### Pharmacokinetics, Pharmacodynamics and Drug Metabolism

## Advancing Prediction of Tissue Distribution and Volume of Distribution of Highly Lipophilic Compounds from a Simplified Tissue-Composition-Based Model as a Mechanistic Animal Alternative Method

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**ABSTRACT:** It has been reported that values of tissue-plasma ratios  $(K_p)$  and resulting volume of distribution at steady state  $(V_{ss})$  are substantially overpredicted for several highly lipophilic drugs. This effect was observed particularly with the published version of the tissuecomposition-based model, which used experimentally determined unbound fraction in plasma  $(fu_p)$  as input for drugs. The reasons for the unreasonably high  $V_{ss}$  predictions were investigated in this study for 14 highly lipophilic compounds with a log n-octanol-water partition coefficient (log  $P_{ow}$ ) of at least 5.8. Here, we argue that the experimentally determined fu<sub>p</sub> is inaccurate for these compounds, which affected the prediction of  $K_{\rm p}$  and  $V_{\rm ss}$ . Alternatively, the tissueplasma ratio of neutral lipids (nl) equivalent was used as the main factor governing  $K_{\rm p}$ , and hence  $V_{\rm ss}$ , in addition to log  $P_{\rm ow}$ . The average fold error of deviation between the predicted and observed human  $V_{\rm ss}$  is 124 for the published model, whereas it significantly decreased to 1.5 for the proposed model. The sensitivity analysis confirmed the importance of nl content and drug lipophilicity. Overall, this study proposes a generic and simplified tissue-composition-based model for highly lipophilic drugs and chemicals, which is a step forward toward improving prediction of  $V_{\rm ss}$  into physiologically based pharmacokinetic (PBPK) models. © 2012 Wiley Periodicals, Inc. and the American Pharmacists Association J Pharm Sci 101:2250-2261, 2012 Keywords: animal alternative; ADME; disposition; distribution; volume of distribution; pharmacokinetics; protein binding; unbound fraction; PBPK; first-time-in-human

#### INTRODUCTION

The volume of distribution at steady state  $(V_{ss})$  and clearance processes characterize the disposition of drugs. Thus, the estimation of  $V_{ss}$  is essential. An approach that has gained popularity in recent years is to use *in vitro* and physicochemical data for a particular compound to estimate its tissue-plasma ratio

Correspondence to: Patrick Poulin (Telephone: +418-802-3985; E-mail: patrick-poulin@videotron.ca); Sami Haddad (E-mail: sami.haddad@unomtreal.ca)  $(K_{\rm p})$  and by accounting for the volumes of different tissues and their composition.<sup>1–19</sup> This information is integrated in a physiological manner to predict  $V_{\rm ss}$  of a compound referring to plasma pharmacokinetics (Eq. 1)<sup>7,16,20</sup>:

$$V_{\rm ss} = (\Sigma V_{\rm t} \times K_{\rm p}) + V_{\rm p} \tag{1}$$

where V is the fractional body volume (L/kg), t is tissue, and p is plasma. By definition,  $K_p$  is the numerical value representing the ratio of concentration in tissues and plasma at equilibrium. There is a conceptual difference between chemicals and drugs because the traditional tissue-composition-based equations in the literature predict tissue partitioning of chemicals on the basis of total concentration (i.e.,  $K_p$ ), whereas the most advanced equations predict tissue

**Abbreviations used:**  $fu_p$ , unbound fraction in plasma;  $fu_t$ , unbound fraction in tissue; nl, neutral lipids; apl, acidic phospholipids; *I*, ionization term;  $K_p$ , tissue–plasma ratio;  $K_{pu}$ , tissue–plasma ratio for the unbound drug;  $P_{ow}$ , *n*-octanol–water PC;  $P_{vow}$ , vegetable oil–water PC; PC, partition coefficient; PCB, polychlorinated biphenyl;  $V_{ss}$ , volume of distribution at steady state.

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partitioning of drugs principally for the unbound concentration (i.e., the tissue-to-water partitioning;  $K_{\rm pu}$ ).<sup>1-19</sup> The later provides  $K_{\rm p}$  estimates from the product of  $K_{\rm pu}$  and unbound fraction in plasma (fu<sub>p</sub>).

It has been reported that the resulting values of  $V_{\rm ss}$ was substantially overpredicted by using the tissuecomposition-based model for highly lipophilic drugs, which have a log *n*-octanol-water (log  $P_{ow}$ ) partition coefficient (PC) greater than 5.8.<sup>2,20</sup> However, initial validations of such model contained few drugs of high lipophilicity. Nevertheless, there are a number of possible reasons that may explain the inaccuracies with  $V_{\rm ss}$  of highly lipophilic drugs. Among the most probable reasons are significant errors in experimental assessment of essential input parameters on physicochemical properties (e.g.,  $\log P_{ow}$ ) and/or fu<sub>p</sub>. This was illustrated by a simulation conducted with the tissuecomposition-based model, where both the total and unbound  $V_{\rm ss}$  increased exponentially when the value of log  $P_{\rm ow}$  exceeds the range 3–6.<sup>16</sup> The general perception behind the tissue-composition-based model is a proportional increase in  $K_{\rm p}$  values, and hence  $V_{\rm ss}$ , as a function of lipophilicity.<sup>16</sup> However, it might be that this effect may not be entirely true above a certain log Pow value.7,18,19

