand octahedron is compressed (or elongated), the ground  ${}^2\text{E}_{\text{g}}$  state would be split into two orbital singlets  ${}^2\text{B}_{1\text{g}}$  and  ${}^2\text{A}_{1\text{g}}$ , with the former (or latter) lying lowest.

For the lowest  ${}^2\text{B}_{1\text{g}}$  state of a  $\text{Rh}^{2+}(4d^7)$  ion in tetragonally compressed octahedra, the third-order perturbation formulas of the EPR parameters can be derived from the perturbation procedure [11,15]. Here we include the contributions from the central ion spin–orbit coupling coefficient  $\zeta_{\text{d}}$ , the tetragonal distortion (characterized by the tetragonal field parameters  $D_{\text{s}}$  and  $D_{\text{t}}$ ) and the reduction effect (characterized by the reduction factor  $H$ ) in the anisotropic parts of the hyperfine structure constants due to the metal 4d–5s orbital admixtures. Thus, one can obtain:

$$\begin{aligned} g_{||} &= g_{\text{s}} + 2k \frac{\zeta_{\text{d}}^2}{E_{1||}^2} + 4k \frac{\zeta_{\text{d}}}{E_{||}}, \\ g_{\perp} &= g_{\text{s}} + 2k \frac{\zeta_{\text{d}}^2}{E_{1\perp}^2} + k \frac{\zeta_{\text{d}}}{E_{\perp}}, \\ A_{||} &= P \left[ -\kappa - \frac{4}{7}H + \frac{3}{7}(g_{\perp} - g_{\text{s}}) + (g_{||} - g_{\text{s}}) \right], \\ A_{\perp} &= P \left[ -\kappa + \frac{2}{7}H + \frac{11}{14}(g_{\perp} - g_{\text{s}}) \right], \end{aligned} \quad (1)$$

where the denominators  $E_{||}$  and  $E_{\perp}$  can be written as:

$$\begin{aligned} E_{||} &= \frac{1}{E_{3||}} + \frac{1}{E_{4||}} + 0.38 \left( \frac{1}{E_{3||}} - \frac{1}{E_{4||}} \right), \\ E_{\perp} &= \frac{1}{E_{3\perp}} + \frac{1}{E_{4\perp}} + 0.38 \left( \frac{1}{E_{3\perp}} - \frac{1}{E_{4\perp}} \right). \end{aligned} \quad (2)$$

Here  $g_{\text{s}}$  ( $\approx 2.0023$ ) is the spin-only value.  $k$  is the orbital reduction factor, indication of the covalency of the studied system.  $P$  and  $\kappa$  are the dipolar hyperfine structure parameter and the core polarization constant, respectively. The energy denominators  $E_{i\alpha}$  ( $i = 1, 3, 4$ ;  $\alpha = ||$  and  $\perp$ ) denote the various tetragonal components of the separations between the excited  ${}^4\text{T}_{1\text{b}}(t_2^5 e^2)$ ,  ${}^2\text{T}_{2\text{a}}(t_2^5 e^2)$ , and  ${}^2\text{T}_{2\text{b}}(t_2^5 e^2)$  and the ground  ${}^2\text{B}_{1\text{g}}(t_2^6 e)$  states [11,15,16]. They can be obtained from the energy matrices of the  $4d^7$  ion under tetragonal symmetry in terms of the cubic field parameter  $D_{\text{q}}$ , the tetragonal field parameters  $D_{\text{s}}$ ,  $D_{\text{t}}$  and the Racah parameters  $B$  and  $C$  [16,17].

