



Modelling impact behaviour of all-cellulose composite plates



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ABSTRACT

All-cellulose composites (ACCs) are entirely manufactured from cellulose, resulting a fully biodegradable material with perfect compatibility between matrix and reinforcement. In this study, a finite element numerical model to predict the low-velocity impact behaviour of ACC laminates is reported for the first time. The model was validated through comparison with experimental data from scientific literature conducted on ACC plates made from Cordenka woven plies. In addition, the model was applied to the analysis of failure modes and influence of impact energy.

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1. Introduction

Composite materials are characterised by the combination of at least two materials, usually polymer matrix reinforced with carbon or glass fibres, with the intention to get properties that cannot be achieved using the constituent materials separately. In the last years, numerous researchers have introduced natural fibres as reinforcement to increase the biodegradability of composites. The works that have studied biocomposites made of natural fibres as jute, hemp, linen or cotton have shown promising results related with their mechanical properties [1–6]. However, the high properties of natural fibres cannot be fully exploited in many biocomposites due to poor bonding between natural fibres and polymer matrix [7].

In recent years, a new class of monocomponent composites based on cellulosic materials, so-called all-cellulose composites (ACCs) have emerged. In ACCs, both the matrix and reinforcement are cellulosic, but the first is isotropic while the latter is highly anisotropic [8]. Nishino [9] introduced the concept of ACC materials to overcome problems associated with the compatibility and interfacial adhesion of matrix and reinforcement using chemically identical materials. In addition, the fact that such materials are fully bio-based and fully biodegradable will certainly improve their relevance in future applications [10,11]. Huber and his collaborators published an excellent review reporting the different processing routes that have been applied to the manufacture of ACCs using a broad range of different solvent systems and raw materials [12].

The most of the research done on ACCs are focused on their behaviour under quasi-static conditions. Impact properties of ACCs

are extremely important to find industrial applications e.g. in automobile structures, but these properties are difficult to quantify. Impact testing of materials is performed to determine the amount of energy that can be absorbed during a suddenly applied force. Impact testing is usually performed by Charpy or Izod test machines [6]. Charpy and Izod tests, originally designed to determine ductile–brittle transitions in metals, most often assume a pre-existing notch, which is not suitable for testing composite materials [13].

An alternative method is the drop-weight test, in which a known mass is dropped from a given height onto a flat, un-notched sample. The drop-weight test is a more realistic test of what a structural component would experience in its service life. Drop-weight tests have proven to be valuable source of information about the impact behaviour of woven composites [14], tape laminates [15], and sandwich structures [16]. However, the use of these tests on biocomposites has not received comparable attention in scientific literature. Only a recent work published by Huber and his co-workers [17] has studied the impact behaviour of ACC plates subjected to low-velocity impact produced by a drop-weight test.

The development of theoretical models to predict the impact behaviour of composites has shown to be useful tool to get a better understanding the failure modes and the energy absorption mechanisms [15,16,18,19]. However, the modelling of ACCs structures is an almost unexplored field. This work is focussed on the development of the first numerical model to predict the low-velocity impact behaviour of ACC plates using finite element method (FEM). The numerical model was validated with experimental data published in [17]. Moreover, the FEM model was used to analyse the influence of impact energy on the peak force and absorbed energy during impact. The threshold energy that produced the striker penetration was also estimated.

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2. Model description

A FEM model reproducing low-velocity impact tests on ACCs was developed using ABAQUS/Explicit code.

2.1. Material modelling

Two solids are involved in the impact test, striker and ACC plate. The striker was modelled using a linear elastic behaviour ($E = 210$ GPa, $\nu = 0.3$). The ACC plate was modelled using a modification of the Hashin failure criteria [20] implemented in a VUMAT user subroutine. The model was modified because Hashin criteria was developed for tape plies, while the ACC plates analysed in this work were manufactured from woven plies. These modifications for woven laminates were similar to those developed by Lopez-Puente et al. to modify Hou criteria for tape laminates [21].

Fibre failure. This damage criterion considers tensile and compressive fibre breakage in directions 1 and 2. Thus two different equations were used, Eq. (1) for fibres at 0° and Eq. (2) for fibres at 90° :

$$d_{f1} = \left(\frac{\sigma_{11}}{X_T} \right)^2 + \left(\frac{\tau_{12}}{S_f} \right)^2 \quad (1)$$

$$d_{f2} = \left(\frac{\sigma_{22}}{Y_T} \right)^2 + \left(\frac{\tau_{12}}{S_f} \right)^2 \quad (2)$$

where X_T and Y_T are tensile strength in 1 and 2 directions respectively, and they have the same value for this material; S_f is the shear strength; σ_{11} and σ_{22} are the normal stress in directions 1 and 2; and τ_{12} the shear stress. When one of these damage variables equals one, all the stress components are set to zero.

