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## Modeling heat transfer between a freeze pipe and the surrounding ground during artificial ground freezing activities



<sup>a</sup> MINES ParisTech, PSL Research University, Centre de Géosciences, 35 rue Saint Honoré, 77305 Fontainebleau, France <sup>b</sup> Areva Mines, 1 Place Jean Millier, 92084 Paris La Défense, France

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#### ABSTRACT

The artificial ground freezing method (AGF) is widely used in civil and mining engineering. In AGF numerical models, the thermal boundary conditions at the freeze pipe wall, whether they be expressed in temperature or in flux, are generally determined based on in situ measurements, which are not readily available. The purpose of this paper is to study the complete heat transfer problem in order to develop a thermal model that can be easily used in field applications. In this numerical model, the freeze pipe and the surrounding ground are considered in a coupled way. External data of temperature or flux at the pipe wall is therefore not needed to predict the temperature evolution in the ground. Moreover, the developed model can be used to conduct parametric studies on operating conditions, refrigerant type, system geometry or ground properties. Indeed, the reduction of the heat transfer problems in the ground and in the pipe into highly time-saving 1D problems allows the rapid resolution of many calculations. Then, the developed model can also find its use in the optimization and the design of AGF systems.

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#### 1. Introduction

Patented by Poetsch in Germany in 1883, the artificial ground freezing technique (AGF) appeared 150 years ago in coal mines in South Wales. Nowadays, it is particularly widespread in civil engineering (tunneling, landslide stabilization, underpinning), mining engineering (shaft sinking) and environmental engineering (containment of hazardous waste) [1]. It is generally used for its two conjugated effects. Firstly, it reduces the ground permeability, which mitigates water seepage and inflow into underground workings. Secondly, it allows to improve the mechanical properties (strength and stiffness) of the ground and thus to increase the stability of future excavations.

The principle of AGF is to circulate a fluid coolant through a pipe network in the ground to be frozen. As it flows in the pipes, the refrigerant extracts heat from the surrounding ground and pore liquid water gradually turns into ice. The quantity of extracted heat depends on the cooling conditions. Therefore, an estimation of the temperature distribution in the ground would require an understanding of the thermal processes which occur inside the freeze pipes. In common AGF numerical models, these processes are not simulated and thermal boundary conditions at the freeze pipe wall,

\* Corresponding author. E-mail address: manon.vitel@mines-paristech.fr (M. Vitel). based on external data defined from in situ measurements, are merely included (e.g. [2-5]). However, these measurements, whether they be expressed in temperature or in flux, are not readily available.

Since the first thermo-hydraulic coupled model of ground freezing elaborated by Harlan [6], a lot of effort has been put into the development of models that take into account coupling between thermal, hydrogeological and mechanical mechanisms (e.g. [4,7-9). In contrast, the influence of the freezing conditions has not been studied extensively despite its importance for the optimization of ground freezing systems. A few works briefly present parametric studies of the system geometry (e.g. [10-13]) or of ground properties (e.g. [14]). Information about the influence of the coolant parameters seems to be very limited. Only the effect of the coolant temperature was studied [11,14] and, apart from [10], the effect of the flow rate of the coolant, or of its thermophysical properties, does not seem to have been studied.

The purpose of this study is to develop a new approach where the freeze pipe and the surrounding ground are considered in a coupled way. The numerical model simulates in an iterative manner the heat transfer between the pipe components, between the pipe and the ground and in the ground, while the coolant flows. Temperature or flux data at the pipe wall is therefore not needed to model the temperature evolution in the ground and only initial and boundary conditions are required.





