

Contents lists available at ScienceDirect

### Radiation Physics and Chemistry

journal homepage: www.elsevier.com/locate/radphyschem



# Measurements of radiative vacancy transfer probabilities from $L_3$ subshells to M, N and O shells and subshells in the atomic range $72 \le Z \le 92$

F. Tuzluca <sup>b</sup>, Ö. Söğüt <sup>a,\*</sup>, E. Büyükkasap <sup>b</sup>, B.G. Durdu <sup>a</sup>, A. Küçükönder <sup>a</sup>

#### ARTICLE INFO

Article history: Received 12 May 2008 Accepted 14 May 2008

Keywords: X-ray Intensity ratio Vacancy transition Fluorescence yield and radiative transition

#### ABSTRACT

The probabilities of vacancy transfer,  $\eta_{L3M}$ ,  $\eta L_3 M_4$ ,  $\eta L_3 M_5$ ,  $\eta_{L3N}$ ,  $\eta L_3 N_1$ ,  $\eta L_3 N_4$ ,  $\eta L_3 N_5$ ,  $\eta L_3 N$ 

© 2008 Elsevier Ltd. All rights reserved.

#### 1. Introduction

When a vacancy is created in the L shell by either the primary excitation X-ray or by the previous event, an electron from the M or N shell "jumps in" to occupy this vacancy. In this process, atom emits a characteristic X-ray unique to this element and, in turn, produces a vacancy in the M, N and O shells (McGuire, 1971). When an atom has been ionized, an inner-shell radiative or Auger transitions occurs. Knowledge of vacancy transfer is important for the study of such processes as nuclear electron capture, internal conversion of  $\gamma$ -rays, photoelectric effect, characteristic X-ray production, radiative and radiationless transition probabilities (McGuire, 1971).

Söğüt (2006) has obtained the experimental values of the vacancies transfer probabilities from K to L and M shell in the  $Cr_xNi_{1-x}$  and  $Cr_xAl_{1-x}$  alloys using  $^{241}$ Am a radioactive source. Rao et al. (1972) have acquired the theoretical values of the vacancy transfer probabilities from  $L_i$  to M,  $\eta_{\text{LiM}}$  (i=1, 2, 3) for the elements in the atomic region  $26 \leqslant Z \leqslant 92$ . The values of  $L_i$ -to-M-shell vacancy transfer probabilities,  $\eta_{\text{LiM}}$ , for eight elements in the atomic number region  $50 \leqslant Z \leqslant 90$  were reported by (McGuire, 1971). Puri et al. (1993a, b) have evaluated K- to L-shell and L- to M-shell vacancy transfer probabilities for elements in the atomic number range  $37 \leqslant Z \leqslant 42$  and  $18 \leqslant Z \leqslant 96$ , respectively. In addition, Puri et al. (1993b) have computed values and fitted them versus atomic number Z values and fitted coefficients for vacancy