In this context, some comparisons of observed adipose  $K_{\rm p}$  versus log  $P_{\rm ow}$  have indicated that  $K_{\rm p}$ , and hence  $V_{\rm ss}$ , might not increase exponentially with log  $P_{\rm ow}$ , but might plateau instead. This has been actually demonstrated in environmental sciences with respect to the  $K_p$  of adipose tissue of highly lipophilic neutral pollutants.<sup>18</sup> In the case of adipose tissue, it is not the adipose tissue per se that accounts for chemical storage, but rather its neutral lipid (nl) portion. Because the distribution in the nl equivalent is likely to be the same for adipose tissue lipids and blood lipids, it has been demonstrated that the adipose  $K_{\rm p}$  values is relatively equal to the ratio of lipid content between the adipose tissue and blood under in vivo conditions for several highly lipophilic pollutants.<sup>18</sup> This observation suggests that there is a theoretical upper limit of the  $K_p$  value of both the nonadipose and adipose tissues, and hence of  $V_{\rm ss}$  value, for highly lipophilic organic compounds.  $^{7,18,19}$ 

As highly lipophilic drugs tend to be commonplace in discovery and development, improvement in prediction methods of tissue distribution would be advantageous. Therefore, the reasons for the unreasonable overpredictions of  $V_{\rm ss}$  for highly lipophilic drugs were investigated. This study basically intended to demonstrate that  $K_{\rm p}$  and  $V_{\rm ss}$  values might be restricted by the physiology above a certain log  $P_{\rm ow}$  value.

#### **METHODS**

The overall strategy is divided into four steps. The first step consists of presenting the original tissuecomposition-based model. The second step presents the simplified (adjusted) model to reflect the limitations of  $K_p$  and  $V_{ss}$  by the physiology, and the third step evaluates the performance of both the published and simplified model using the same dataset of highly lipophilic compounds. Finally, a sensitivity analysis is presented to demonstrate the importance of the physicochemical properties ( $P_{ow}$ ), binding parameters (fu<sub>p</sub>), and tissue partitioning ( $K_p$ ) reflective of specific mechanistic determinants relevant to prediction of  $V_{ss}$  values of highly lipophilic drugs and chemicals.

#### Presentation of the Original Tissue-Composition-Based Model

A model unifying the principles of different tissuecomposition-based models was used for the purpose of this study.<sup>3,4</sup> In other words, the unified model adequately reproduced the values predicted previously by diverse tissue-composition-based models published in the literature either based on  $K_{pu}$  or  $K_{p}$  data. The overall  $K_{p}$  is determined by the ratio between fu<sub>p</sub> and the unbound fraction for a tissue (fu<sub>t</sub>). Therefore, the partitioning into each matrix is determined from a combination of drug distribution in the water spaces, specific binding to proteins and acidic phospholipids (apl), and nonspecific binding to nl equivalent at equilibrium<sup>3,4</sup> (Eqs. 2 and 3):

$$fu_{p} = \begin{cases} (1+I_{w}) / (1+I_{up}) \cdot F_{up} + P_{nlw} \cdot F_{nlp} \\ + I_{up} \cdot P_{qplw} \cdot F_{qplp} \\ + (1+I_{up}) \cdot P_{prw} \cdot F_{prp} \end{cases}$$
(2)  
$$fu_{t} = \begin{cases} (1+I_{w}) / (1+I_{wt}) \cdot F_{wt} + P_{nlw} \cdot F_{nlt} \\ + I_{t} \cdot P_{qplw} \cdot F_{qplt} \\ + (1+I_{wt}) \cdot P_{prw} \cdot F_{prt} \end{cases}$$
(3)

where  $F_{\rm w}$  is the fractional volume of water equivalent,  $F_{\rm nl}$  is the fractional volume of nl equivalent,  $F_{\rm apl}$ is the fractional volume of apl,  $F_{\rm pr}$  is the fractional volume of binding proteins,  $I_{\rm w}$  is the ionization term for the water (aqueous) phase in tissue or extracellular water,  $P_{\rm nlw}$  is nl-water PC,  $P_{\rm aplw}$  is apl-water PC, and  $P_{\rm prw}$  is protein-water PC. Accordingly, the value of  $K_{\rm p}$  was obtained by the ratio of fu<sub>p</sub> and fu<sub>t</sub> at the organ level (Eq. 4)<sup>3,4</sup>:

$$Kp = \begin{cases} (1+I_{wt}) \cdot F_{wt} + P_{nlw} \\ \cdot F_{nlt} + I_{wt} \cdot P_{aplw} \\ \cdot F_{aplt} + (1+I_{wt}) \\ \cdot P_{prw} \cdot F_{prt} \end{cases} / \begin{pmatrix} (1+I_{up}) \cdot F_{up} + P_{nlw} \\ \cdot F_{nlp} + I_{up} \cdot P_{aplw} \\ \cdot F_{aplp} + (1+I_{up}) \\ \cdot P_{prw} \cdot F_{prp} \end{cases}$$

$$(4)$$

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