



## Lesion edge preserved direct average strain estimation for ultrasound elasticity imaging



Mohammad Arafat Hussain<sup>a</sup>, Farzana Alam<sup>b</sup>, Sharmin Akhtar Rupa<sup>c</sup>, Rayhana Awwal<sup>d</sup>, Soo Yeol Lee<sup>e</sup>,  
Md. Kamrul Hasan<sup>a,e,\*</sup>

<sup>a</sup> Department of Electrical and Electronic Engineering, Bangladesh University of Engineering and Technology, Dhaka 1000, Bangladesh

<sup>b</sup> Department of Radiology and Imaging, Bangabandhu Sheikh Mujib Medical University, Dhaka 1000, Bangladesh

<sup>c</sup> Department of Radiology and Imaging, Enam Medical College and Hospital, Savar, Dhaka, Bangladesh

<sup>d</sup> Department of Plastic Surgery and Burn Unit, Dhaka Medical College and Hospital, Dhaka 1000, Bangladesh

<sup>e</sup> Department of Biomedical Engineering, Kyung Hee University, 1 Seochun, Yongin-si, Gyeonggi-do 446-701, Republic of Korea

### ARTICLE INFO

#### Article history:

Received 16 September 2012

Received in revised form 9 May 2013

Accepted 20 May 2013

Available online 10 June 2013

#### Keywords:

Elastography

Ultrasonic imaging

Instantaneous strain

Average strain

Normalized cross-correlation

### ABSTRACT

Elasticity imaging techniques with built-in or regularization-based smoothing feature for ensuring strain continuity are not intelligent enough to prevent distortion or lesion edge blurring while smoothing. This paper proposes a novel approach with built-in lesion edge preservation technique for high quality direct average strain imaging. An edge detection scheme, typically used in diffusion filtering is modified here for lesion edge detection. Based on the extracted edge information, lesion edges are preserved by modifying the strain determining cost function in the direct-average-strain-estimation (DASE) method. The proposed algorithm demonstrates approximately 3.42–4.25 dB improvement in terms of edge-mean-square-error (EMSE) than the other reported regularized or average strain estimation techniques in finite-element-modeling (FEM) simulation with almost no sacrifice in elastographic-signal-to-noise-ratio (SNRe) and elastographic-contrast-to-noise-ratio (CNRe) metrics. The efficacy of the proposed algorithm is also tested for the experimental phantom data and *in vivo* breast data. The results reveal that the proposed method can generate a high quality strain image delineating the lesion edge more clearly than the other reported strain estimation techniques that have been designed to ensure strain continuity. The computational cost, however, is little higher for the proposed method than the simpler DASE and considerably higher than that of the 2D analytic minimization (AM2D) method.

© 2013 Elsevier B.V. All rights reserved.

### 1. Introduction

Elastography is an emerging medical imaging modality for detecting the abnormal changes in soft tissue via the assessment of tissue stiffness usually in terms of strain. It can be considered an alternative to manual palpation of tissue, practiced by physicians for primary clinical diagnosis. Generally, pathologic and stiffness changes in soft tissue are well-correlated, and therefore, abnormal changes in stiffness convey warning signs of diseases in organs like breast, liver, and prostate [9,17,18]. In quasi-static elastography, various strain estimation methods have been developed for the detection and classification of lesions and/or tissue pathology change. Some of them are gradient-based techniques [1,8,15,17,18,25] where the strain is typically computed as the spatial gradient of local tissue displacements, and some are direct-strain-estimation techniques [3,16,23] where the strain is directly

estimated from the pre- and post-compression RF echo waveforms or spectra.

The gradient-based strain estimators face challenges in maintaining displacement continuity due to pre- and post-compression echo decorrelation, and other noise artifacts [3,8,16]. The gradient operation over the displacement map further amplifies these high frequency noise while estimating strain [1,23]. To obtain a noise reduced strain map, a smoothing technique based on least-squares-linear-regression [13] or least-squared-error-based smoothing-spline [1] can be applied on the displacement matrix before the gradient operation. In addition, some of the recent methods designed to ensure displacement continuity (and thus strain continuity) use estimates from the previous window in estimating the interrogated window displacement [20–22,25]. In all these techniques, strain continuity is achieved only at the cost of lesion edge blurring along with the smoothing of the natural stiffness variation inside the lesion.