Similarly, for the lowest  ${}^2\text{A}_{1\text{g}}$  state of a  $\text{Rh}^{2+}(4d^7)$  ion in orthorhombically elongated octahedra, the perturbation formulas of the EPR parameters can be established as follows:

$$\begin{aligned} g_{\text{x}} &= g_{\text{s}} + 2k \frac{\zeta_{\text{d}}^2}{E_{1\text{x}}^2} + 3k \frac{\zeta_{\text{d}}}{E_{\text{x}}} - k\zeta_{\text{d}} \left( \frac{1}{E_{2\text{x}}} - \frac{1}{E_{5\text{x}}} \right), \\ g_{\text{y}} &= g_{\text{s}} + 2k \frac{\zeta_{\text{d}}^2}{E_{1\text{y}}^2} + 3k \frac{\zeta_{\text{d}}}{E_{\text{y}}} - k\zeta_{\text{d}} \left( \frac{1}{E_{2\text{y}}} - \frac{1}{E_{5\text{y}}} \right), \\ g_{\text{z}} &= g_{\text{s}} + 2k \frac{\zeta_{\text{d}}^2}{E_{1\text{z}}^2} - 4k\zeta_{\text{d}} \left( \frac{1}{E_{2\text{z}}} - \frac{1}{E_{5\text{z}}} \right), \\ A_{\text{x}} &= P \left[ -\kappa - \frac{2}{7}H + \frac{15}{14}(g_{\text{y}} - g_{\text{s}}) \right], \\ A_{\text{y}} &= P \left[ -\kappa - \frac{2}{7}H + \frac{15}{14}(g_{\text{x}} - g_{\text{s}}) \right], \\ A_{\text{z}} &= P \left[ -\kappa + \frac{4}{7}H - \frac{1}{14}(g_{\text{x}} + g_{\text{y}} - 2g_{\text{s}}) \right]. \end{aligned} \quad (3)$$

Here  $E_{\text{x}}$  and  $E_{\text{y}}$  are expressed as:

$$\begin{aligned} E_{\text{x}} &= \frac{1}{E_{3\text{x}}} + \frac{1}{E_{4\text{x}}} + 0.38 \left( \frac{1}{E_{3\text{x}}} - \frac{1}{E_{4\text{x}}} \right), \\ E_{\text{y}} &= \frac{1}{E_{3\text{y}}} + \frac{1}{E_{4\text{y}}} + 0.38 \left( \frac{1}{E_{3\text{y}}} - \frac{1}{E_{4\text{y}}} \right). \end{aligned} \quad (4)$$

In the above formulas, the energy denominators  $E_{i\alpha}$  ( $i = 1, 2, 3, 4, 5$ ;  $\alpha = \text{x}, \text{y}, \text{z}$ ) denote the separations between the excited  ${}^4\text{T}_{1\text{b}}(t_2^5 e^2)$ ,  ${}^2\text{T}_{1\text{a}}(t_2^5 e^2)$ ,  ${}^2\text{T}_{2\text{a}}(t_2^5 e^2)$ ,  ${}^2\text{T}_{2\text{b}}(t_2^5 e^2)$  and  ${}^2\text{T}_{1\text{b}}(t_2^5 e^2)$  and the ground  ${}^2\text{A}_{1\text{g}}(t_2^6 e)$  states. They can be determined from the energy matrices of a  $4d^7$  ion under orthorhombic symmetry, in terms of the orthorhombic field parameters  $D_{\text{s}}$ ,  $D_{\text{t}}$ ,  $D_{\xi}$  and  $D_{\eta}$ .

## 3. Applications

From Eqs. (1) to (4), the EPR parameters can be connected with the local structures of the studied systems in terms of the tetragonal or orthorhombic field parameters, which depend upon the local structural parameter  $\Delta Z_{\text{A}}$  (or  $\delta$  and  $\Delta X_{\text{O}}$ ) for center {A} (or {O}), respectively.

### 3.1. Center {A}

For center {A}, the tetragonal field parameters can be determined from the superposition model [18] and the ligand

Download English Version:

<https://daneshyari.com/en/article/1623747>

Download Persian Version:

<https://daneshyari.com/article/1623747>

[Daneshyari.com](https://daneshyari.com)