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## A low loss superconducting filter with four states based on symmetrical interdigital-loaded structure



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#### a r t i c l e i n f o

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#### **1. Introduction**

High-temperature superconducting (HTS) microstrip filters with low insertion loss and sharp skirt rejection have been applied in mobile communication systems to enhance the receiving performance. Many types of filters, such as ultra-narrow passband filter [\[1\],](#page--1-0) wide-stopband passband filter [\[2\],](#page--1-0) multi-band filter [\[3,4\]](#page--1-0) and so on, have been reported, realized with HTS thin films.

Among them, reconfigurable filters play an important part in wireless communication systems as well as reconfigurable systems. The reconfigurable filters have low losses with relatively compact structures. They are required to work at different frequencies at different time, and to cooperate with the whole reconfigurable system. Thus, it is of importance to keep the filter with similar inband responses, or rather similar  $S_{11}$  and  $S_{21}$  curves, at all the working frequencies. Basically, it seems as if the  $S_{11}$  curve of the filter is just moved to the other working frequencies with slight change. However, the in-band responses of reconfigurable filters usually change worse and worse, when the working frequency is far away from the fundamental frequency. Reported reconfigurable filters always have low pole numbers, limited tuning range and unsatisfactory return losses [\[5–11\].](#page--1-0) So far, it is still difficult to design high-order low-loss reconfigurable filters with similar in-band responses of different states.

This paper presents a kind of symmetrical interdigital-loaded microstrip structure. This structure can be applied to design filters

#### A B S T R A C T

This paper presents a new symmetrical interdigital-loaded microstrip structure. The symmetrical structure can be applied to design a filter that can work at different frequencies. The filter has similar in-band response at each working frequency with low insertion loss. Based on the proposed structures, a low-loss six-pole high temperature superconducting (HTS) filter with four different working states is designed and fabricated. The center frequency of the filter can be tuned discretely from 1.382 GHz to 1.193 GHz. All four states have similar in-band characters, whereas the insertion losses are less than 0.3 dB. The measured results are consistent with the simulations.

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which can work at different frequencies with similar in-band characters. The structure consists of a symmetrical tuning part, which includes a series of interdigital capacitors, and a main part that determines the working frequency range of the filter. Based on the proposed structure, a six-pole HTS filter is designed and fabricated. The filter's layout is shown in [Fig.](#page-1-0) 1. The filter has four different working frequencies, just like a reconfigurable one. The center frequencies can be tuned discretely from 1.382 GHz to 1.193 GHz, with the relative unchanged bandwidth of approximately 1.8%. Similar in-band response, including  $S_{11}$  and  $S_{21}$  curves are achieved in such a high-order filter with different states. Besides, the return loss in the entire tuning range is higher than 14 dB, whereas the insertion loss is less than 0.3 dB. The measured results agree well with the simulations.

#### **2. Analysis and design of the Filter**

#### *2.1. Model of the symmetrically reconfigurable method*

Filters are commonly designed based on the coupling matrix method, which includes the coupling matrix of coupling coefficients  $M_{i,i+1}$  and external  $Q_e$ . The coupling matrix can accurately describe the filter's in-band and out-band responses, or  $S_{11}$  and  $S_{21}$ curves.  $M_{i,i+1}$  and the external  $Q_e$  are all functions of the fractional bandwidth (FBW) of a filter according to the said method [\[12\].](#page--1-0) The center frequency  $f_0$  varies in a range in a reconfigurable filter, whereas the absolute bandwidth always changes. Maintaining the  $S_{11}$  curve unchangeable indicates that  $M_{i,i+1}$  and  $Q_e$  should also remain unchangeable during the state tuning. In other words

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**Fig. 2.** (a) Simplified equivalent circuit model of the symmetrical tuning method. (b) Layout of the proposed symmetrical resonator.

 $M_{i,i+1}$  and  $Q_e$  should be independent of  $f_0$  as follows:

$$
\frac{\partial Q_e}{\partial f_0} = 0 \tag{1}
$$

$$
\frac{\partial M_{i,j+1}}{\partial f_0} = 0
$$
 (2)

Besides, the FBW of the filter is also a constant. In particular:

$$
\frac{\partial FBW}{\partial f_0} = 0, \quad \text{or} \quad \frac{\partial BW}{\partial f_0} = \text{constant} \tag{3}
$$

Thus, if a reconfigurable filter with similar in-band responses works at different frequencies, its FBW does not change.

