



# Performance-based seismic assessment of steel frames using endurance time analysis



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## ABSTRACT

The current performance-based seismic assessment procedure can be computationally intensive as it requires a large number of time history analyses (THA) each requiring time intensive post-processing of results. This study proposes the endurance time analysis (ETA) method as an alternative method to THA and incremental dynamic analysis (IDA). ETA is a time history based dynamic pushover procedure that applies a set of gradually intensifying acceleration functions to the structure and monitors the performance of the building accordingly. In this paper, the application of ETA in the seismic assessment of multistory steel concentrically braced frames is compared with THA and IDA methods. Moreover, the progressive failure of the frames is investigated using the ETA method. The results of this analysis show that ETA can estimate THA as well as IDA, with considerably less computational effort.

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## 1. Introduction

Depending on the importance of the structure and the seismicity condition of a site, several different types of seismic analysis and design methods can be used. Limitations of traditional seismic analysis procedures and recent progress in computational technology have motivated researchers during the past years to develop new analysis methods. The performance evaluation of an existing structural system can be conducted using different analysis methodologies. The ways in which these methods vary includes capturing the seismic response of the structure, analysis procedure, computational effort, accuracy, and overall capabilities of the analysis. Fig. 1 summarizes some of the available methods that can be implemented in seismic analysis and performance assessment of structures.

One of the common methodologies is time history analysis (THA), which considers the fundamental characteristics of the input ground motion in the analysis procedure. By comparison, this is neglected in the response spectrum analysis (RSA) method. Different sources of nonlinearity in the response of the structure including material and geometry nonlinearities can be considered using THA. However, the response of the system is highly dependent on ground motion characteristics, especially when performing

a nonlinear analysis. Another method used in performance-based seismic analysis and structural design is nonlinear static analysis (NSA) [1]. Two major NSA procedures include displacement ductility evaluation (DDE) and pushover analysis (POA). In DDE, the displacement ductility demand of the structure is estimated based on a linear elastic response spectrum analysis. Since all inelastic action will be due to the flexural response, the elastic moment demand and the nominal moment capacity of the section are used to determine the displacement ductility demand on the structure. For complex structures, where plastic hinges can form in several locations over the height of the building, POA (collapse mechanism analysis) should be used to assess the actual performance of the structure [2,3]. POA is a nonlinear static procedure in which the magnitude of applied load/displacement is increased incrementally according to a predefined pattern. The analysis continues until a control point on the structure reaches a target displacement. POA is capable of mobilizing principal nonlinear modes of structural behavior up to collapse of the structure. The results may depend, however, on the chosen pattern of the imposed load.

In order to consider the inherent randomness of the ground motions and reducing dependency of responses to seismic inputs, two other groups of nonlinear dynamic analyses are discussed in this section. These are referred to as wide-range analyses and narrow-range analyses. The wide-range analysis is suitable for making probabilistic assessments of the structural response over a wide range of tolerable probability levels, while narrow-range analyses are appropriate for making probabilistic assessments for a tight