transfer probabilities of K to  $L_1$ , K to  $L_2$ , K to  $L_3$ , K to L (average), L<sub>1</sub> to M, L<sub>2</sub> to M and L<sub>3</sub> to M shells. Ertugrul et al. (1997a) have measured the radiative vacancy transfer probabilities from the K to L<sub>2</sub>, L<sub>3</sub> subshell and to M shell in the atomic regions  $69 \le Z \le 92$ . Scofield (1974a) has calculated radiative decay rates of L-shell vacancy states using relativistic Hartree-Fock solutions for a set of elements Z = 18-94 in their initial and final states. Besides, Scofield (1974b) has made the same calculations for K X-ray emission rates. The K and L X-ray emission rates in the atomic number range  $5 \le Z \le 104$  were calculated using relativistic Hartree-Slater theory by Scofield (1974c). Bonzi (2006) has determined the radiative vacancy transfer probabilities from L<sub>3</sub> to M shell,  $\eta_{L3M}$  (R) and L<sub>3</sub> to N shell,  $\eta_{L3N}$  (R) for W, Re and Pb. Simsek (2002) has reported the probabilities,  $\eta_{L3I}(R)(J=M, N)$  and higher shells), for Pb, Th and U, deduced using the measured L<sub>3</sub> subshell X-ray intensities from the targets excited by K X-ray of Rb, Nb and Mo secondary exciters used in combination with <sup>241</sup>Am source. The method used for the estimation of additional contribution to the L3 subshell X-rays due to excitation by the scattered 59.5-keV photons is not trustworthy (Kumar et al., 2005). Kucukonder et al. (2004) have measured L X-ray fluorescence cross-sections, and intensity ratios for elements in the atomic range  $70 \le Z \le 92$  at the excitation energy 59. 5 keV using a Si (Li) detector. Therefore, there are a lot of works concerning with this area (Sharma et al., 2005; Ertugrul, 2001, Ertugrul, 2003; Dogan and Ertugrul, 2004 and Ozdemir et al., 2005). K shell X-ray production cross-section and K to L-and M-shell radiative vacancy transfer probabilities for Nd, Eu, Gd, Dy and Ho at excitation with 59.5-keV photons in an external magnetic field have been measured by Demir and Şahin (2007).

<sup>&</sup>lt;sup>a</sup> Faculty of Science and Letters. Department of Physics. Kahramanmaras Sütcü İmam University. 46100 Kahramanmaras. Turkey

<sup>&</sup>lt;sup>b</sup> Department of Physics, Faculty of Science and Letters, Erzincan University, Erzincan, Turkey

<sup>\*</sup> Corresponding author. E-mail address: os4fg@yahoo.com (O. Söğüt).

In this study, the vacancy transfer probabilities from L<sub>3</sub> subshell to M, N and O shells and subshells for the elements Hf, Ta, W, Re, Pt, Au, HgO, Tl, Pb, Bi, Th, U have been evaluated using L shell fluorescence yields and X-ray intensity ratios.

#### 2. Experimental procedure

A typical experimental setup are shown in Fig. 1. The samples were excited with 59.5-keV γ-photons emitted from a 75 mCi <sup>241</sup>Am source. Spectroscopically pure samples of Hf, Ta, W, Re, Pt, Au, HgO, Tl, Pb, Bi, Th, U of thickness ranging  $37 \times 10^{-3}$ –553  $\times 10^{-3} \,\mathrm{g \, cm^{-2}}$  have been used. The purity of commercially obtained specimens was better than 99.9%. In order to minimize the matrix effects, all powder samples were sieved to 400 mesh and supported on Mylar film. The L X-rays emitted from the samples were detected with a Si(Li) detector (FWHM = 155 eV at 5.96 keV, active area =  $12.5 \text{ mm}^2$ , sensitivity depth = 3.5 cm, Be window thickness =  $12.5 \,\mu\text{m}$ ) and coupled to S 100 card with ADC and spectroscopy amplifier. The L X-rays were counted at the emission angle of 90° because the anisotropic emissions of L<sub>3</sub> Xrays (L<sub>l</sub>, L<sub> $\alpha$ </sub> and L<sub>3 $\beta$ </sub>) at angles smaller and greater than 90° are shown to compensate one another (Mann et al., 1994; Ertugrul et al., 1997b). The experimental intensity ratios have been obtained by using the following equations (Baydas et al., 2001).

$$\frac{\mathrm{IL}\beta}{\mathrm{IL}\alpha} = \frac{N(\mathrm{L}\beta)\varepsilon(\mathrm{L}\alpha)\beta(\mathrm{L}\alpha)}{N(\mathrm{L}\alpha)\varepsilon(\mathrm{L}\beta)\beta(\mathrm{L}\beta)} \tag{1}$$

$$\frac{\mathrm{IL}\beta}{\mathrm{IL}\iota} = \frac{N(\mathrm{L}\beta)\varepsilon(\mathrm{L}\iota)\beta(\mathrm{L}\iota)}{N(\mathrm{L}\iota)\varepsilon(\mathrm{L}\beta)\beta(\mathrm{L}\beta)} \tag{2}$$