Noise in the strain map resulting from the derivative operation in the gradient-based methods can be avoided by using direct-strain-estimation methods that exist both in the time [3,11] and frequency domain [10,23]. Though these methods show better

\* Corresponding author at: Department of Electrical and Electronic Engineering, Bangladesh University of Engineering and Technology, Dhaka 1000, Bangladesh. Tel.: +880 2 966 5650.

E-mail address: [khasan@eee.buet.ac.bd](mailto:khasan@eee.buet.ac.bd) (M.K. Hasan).

SNRe performance than the gradient-based techniques, they also face challenges to ensure strain continuity among neighborhood due to echo decorrelation. To ensure strain continuity, in [10,11], a cost function is defined for an interrogated point on the strain map from its exponentially weighted neighboring window pre- and post-compression RF spectral sum-of-square-differences (SSD) or echo cross-correlation peaks, respectively, in both the axial and lateral directions. However, though lesion edge preservation while ensuring the strain continuity is of great importance, none of these techniques are intelligent enough to detect and preserve the lesion edge as well as its natural stiffness variation inside.

In this paper, we propose a lesion edge preserved direct average strain estimation (LEP-DASE) method for elastography. We modify the direct average strain estimation (DASE) technique proposed in [11] by introducing a built-in edge preservation criterion into the average strain estimating cost function. A modified scheme based on [14] is proposed here for lesion edge detection. The performance of this algorithm is evaluated using a FEM phantom, experimental phantom as well as *in vivo* patient data, and compared with other recently reported regularized strain estimation algorithms.

The paper is organized as follows. Section 2 describes the basic DASE and proposed LEP-DASE techniques. Section 3 presents the simulation and experimental results to demonstrate the strength of the proposed algorithm. Section 4 presents a discussion on the study and concluding remarks are given in Section 5.

## 2. Methods

### 2.1. Brief Review of the Direct Average Strain Estimation

The simplified 1-D model of the backscattered ultrasound RF signals before and after compression are given by [3]:

$$r_1(t) = s_1(t) + v_1(t) = s(t) * p(t) + v_1(t), \quad (1)$$

$$r_2(t) = s_2(t) + v_2(t) = s\left(\frac{t}{a} - t_0\right) * p(t) + v_2(t), \quad (2)$$

where  $s(t)$  denotes the 1-D scattering function of the elastic target,  $p(t)$  denotes the point-spread-function (PSF),  $a$  denotes the compression factor due to axial deformation of the target medium,  $t_0$  denotes the time delay,  $v_1(t)$  and  $v_2(t)$  denote the uncorrelated random noise profiles,  $r_1(t)$  and  $r_2(t)$  denote the pre- and post-compression rf echo signals, respectively, and  $*$  indicates the convolution operation. The strain  $s$  is related to the compression factor  $1/a$  as [4],  $s = 1 - a$  where  $a \leq 1$  and  $s \ll 1$ .

Hussain et al. [11] proposed a method for direct average strain estimation (DASE) using the weighted nearest neighbor method in order to compensate for the signal de-correlation due to non-axial motion of tissue scatterers and thereby to introduce a built-in smoothing feature in the strain estimation algorithm. Calculated strain from a pair of windowed RF segments for a particular tissue point is assumed to be similar to the strains in the neighboring tissues due to their physical proximity. This assumption, however, works well unless there is a sudden change in the tissue stiffness.

Let  $F_1(i, j)$  and  $F_2(i, j)$  are the pre- and post-compression ultrasound RF echo frames, respectively. Here,  $i$  is the axial depth index and  $j$  is the RF A-line index. An effective strain at a point  $(i_s, j_s)$  on the strain map can be estimated from a corresponding pair of 1-D windowed RF segments  $r_1^{(i_s, j_s)}$  and  $r_2^{(i_s, j_s)}$  selected from the pre- and post-compression ultrasound image frames as [11]

$$r_1^{(i_s, j_s)}(i) = F_1((i_s - 1)L_v + i, j), \quad \text{for } 1 \leq i \leq L_i \text{ and } j = j_s \quad (3)$$

$$r_2^{(i_s, j_s)}(i) = F_2(\text{round}((i_s - 1)(1 - s_{avg})L_v) + i, j), \quad \text{for } 1 \leq i \leq L_i$$

and  $j = j_s + \left(j_s - \frac{N_c}{2}\right)s_{avg}v$  (4)

where  $v$  represents the Poisson's ratio,  $N_c$  represents the number of scan lines in the RF frame,  $L_v$  is the axial separation between two successive RF windows in samples and  $L_i$  represents the length of the 1-D RF window. The assumption that the approximate applied strain  $s_{avg}$  is known a priori is a drawback of the DASE method [11]. In this paper, instead of assuming that  $s_{avg}$  is a known constant, we adaptively define it from the estimated previous window strain  $S_o(i_s - 1, j_s)$  as [6]

$$s_{avg} = \begin{cases} 0; & i_s = 1 \\ S_o(i_s - 1, j_s); & \text{otherwise.} \end{cases} \quad (5)$$

