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Strengthening of reinforced concrete beams in shear by the use of externally bonded steel plates: Part 2 – Design guidelines

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Abstract

Existing concrete structures may require strengthening or stiffening in order to increase their structural performance. One method for providing this enhanced capacity is to adhesively bond steel plates to the concrete surface. The results from experimental tests conducted to investigate the transfer of stress through a steel–concrete adhesive bond by Barnes and Mays [The transfer of stress through a steel to concrete adhesive bond. Int J Adhes Adhes 2001;21:495–502] combined with the shear strengthening and testing to failure of 30 reinforced concrete beams (Part 1 of this paper) was examined. By combining the results from each section of work, values for shear crack angle, effective anchorage length and mean shear stress levels in strengthened reinforced concrete beams were determined. These values were then used to develop a design method. This method can be used to determine the contribution to shear strength of continuous externally bonded steel plates in both rectangular and 'T' section reinforced concrete beams.

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1. Introduction

In previous work by Barnes and Mays [1] a study of the transfer of stress through a steel-to-concrete adhesive bond was undertaken. This involved specimens which comprised a concrete block with steel plates bonded to two opposite faces using a two-part structural epoxy adhesive (see Fig. 1). By measuring the strain distribution in the steel plates when subjected to tensile load, the shear stress distributed within the adhesive and the effective anchorage length could be determined. The following conclusions were drawn from the results:

• the shear stress in a steel-to-concrete adhesive joint is distributed exponentially, peaking at the loaded end of the specimen

- for the specimen configurations used, the strain was distributed over a 130-mm anchorage length
- increases in either plate or adhesive thicknesses led to a general reduction in peak stress levels and an increase in total bond capacity

Two-dimensional nonlinear finite element analysis of these bonded steel-to-concrete specimens produced a realistic model upon which to base design, both in terms of stress levels and anchorage lengths. With an adhesive thickness of 1 mm the shear stress distribution derived from the finite element analysis more closely resembled the experimental results than a theoretical analysis based upon the method of Volkersen [2]. However, with the thicker adhesive layers (3 and 5 mm) both the Volkersen and the finite element analysis provided similar shear stress distributions. Both analysis methods are only applicable at lower load levels, where significant concrete cracking is not present.

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Nomenclature			
τ	shear stress	$l_{\rm a}$	anchorage length (mm)
$\gamma_{\mathbf{m}}$	partial safety factor	$L_{ m min}$	minimum bond length, taken as 100 mm
a	shear span	m	modular ratio $E_{\rm p}/E_{\rm c}$
$A_{ m p}$	area of both side plates	$t_{\rm c}$	thickness of the concrete
$A_{ m sp}$	area of both side plates	$t_{ m p}$	thickness of plate
$A_{ m sp.eff}$	effective area of side plate	t	thickness of FRP
$A_{ m st}$	area of tension reinforcing bars	t_{s}	thickness of steel plate
b	width	τ	local bond strength
$b_{\rm c}$	width of the concrete	τ_{ave}	average interface stress.
$b_{ m s}$	width of steel plate	v	design shear stress
$b_{ m v}$	width of beam to be taken as b for a	V	shear force
	rectangular beam and as $b_{\rm w}$ for a flanged	$V_{\rm c}$	shear force resisted by concrete
	beam	$V_{\rm frp,d}$	FRP contribution to shear capacity
$b_{ m w}$	width of rib or web of beam	$V_{ m nsp}$	shear capacity with no side plates
d	distance from the extreme compression fibre	$V_{ m plated}$	beam overall shear capacity of a plated
	to the centroid of the main steel reinforce-		reinforced concrete beam
	ment, effective depth	V_{p}	shear force resisted by the steel plate
$d_{ m sp}$	depth of side plate,	$V_{ m steel}$	Steel plate contribution to shear capacity
E_{c}	modulus of the concrete	$V_{ m sv}$	shear force resisted by the web steel
$E_{ m p}$	modulus of the plate material	γ_{frp}	partial safety factor for FRP in uniaxial
$E_{ m frp}$	FRP elastic modulus		tension
$E_{ m steel}$	Steel plate elastic modulus	$ ho_{ m frp}$	FRP area fraction = $2t/b_{\rm w}$
f_{b}	Brazilian tensile strength of concrete	$ ho_{ m steel}$	Steel plate area fraction = $2t/b_{\rm w}$
$f_{\rm c}$	concrete cylinder compressive strength	$\varepsilon_{\rm frp,e}$	effective FRP strain
$f_{\rm yp}$	yield strength of side plates	$\varepsilon_{ m steel,e}$	effective steel plate strain
$G_{ m f}$	fracture energy	eta	angle of principal fibre orientation to the
h	height of plate		longitudinal axis of the member
l_{e}	bond length		

The steel-concrete adhesively bonded specimens provide a simple means for investigating shear stress transfer and their results are transferable to strengthened reinforced concrete beams in shear for design purposes (see Figs. 2 and 3). Many other researchers have used this specimen configuration to study the shear stress transfer between bonded plates and concrete [3-6] whilst other researchers have used different specimen configurations [7].

Chen and Teng [3] proposed that the bond length (l_e) be calculated from

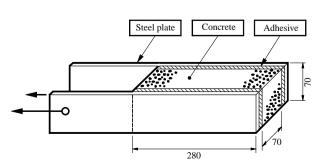


Fig. 1. Experimental specimen.

$$l_{\rm e} = \sqrt{\frac{E_{\rm p}t_{\rm p}}{\sqrt{f_{\rm c}}}},\tag{1}$$

where:

 $E_{\rm p}$ = modulus of the plate material

 $t_{\rm p}^{\rm p}$ = thickness of plate $f_{\rm c}$ = concrete cylinder compressive strength

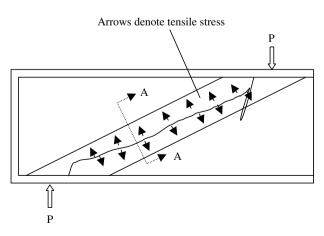


Fig. 2. Plated concrete beam under shear loading.

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