$$\frac{\mathrm{IL}_{l}}{\mathrm{IL}\alpha} = \frac{N(\mathrm{L}_{l})\varepsilon(\mathrm{L}\alpha)\beta(\mathrm{L}\alpha)}{N(\mathrm{L}\alpha)\varepsilon(\mathrm{L}_{l})\beta(\mathrm{L}\alpha)} \tag{3}$$

$$\frac{\text{IL}_{l}}{\text{IL}\beta} = \frac{N(\text{L}_{l})\varepsilon(\text{L}\beta)\beta(\text{L}\beta)}{N(\text{L}\beta)\varepsilon(\text{L}_{l})\beta(\text{L}_{l})} \tag{4}$$

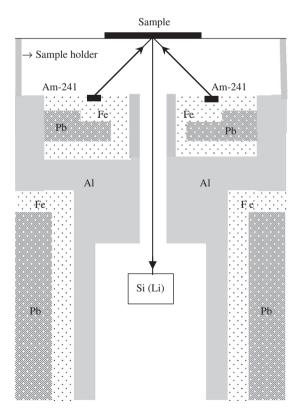


Fig. 1. A typical experimental setup.

NL $\beta$ /NLi  $(i=\alpha,\ \iota)$  represents the ratio of the counting rates under the L $\alpha$  and Li peaks.  $\beta$ L $\beta$ / $\beta$ Li  $(i=\alpha,\ \iota)$  is the ratio of the self-absorption correction factor of the target for L $\beta$  and Li and  $\epsilon$ L $\beta$ / $\epsilon$ Li  $(i=\alpha,\ \iota)$  is the ratio of the detector efficiency values of L $\beta$  and Li X-rays, respectively. The other ratios have the same meaning as mentioned above. In addition, the L $_3$  subshell cross-section and fluorescence yield have been calculated using the following equations (Ertugrul et al., 1997a):

$$\sigma_{L_i} = \frac{I_{L_i}}{I_0 G_{\mathcal{E}_{L_i}} \beta_{L_i} t} \quad (i = \iota, \alpha, \beta)$$
 (5)

$$\sigma_{L_3}^{\chi} = \frac{\sigma_{L\chi}}{F_{2\gamma}} \tag{6}$$

To calculate the  $L_3$  subshell fluorescence yield (Ertugrul et al., 1997a) the following equation was used:

$$\omega_{3} = \frac{\sigma_{L_{3}}^{x}}{\sigma_{3} + \eta_{KL_{3}}\sigma_{K} + (\sigma_{2} + \eta_{KL_{2}}\sigma_{K})f_{23} + (\sigma_{1} + \eta_{KL_{1}}\sigma_{K})(f_{13} + f_{12}f_{23})}$$
(7)

But the stimulating source cannot excite K shell of sample. Therefore, at this state the following equation has been used (Dogan and Ertugrul, 2004):

$$\omega_3 = \frac{\sigma_{L_3}^{\chi}}{\sigma_3 + \sigma_2 f_{23} + \sigma_1 (f_{13} + f_{12} f_{23})}$$
 (8)

The experimental radiative vacancy transfer probabilities from  $L_3$  subshell to M, N and O subshells have been obtained by using the following equations (Dogan and Ertugrul, 2004):

$$\eta_{L_{3}M} = \omega_{3} \left[ \left( 1 + \frac{I_{L\alpha}}{I_{L\iota}} + \frac{I_{L\beta}}{I_{L\iota}} \right)^{-1} + \left( 1 + \frac{I_{L\iota}}{I_{L\alpha}} + \frac{I_{L\beta}}{I_{L\alpha}} \right)^{-1} \right]$$
(9)