Matrix failure was predicted using the next equation:

$$d_d = \left(\frac{\sigma_{33}}{Z_r} \right)^2 + \left(\frac{\tau_{13}}{S_f} \right)^2 + \left(\frac{\tau_{23}}{S_f} \right)^2 \quad (3)$$

where Z_r is the interlaminar strength; and τ_{13} and τ_{23} are the corresponding out-of plane shear stresses. Eq. (3) is applied only to out-of-plane tensile stresses ($\sigma_{33} > 0$). When this damage variable equals one, all the stress components that appear in the equation are set to zero.

To avoid sudden changes in the stiffness of the finite elements when damage occurs leading to instability problems and lack of convergence during the simulation, the stress components were corrected using a smooth transition, Eq. (4).

$$\sigma_{ij}^{cor} = \sigma_{ij} \cdot \left(1 - \frac{2 - e^{s(d_i - 1/2)}}{2 - e^{s/2}} \right) \quad (4)$$

where σ_{ij} and σ_{ij}^{cor} are the stress before and after the correction, d_i is the corresponding damage parameter, and s is the variable that controls the slope of the stress decay when the damage is close to 1. The value $s = 30$ was adopted according to [21].

Moreover, the simulation of the impact involves the perforation of the plate, thus a finite element erosion criterion is required. When damage occurs in an element, the stresses on it drop to zero and large deformations appear. A maximum strain criterion was adopted to remove the distorted elements: after each time increment the longitudinal strains (ϵ_1 , ϵ_2 and ϵ_3) are calculated; if one of them reaches a critical value ($\epsilon_i = 1$) the element is removed. Thus, erosion criterion only affects to elements that have been already degraded.

It should be noticed that this model is based on the assumption of the hypothesis of linear-elastic behaviour up to failure. Moreover, the mechanical behaviour of ACCs is considered strain rate independent. These hypotheses have been widely used in the modelling of carbon and glass fibre composite [15,16,18,19]. However,

more experimental works and impact tests are required to prove these hypotheses in biodegradable composite. Since this is the first attempt to model the impact behaviour of ACCs, these assumptions are provisionally considered to explore the model accuracy to reproduce the behaviour of ACC plates.

2.2. Geometry and boundary conditions

The geometry of the model reproduced the experimental tests reported in [17]. The plate consisted on a circular plate of diameter (D_p) 40 mm and thickness (t_p) 2 mm composed of five Cordenka layers. The striker was modelled as a hemispherical solid of diameter (D_s) 20 mm with a mass of 9.54 kg, as shown in Fig. 1.

The ACC plate was made of Cordenka fibres using ionic liquid BimimAc as solvent. The mechanical properties of Cordenka ACC plates were reported by Hubeřs research group in [17] and [22]. The density, elastic modulus, and tensile strength are 450 g/m^3 , 3.72 GPa, and 91.2 MPa respectively. The shear strength (S_f) was set in 52.65 MPa using Eq. (5) proposed by Bledzki [6].

$$S_{12} = \frac{X_T}{\sqrt{3}} \quad (5)$$

The external surface of the plate was clamped to reproduce the experimental tests boundary conditions. An initial velocity of 4.17 m/s (v_{imp}) was imposed to the striker leading to impact energy of 83.71 J. Fig. 1 shows the geometry and boundary condition.

Moreover, an interaction contact was defined between the striker surface and a node region that included all the plies of the plate. The interaction contact was modelled using the algorithm surface-node surface contact available in ABAQUS/Explicit.

2.3. Finite element mesh

The sensitivity of the mesh was analysed with successive space discretization. The selected mesh for the plate had 134,784 linear brick elements, with reduced integration (C3D8R). The striker was modelled with 5890 quadratic tetrahedral elements (C3D10M). The three dimensional non-homogeneous mesh, with smaller elements in the contact area is shown in Fig. 1.

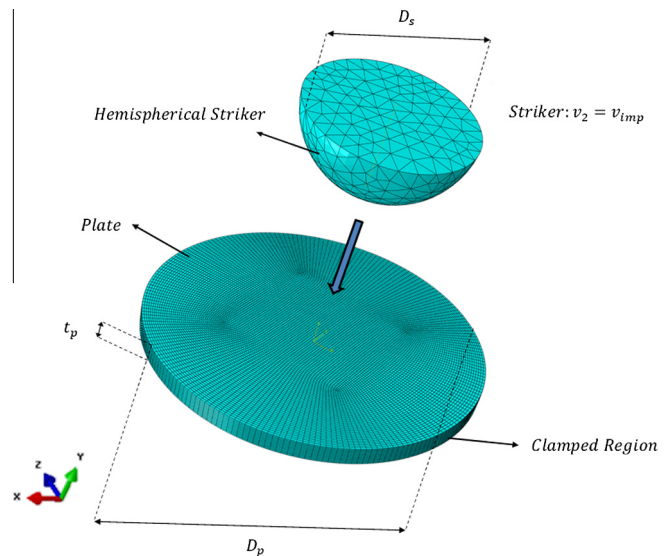


Fig. 1. Finite element model. Geometry and boundary conditions.

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