Increasing quantity of resonators results in a more susceptible in-band response of the filter. The incalculable changes happened at the complex  $S_{11}$  and  $S_{21}$  curves make it difficult to design highorder low-loss reconfigurable filters. Thus, a fixed internal coupling and external *Qe* must be achieved.

A symmetrical interdigital-loaded microstrip structure is proposed to achieve the fixed internal coupling. Technically, loading a variable capacitor between the ground and one end of the resonator is often applied to tune the center frequency. In the proposed symmetrical method, two equal variable capacitors are loaded at both ends of each resonator. The simplified equivalent circuit is shown in Fig. 2(a).  $C_2$  is equal to  $C_1$  and  $L_3$  is equal to  $L_1$ at any time in this case. The resonator's center frequency changes by adjusting  $C_1$  and  $C_2$  simultaneously. However, the current distribution near the resonator's midpoint does not move because the  $C_2$  and  $C_1$  are absolutely the same. Furthermore, the resonator is completely symmetrical by the midpoint because  $L_3$  is equal to  $L_1$ . Since the current distribution in the middle part  $(L_2)$  only slightly changes upon tuning, magnetic coupling, instead of electrical coupling, should be applied between resonators. The coupling coefficient between adjoining resonators only slightly changes among different states in this symmetrical design, as shown in [Fig.](#page--1-0) 4.

The working frequency range of the filter rests with  $L_1 + L_2 + L_3$ in Fig. 2(a).  $L_2$  and *D* determine the range of the coupling coefficient, which depends on the filter FBW.  $C_1 + C_2$ , which is equal to  $2 \times C_1$ , determine the width of the tuning range. These parameters can be adjusted independently, and thus, in theory, the model of



**Fig. 3.** Center frequencies of all states change with the length of IDCs.

the symmetrical resonator is suitable for different types of filters with different working frequency.

#### *2.2. Design of the symmetrical resonator*

Ying [\[13\]](#page--1-0) proposed a HTS reconfigurable resonator loaded with a HTS IDC array at the end of a microstrip to minimize the loss in the HTS reconfigurable filter. The resonator achieves a series of states with different center frequencies. Instead of the common variable capacitors, IDC arrays are applied to decrease the insertion loss.

A symmetrical interdigital-loaded resonator is proposed in this work, as shown in Fig. 2(b). The resonator consists of the main part, tuning part, and bonding part. The main part includes  $l_1$ ,  $l_2$ , and  $l_3$ , which are almost equivalent to  $L_1 + L_2 + L_3$  in Fig. 2(a) and determine the resonator's center frequency. For compactness,  $l_1$  and  $l_3$  are designed to be spiral-in-spiral-out microstrip lines. *l*<sub>2</sub> provides the magnetic coupling between adjoining resonators. The tuning part consists of parallel IDCs (i.e., IDC<sub>1</sub> and IDC<sub>2</sub>) at both ends of the resonator. The equivalent capacitance  $C_{IDC1 + IDC2}$ is equivalent to  $C_1$  or  $C_2$  in Fig. 2(a), which is determined by the finger number and the IDC length. The bonding part is made up of a series of bonding blocks, which can be connected to the ground by bonding wires. By connecting none IDCs, or single  $IDC<sub>1</sub>$ , or single IDC<sub>2</sub>, or both IDCs, to the ground, separately, four different working states are realized, named as states (00), (01), (10), and (11), respectively. The state of filter when  $IDC<sub>1</sub>$  is connected to the ground is named (01). And the one when  $IDC<sub>2</sub>$  is connected to the ground is named (10). The state (11) is realized when both  $IDC<sub>1</sub>$ and IDC<sub>2</sub> are connected to the ground. By changing the distance between IDC1 and IDC2, the frequencies of all four states can be tuned with different degrees. Hence the (11) state can be slightly tuned as well.

The whole tuning range is adjustable by changing the length *s* of the IDC, as shown in Fig. 2(b). When *s* increases, the center frequency of each state decreases in a similar trend, and the range of the four states increases accordingly, as shown in Fig. 3. When *s* is changed from 1.5 mm to 4.4 mm, the tuning range increases from 7% to 19%.

A simulated result on the comparison of the coupling coefficient among different states is shown in [Fig.](#page--1-0) 4. This figure demonstrates that the coupling coefficient between two adjoining resonators only slightly changes among different states. Thus, Eq. (2) is approximately satisfied.

#### *2.3. Design of the filter*

An L-band six-pole HTS filter is designed using the symmetrical interdigital-loaded resonator. Its layout is shown in Fig. 1. The Download English Version:

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