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## Nomenclature

$a$	first constant coefficient in the recurrence–magnitude relation	OP	operational
$a_g$	endurance time acceleration parameter	PBA	performance-based assessment
$A(i\omega)$	filtered acceleration function	PBEE	performance-based earthquake engineering
$b$	second constant coefficient in the recurrence–magnitude relation	PBSA	performance-based seismic assessment
$C$	collapse	PL	performance level
$C_1, C_2, C_3, C_4, C_5$	coefficients of PGA-based GMPE	PO	performance objective
$C_1, C_2, C_3$	coefficients of spectral acceleration-based GMPE	POA	pushover analysis
$CC$	complete collapse	PGA	peak ground acceleration
CFC	collapse fragility curve	PGA <sub>ETAF</sub>	PGA associated with ETAF
CFC <sup>ETA</sup>	ETA-based collapse fragility curve	PGV	peak ground velocity
CFC <sup>IDA</sup>	IDA-based collapse fragility curve	$P-\Delta$	large deformation effects
CLA	cloud analysis	$P[C IM]$	probability of collapse at a given IM
CP	collapse prevention	RTR	record-to-record
DCR	demand to capacity ratio	RSA	response spectrum analysis
DDE	displacement ductility evaluation	$r$	number of total time steps in generating an ETAF
DSA	double-stripe analysis	$R$	source-to-site distance
DL	damage level	$R^2$	coefficient of determination
EDP	engineering demand parameter	SCBF	steel concentrically braced frame
EDP <sub>c</sub>	capacity measured in terms of the EDP	SSA	single-stripe analysis
EDP <sub>d</sub>	demand measured in terms of the EDP	SRN	stationary random nature
EDP <sub>j</sub>	value of EDP for $j$ th ground motion	$s$	number of real ground motions or ETAFs
$\overline{EDP}$	mean value of EDP	$S_a$	spectral acceleration
$\overline{EDP}_{ETA}$	mean of maximum EDPs computed based on ETA	$S_a^{T_1, T_1}$	average of the spectral acceleration over real ground motions at the first-mode period of the structure
$\overline{EDP}_{THA}$	mean of maximum EDPs computed based on THA	$S_a^{ETAF, T_1}$	smoothed response spectrum used for the generation of ETAFs at the first-mode period of the structure
EDP <sub>linear</sub>	first-order trend-line in the ETA curve	$S_a(T_1)$	spectral acceleration at the structure's first-mode period
EDP <sub>3rdorder</sub>	third-order trend-line in ETA curve	$S_a^{target}$	target acceleration response spectrum
edp <sub>c<sub>i</sub></sub>	specified capacity value of EDP	$S_a^{generated}$	generated acceleration response spectrum
edp <sub>d</sub>	specified demand value of EDP	$S_{ac}(T)$	target acceleration response for structure with period $T$
Err%	percentage difference between $\overline{EDP}_{ETA}$ and $\overline{EDP}_{THA}$	$S_{ac}(T, t)$	target acceleration response at time $t$ for structure with period $T$
ETA	endurance time analysis	$S_{uc}(T, t)$	target displacement response value for period $T$ at time $t$
ETAF	endurance time acceleration function	$S_a(T, t)$	ETAF acceleration response value for period $T$ at time $t$
EWA	endurance wave analysis	$S_u(T, t)$	ETAF displacement response value for period $T$ at time $t$
FEMA	federal emergency management agency	$S_a(T_1)_{ETAF}$	$S_a(T_1)$ associated with ETAF
$F(a_g)$	optimization function	STD	standard deviation of EDPs
GM1	first set of real ground motions	THA	time history analyses
GM2	second set of real ground motions	$t$	time
GMPE	ground motion prediction equation	$t_{eq}$	equivalent target time
$g(t)$	stationary random acceleration function	$t_{target}$	target time
$H_1(i\omega)$	Clough and Penzien low-pass filter function	$t_{max}$	maximum duration of ETAFs
$H_2(i\omega)$	Clough and Penzien high-pass filter function	$T$	the natural period of structure
IDA	incremental dynamic analysis	$T_1$	the first-mode translational period
IM	intensity measure	$T_R$	return period
IM <sub>c</sub>	intensity measure corresponding to the collapse capacity	$T_{eff}$	effective period interval
im <sub>i</sub>	intensity measure at the given seismic level	$T_{max}$	maximum period in the optimization process
INBC	Iranian national building code	Time <sub>ETAF</sub>	time associated with ETAF
IO	immediate occupancy	UBC	uniform building code
$i$	imaginary unit	$x_j$	specific level of intensity measure
$j$	dummy index	$Z(t)$	non-stationary random acceleration function
$k$	dummy index	$z_j$	number of collapses used in MLE formulation
LS	life safety	$\alpha_0, \alpha_1, \alpha_2, \alpha_3$	trend-line coefficients in an ETA curve
$l(t)$	linear profile function	$\beta$	standard deviation of $\ln S_a$
MSA	multi-stripe analysis	$\hat{\beta}$	estimated logarithmic standard deviation value
MLE	maximum likelihood estimation	$\beta^{IDA}$	dispersion of collapse capacities in IDA-based method
$m$	number of intensity levels	$\beta^{ETA}$	dispersion of collapse capacities in ETA-based method
$M_S$	surface wave magnitude	$\beta_{RTR}$	record-to-record uncertainty in IDA-based method
$M$	magnitude	$\beta_{SRN}$	stationary random nature uncertainty in ETA-based method
$M(t)$	modulating function	$\chi_0$	relative penalty in optimization function (weight parameter)
NEHRP	national earthquake hazards reduction program	$\delta t$	time step used for generation of an ETAF
NSA	nonlinear static analysis	$\mu$	logarithmic mean of $S_a$
$N_{DL}$	number of damage levels	$\hat{\mu}$	estimated logarithmic mean value
$N_m$	annual exceedance probability		
$n_j$	number of ground motions used in MLE formulation		

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