$$\eta_{L_{3}N} = \omega_{3} \left( 1 + \frac{I_{L_{I}}}{I_{L\beta}} + \frac{I_{Lz}}{I_{L\beta}} \right)^{-1} \left[ \left( 1 + \frac{I_{L\beta_{2,15}}}{I_{L\beta_{6}}} + \frac{I_{L\beta_{5,7}}}{I_{L\beta_{6}}} \right)^{-1} + \left( 1 + \frac{I_{L\beta_{6}}}{I_{L\beta_{2,15}}} + \frac{I_{L\beta_{5,7}}}{I_{L\beta_{2,15}}} \right)^{-1} \right]$$

$$(10)$$

$$\eta \mathbf{L}_{3}\mathbf{M} = \omega_{3} \left[ 1 + \frac{\mathbf{I}\mathbf{L}_{t}}{\mathbf{I}\mathbf{L}_{\beta}} + \frac{\mathbf{I}\mathbf{L}_{3z}}{\mathbf{I}\mathbf{L}_{1}} \right]^{-1} \tag{11}$$

$$\eta L_3 M_4 = \omega_3 \frac{\Gamma L_{z2}}{\Gamma L_z} \left[ 1 + \frac{IL_l}{IL_z} + \frac{IL_{3\beta}}{IL_z} \right]^{-1}$$
(12)

$$\eta L_3 M_5 = \omega_3 \frac{\Gamma L_{\alpha 1}}{\Gamma L_{\alpha}} \left[ 1 + \frac{IL_l}{IL_{\alpha}} + \frac{IL_{3\beta}}{IL_{\alpha}} \right]^{-1}$$
 (13)

$$\eta L_3 N_1 = \omega_3 \frac{\Gamma L_{\beta 6}}{\Gamma L_{3\beta}} \left[ 1 + \frac{IL_{\alpha}}{IL_{3\beta}} + \frac{IL_l}{IL_{3\beta}} \right]^{-1} \tag{14}$$

$$\eta L_{3} N_{4} = \omega_{3} \frac{\Gamma L_{\beta 15}}{\Gamma L_{3\beta}} \left[ 1 + \frac{IL_{\alpha}}{IL_{3\beta}} + \frac{IL_{l}}{IL_{3\beta}} \right]^{-1}$$
 (15)

$$\eta L_{3} N_{5} = \omega_{3} \frac{\Gamma L_{\beta 2}}{\Gamma L_{3\beta}} \left[ 1 + \frac{IL_{\alpha}}{IL_{3\beta}} + \frac{IL_{l}}{IL_{3\beta}} \right]^{-1}$$
 (16)

$$\eta \mathbf{L}_{3} \mathbf{O}_{1} = \omega_{3} \frac{\Gamma \mathbf{L}_{\beta 7}}{\Gamma \mathbf{L}_{3\beta}} \left[ 1 + \frac{\mathbf{I} \mathbf{L}_{\alpha}}{\mathbf{I} \mathbf{L}_{3\beta}} + \frac{\mathbf{I} \mathbf{L}_{l}}{\mathbf{I} \mathbf{L}_{3\beta}} \right]^{-1}$$

$$\tag{17}$$

$$\eta L_{3}O_{4,5} = \omega_{3} \frac{\Gamma L_{\beta 5}}{\Gamma L_{3\beta}} \left[ 1 + \frac{IL_{\alpha}}{IL_{3\beta}} + \frac{IL_{l}}{IL_{3\beta}} \right]^{-1}$$
(18)

where  $\omega_3$  is  $L_3$  subshell fluorescence yield and  $IL_i/IL_j$  is the ratio of intensities of  $L_i$  and  $L_j$  X-rays (Dogan and Ertugrul, 2004). In addition,  $IL_{3\beta}$ ,  $IL_{\beta2}$ ,  $IL_{\beta5}$ ,  $IL_{\beta7}$ ,  $IL_{\beta15}$  and  $IL_{\beta6}$  have been semi-empirically computed by the following equations (Dogan and

#### Download English Version:

## https://daneshyari.com/en/article/1883618

Download Persian Version:

https://daneshyari.com/article/1883618

<u>Daneshyari.com</u>