



Coherent nonlinear-optical energy transfer and backward-wave optical parametric generation in negative-index metamaterials

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ABSTRACT

The feasibility of all-optically tailored transparency of the negative-index slab, its extraordinary dependence on the intensity of the control field, absorption indices and phase-matching of the parametrically coupled counter-propagating waves is numerically simulated.

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1. Introduction

Negative-index (also known as negative phase velocity or left-handed) metamaterials (NIMs) form a novel class of electromagnetic media that promises revolutionary breakthroughs in photonics [1]. Significant progress has been achieved recently in the design of bulk, multilayered, plasmonic structures [2–5]. The majority of NIMs realized to date consist of metal-dielectric nanostructures, meta-atoms, that have highly controllable magnetic and dielectric responses. The challenge, however, is that these structures are strongly lossy. The losses may originate from a number of sources. Irrespective of their origin, losses constitute a major hurdle on the way to practical realization of unique applications of these structures in optics. Therefore, developing efficient loss-compensating techniques is of paramount importance. So far, the most common approaches to compensating losses in NIMs are related with the possibility to embed amplifying centers in the host matrix. The amplification is supposed to be provided through a population inversion between the levels of the embedded centers. Herein, we investigate alternative options based on coherent, nonlinear optical (NLO) energy transfer from the control optical field(s) to the signal through optical parametric amplification (OPA). Nonlinear optics in NIMs remains so far a less-developed branch of optics. On a fundamental level, the NLO response of nanostructured metamaterials is not completely understood or characterized. Never-

theless, it is well established that local-field enhanced nonlinearities can be attributed to plasmonic nanostructures, and some rough estimates of their magnitude can be made. The feasibility of crafting NIMs with strong NLO responses in the optical wavelength range has been experimentally demonstrated in Ref. [6]. Unusual properties of NLO propagation processes in NIMs, such as second-harmonic generation, three-wave mixing (TWM) and four-wave mixing (FWM) OPA, which are in a stark contrast with their counterparts in natural materials, were shown in [7–17]. Striking changes in the properties of nonlinear pulse propagation and temporal solitons [18], spatial solitons in systems with bistability [19–21], gap solitons [22], and optical bistability in layered structures including NIMs [23] were revealed. A review of some of the corresponding theoretical approaches is given in Refs. [24,25]. Herein, we describe basic principles and specific features of the proposed several techniques of compensating losses in NIMs based on nonlinear-optical propagation processes such as coherent three-wave and four-wave mixing in strongly absorbing media. Backwardness of one of the coupled waves (the signal), i.e., opposite direction of its phase velocity and energy flow which is intrinsic to NIMs, is the factor of crucial importance for the proposed techniques.

2. Compensating losses through three-wave-mixing energy-transfer from the control field to the negative-index signal

The basic idea is as follows. Three coupled optical electromagnetic waves with wave vectors $\mathbf{k}_{1,2,3}$ co-directed along the z axis propagate through a slab of thickness L with quadratic, TWM, magnetic [8] nonlinearity $\chi^{(2)}$. The outcomes do not change

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in the case of electric nonlinearity. Only two waves enter the slab, strong control field at ω_3 and weak signal at ω_1 , which then generate a difference-frequency idler at $\omega_2 = \omega_3 - \omega_1$. The idler contributes back to the signal through the similar TWM process, $\omega_1 = \omega_3 - \omega_2$, and thus provides OPA of the signal. The signal is assumed negative-index, $n(\omega_1) < 0$, and therefore backward wave (BW). This means that the energy flow \mathbf{S}_1 is antiparallel to \mathbf{k}_1 [Fig. 1(a)], which contrasts with the early proposals [26–28] and recent realization [29,30] of BWOP in PI materials. The idler and the control field are the ordinary waves with parallel $\mathbf{k}_{2,3}$ and $\mathbf{S}_{2,3}$ along the z axis. Consequently, the control beam enters the slab at $z=0$, whereas the signal at $z=L$. Since each point of the medium serves as a source for the generated wave in the backward direction, spatial distribution of the signal and the idler and their output values experience a set of “geometrical” resonances as the functions of gL , which is in stark contrast with those in the ordinary OPA schemes. Then the transmission factor for the backward-wave signal at $z=0$, T_{10} is given by [10,12]

$$T_{10} = \left| \frac{a_1(0)}{a_{1L}} \right|^2 = \frac{\exp\{-(\alpha_1/2 - s)L\}^2}{\cos RL + (s/R)\sin RL}. \quad (1)$$