#### Nomenclature

		р	pressure
Greek letters		Pr	Prandtl number
$\alpha, \beta, \gamma, \overline{\omega}$ coefficients of the differential equations governing $T_c$		Q	mass flow rate
	and T <sub>a</sub>	r	radius
$\Delta t$	time step size	R	thermal resistance
3	level of accuracy	Re	Reynolds number
$\kappa \vec{K}$	integrands of the general form of a conservation law	r, z	coordinates
λ	thermal conductivity	S	specific entropy
	dynamic viscosity	$S_{\lambda}$	degree of liquid water saturation
μ ()	mass density of $\Phi$	Т	temperature
Ψ (0*	source mass density	t	time
$\hat{\pi}_{\alpha}$	rate of phase $\alpha$ production	t*	previous time step
0	density	v	velocity
$\rho^{\alpha}$	apparent density of phase $\alpha$	$\gamma$	volume
$\frac{P}{\Sigma}$	cross section		
<del>-</del> τ	friction tangential stress	Subscrip	ts
$\Phi$	extensive physic property	а	annular
$\overrightarrow{\psi}$	surface flux density	α	nhase
1//	surface density of heat flux exchanged between the fluid	C C	central tube
Ψ	and the wall	v	ice
$\widehat{\Psi}_{a}$	interfacial exchange of flux for phase $\alpha$	' ea	apparent properties of the ground
$\hat{\Omega}$	domain of integration	g	geothermal
		i	inner
Latin lattor		l	lateral
	cross sectional area	Ĩ.	laminar flow
л С	friction coefficient	λ	liquid water
$C_f$	specific heat capacity at constant pressure	m	model
	diameter	0	outer
$\overrightarrow{D}$	unit vector in the direction of the z-axis	b D	pipe
e <sub>z</sub> σ	specific Cibbs free energy	σ	soil particle
8 h	specific onthalpy	Ť	turbulent flow
п ћ	overall beat transfer coefficient	w	wall
n h	heat transfer coefficient		
n <sub>ij</sub> I	length	Suparcer	inte
L m D	freezing characteristic curve parameters	O reference	
III, F Nu	Nusselt number	0 h	heated
nu	nusselt humber		wetted
11 m	polosity	VV	welled
ព <sub>α</sub> ភ	volumetric content of pilase $\alpha$		
п Ф	unit exterior normali vector		
ľ	permeter		

In the following, the physical system we are dealing with is described in a first part. In a second part, the governing equations in both the pipe and the ground are presented, along with the numerical implementation of the model. The third part deals with the simplification of the 2D axisymmetric heat transfer problem in the ground around the well into a 1D problem. The fourth part discusses the interest of our model compared to the case where simple boundary conditions are considered in the ground model. In part 5, the results of a parametric study highlight the influence of operating conditions. The final part of the paper aims at showing the importance of the effect of latent heat during the ground freezing on the evolution of the ground temperature.

#### 2. Heat transfer in and around the freeze pipe

### 2.1. Physical model

The freeze pipes used in AGF consist of two concentric tubes. The coolant is usually injected in an open-ended central tubing and flows back through the closed-ended annular space. The principle of circulation is illustrated in Fig. 1(a). Two mains types of refrigerant are used: secondary coolants and expendable refrigerants [1].

A secondary coolant circulates in a closed circuit: it is cooled at the surface in a refrigeration plant – ammonia is often used as the cooling agent – and sent underground in freeze pipes before returning to the freeze plant where it is re-cooled. The refrigerant is generally calcium chloride brine (CaCl<sub>2</sub>) and its temperature in the freeze pipes ranges from -20 °C to -40 °C. Other circulating coolants such as glycols, hydrocarbons, alcohols or other salt brines are sometimes employed in a similar way. Despite their interesting properties, some of them are flammable and/or toxic and may thus be avoided.

In the case of expendable refrigerants, where liquid nitrogen  $(LN_2)$  is often used, there is no refrigeration plant since  $LN_2$  is directly supplied into the freeze pipes. It starts to vaporize in the pipe at -196 °C and the exhaust gas is released in the atmosphere. Another expendable coolant is sublimating carbon dioxide but it is thermally less efficient than  $LN_2$  and harder to control [1]. Due to the extremely low coolant temperature,  $LN_2$  freezing is very fast compared to brine freezing. However, its use is limited because of its high cost.

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