After stretching the post-compression echo segment  $r_2^{(i_s, j_s)}$  by a factor  $\alpha$  ( $\leq 1$ ), the normalized cross-correlation (NCC) coefficient  $\rho_\alpha(k)$  between  $r_1^{(i_s, j_s)}$  and  $r_\alpha^{(i_s, j_s)}$  is estimated as [19],

$$\rho_\alpha^{(i_s, j_s)}(k) = \frac{\sum_{i=1}^{L_i} r_1^{(i_s, j_s)}(i) \cdot r_\alpha^{(i_s, j_s)}(i+k)}{\sqrt{\sum_{i=1}^{L_i} \{r_1^{(i_s, j_s)}(i)\}^2 \sum_{i=1}^{L_i} \{r_\alpha^{(i_s, j_s)}(i)\}^2}}. \quad (6)$$

The peaks of  $\rho_\alpha^{(i_s, j_s)}(k)$  are calculated by using the cosine interpolation for different values of  $\alpha$ :

$$M_x(i_s, j_s) = \rho_\alpha^{(i_s, j_s)}\left(\arg \max_k \{\rho_\alpha^{(i_s, j_s)}(k)\}\right), \quad (7)$$

where  $M_x$  is a matrix that contains the NCC peaks. For average strain estimation, a cost function is defined as

$$J_\alpha^{(i_s, j_s)} = \sum_{i_0=i_s-L_a}^{i_s+L_a} \sum_{j_0=j_s-L_l}^{j_s+L_l} w^{(i_s, j_s)}(i_0, j_0) M_x(i_0, j_0), \quad (8)$$

where

$$w^{(i_s, j_s)}(i_0, j_0) = e^{-|\lambda_a(i_0 - i_s)| - |\lambda_l(j_0 - j_s)|}, \quad \text{for } i_s - L_a \leq i_0 \leq i_s + L_a; j_s - L_l \leq j_0 \leq j_s + L_l \quad (9)$$

Here,  $\lambda_a$  and  $\lambda_l$  are the weighting factors, and  $L_a$  and  $L_l$  are the nearest neighbor (NN) factors in the axial and lateral directions, respectively. The weight function  $w^{(i_s, j_s)}$  is defined in such a way so that the RF windows of increasing distance from the interrogated window are least "emphasized". However, there is no constraint incorporated for the lesion edge preservation in the cost function (Eq. (8)). Thus, instead of a sharp change in the strain profile, a slowly decaying nature of the estimated strain is seen at the lesion edge regions.

### 2.2. Lesion edge preserved direct average strain estimation (LEP-DASE)

In detecting an edge along a line of intensity pixels, we may face two types of pixels: the noise pixel and the edge pixel (Fig. 1). A noise pixel is one which has much higher or lower intensity than the adjacent pixels having similar intensities. The edge pixel is one which is either on an inclining slope or on a declining. From these topology, we can define the following necessary parameters [14]:

$$D_x = \begin{cases} |I_E - I_W| - \delta; & \text{if } |I_E - I_W| > \delta \\ 0; & \text{otherwise,} \end{cases} \quad (10)$$

$$A_x = \frac{1}{2}(I_E + I_W), \quad (11)$$

$$I'_{s,x} = \begin{cases} I_s - \frac{1}{2}D_x; & \text{if } I_s > A_x \\ I_s + \frac{1}{2}D_x; & \text{if } I_s \leq A_x, \end{cases} \quad (12)$$

$$P_x = I'_{s,x} - A_x, \quad (13)$$

where  $I_E$  and  $I_W$  represent the image intensity values at the east and west neighboring pixels,  $A_x$  represents the average of the neighbor-

Download English Version:

<https://daneshyari.com/en/article/1758970>

Download Persian Version:

<https://daneshyari.com/article/1758970>

[Daneshyari.com](https://daneshyari.com)