Here $R = \sqrt{g^2 - s^2}$; $s = (\alpha_1 + \alpha_2)/4 - i\Delta k/2$, $g = (\sqrt{\omega_1\omega_2}/\sqrt{\epsilon_1\epsilon_2/\mu_1\mu_2})(8\pi/c)\chi^{(2)}h_3$, h_3 is amplitude of the control field which is assumed homogeneous through the slab, ϵ_j and μ_j are electric permittivity and magnetic permeability of the slab's material, $\alpha_{1,2}$ are absorption indices at corresponding frequencies. Besides g , a local NLO energy conversion rate for each of the waves is proportional to the amplitude of another coupled wave and depends on the phase mismatch $\Delta k = k_3 - k_2 - k_1$. Hence, the facts that the waves decay towards opposite directions cause a specific strong dependence of the entire propagation process and, consequently, of the transmission properties of the slab on the ratio of the decay rates. A typical plasmonic NIM slab absorbs about 90% of light at the frequencies which are in the NI frequency-range. Such absorption corresponds to $\alpha_1 L \approx 2.3$. The slab becomes transparent within the broad range of the

slab thickness and the control field intensity if the transmission in all minimums is about or more than 1. It appeared that such robust transparency can be achieved through the appropriate adjustment of the absorption indices $\alpha_2 \geq \alpha_1$ [16]. It is illustrated in Figs. 1(b)–(d). It is seen that the signal grows sharply with the approaching “geometrical” resonances, which indicates cavityless oscillations. Fig. 1(f) demonstrates another extraordinary possibility of eliminating the detrimental effect of the phase-mismatch by the modest increase of the amplitude of the control field. For $\chi^{(2)} \sim 80$ pm/V [11] and $P_3 \sim 15$ kW focused to the spot $\emptyset \sim 60\mu$, coupling parameter is estimated as $g \sim 1\mu^{-1}$.

3. Embedded nonlinearity

The above described features allow to propose and to optimize the feasibility of independently engineering the NI and the resonantly enhanced higher-order ($\chi^{(3)}$) NLO response of a composite metamaterial with embedded NLO centers (ions or molecules) [Fig. 2(a) and (b)]. The sample is illuminated by two control fields, E_3 and E_4 , so that the amplification of the NI signal, E_1 , and the generation of the counter-propagating PI idler, E_2 , [Fig. 2(c)] occur due to the FWM process $\omega_1 + \omega_2 = \omega_3 + \omega_4$. The transmission factor for the signal, $T_1(z=0)$ is still described by Eq. (1), where $g^2 = g_2^*g_1$, $g_j = \sqrt{|k_1k_2/\epsilon_1\epsilon_2|}2\pi\chi_j^{(3)}E_3E_4$, and $\Delta k = k_3 + k_4 - k_1 - k_2$ [13,17]. The schemes in Figs. 2(a) and (b) provide for opposite contributions to the NLO, absorption and refractive indices at ω_1 and ω_2 . Hence, according to Figs. 1(b)–(f), the transmission properties for the signal are expected different. All local parameters become strongly dependent on the intensity of the control fields [31] and can be tailored by means of quantum control.

The results of numerical simulations for the example of the scheme in Fig. 2(a) and fully resonant control fields are shown in Fig. 3. Linear and NLO local parameters attributed to the embedded centers are calculated by the density-matrix method

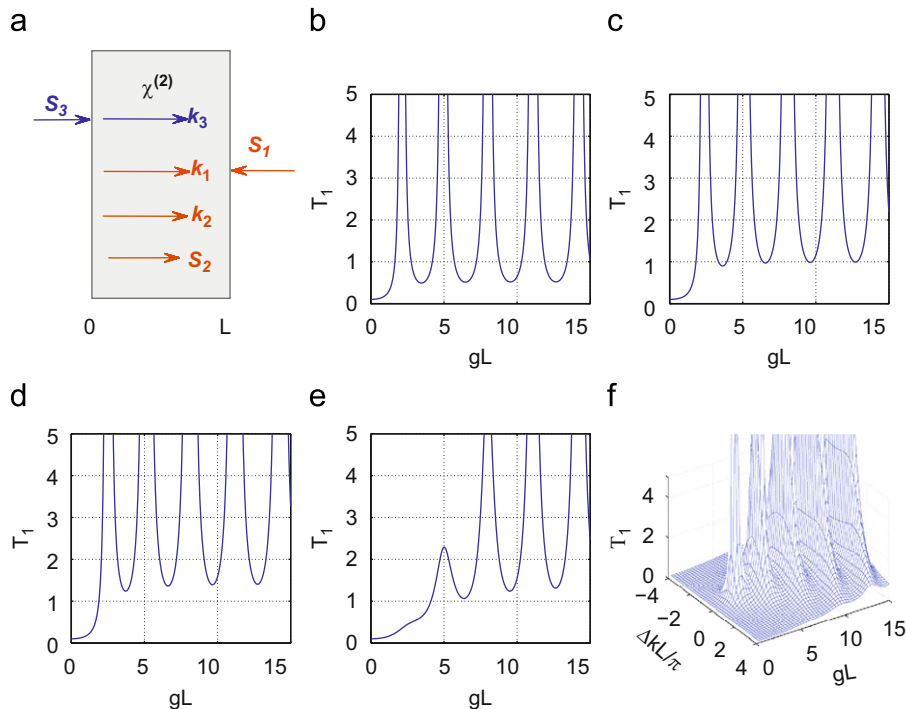


Fig. 1. (a) Coupling geometry. \mathbf{S}_1 — negative-index signal, \mathbf{S}_3 — positive-index control field, \mathbf{S}_2 — positive-index idler. (b)–(f) Transmission $T_1(z=0)$ of the signal at $\alpha_1 L = 2.3$ and different values of $\alpha_2 L$ and ΔkL . (b)–(d) $\Delta k = 0$. (b) $\alpha_2 L = 1$; (c) $\alpha_2 L = 2.3$; (d)–(f) $\alpha_2 L = 3$; (e) $\Delta kL = \pi$.

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