Contents lists available at ScienceDirect

Geomorphology

journal homepage: www.elsevier.com/locate/geomorph

Spatially distributed three-dimensional slope stability modelling in a raster GIS

Martin Mergili^{a,*}, Ivan Marchesini^b, Mauro Rossi^{b,c}, Fausto Guzzetti^b, Wolfgang Fellin^d

^a Institute of Applied Geology, BOKU University of Natural Resources and Life Sciences Vienna, Peter-Jordan-Straße 70, 1190 Vienna, Austria

^b CNR IRPI, Via Madonna Alta 126, 06128 Perugia, Italy

^c Department of Earth Sciences, University of Perugia, Piazza dell'Universitá 1, 06100 Perugia, Italy

^d Unit of Geotechnical and Tunnel Engineering, University of Innsbruck, Technikerstrasse 13, 6020 Innsbruck, Austria

ARTICLE INFO

Article history: Received 20 December 2012 Received in revised form 26 September 2013 Accepted 6 October 2013 Available online 14 October 2013

Keywords: Landslide Factor of safety Slope stability GRASS GIS Modelling

ABSTRACT

We present a GRASS GIS implementation of a three-dimensional slope stability model capable of dealing with shallow and deep-seated slope failures, *r.rotstab*. It exploits a modified version of the revised Hovland method and evaluates the slope stability over a large number of randomly selected slip surfaces, ellipsoidal or truncated in shape. For each raster cell in the modelling domain, the factor of safety is taken from the most critical slip surface. This results in an overview of potentially unstable regions without showing the individual sliding areas. Furthermore, the model produces a susceptibility index for each cell, based on the proportion of slip surfaces with a low factor of safety. We test the model in the Collazzone area, Umbria, central Italy where detailed information on shallow and deep-seated landslides, morphology and lithology is available. The rate of true predictions (landslide plus non-landslide) ranges from 54.7 to 81.2% for shallow landslides and from 58.5 to 87.4% for deep-seated landslides, depending on the adjustment of the uncertain geotechnical parameters. In the same order, the rate of true landslide predictions decreases from 80.2 to 19.9% (shallow) and from 64.3 to 3.6% (deep-seated) so that an increase of the true landslide prediction rate can only be achieved at the cost of a significant increase of the false alarm rate. The results for shallow landslides are very similar to those yielded with the infinite slope stability model in terms of the minimum factor of safety, but differ substantially in terms of the spatial patterns. The evaluation of the landslide susceptibility index yields areas under the ROC curves of 0.68–0.70 (shallow landslides, r.rotstab), 0.61–0.65 (shallow landslides, infinite slope stability model) and 0.59-0.63 (deep-seated landslides). We conclude that the *r.rotstab* model outperforms the infinite slope stability model.

© 2013 Elsevier B.V. All rights reserved.

1. Introduction

Modelling of landslide susceptibility can be accomplished using a variety of approaches, including statistical, physically-based, and geotechnical approaches (Guzzetti et al., 1999; Van Westen, 2000; Guzzetti, 2006; Van Westen et al., 2006). Modelling of the spatial probability (i.e., the susceptibility) of shallow landslides for small catchments often makes use of deterministic, physically-based models (Van Westen et al., 2006). These modelling approaches rely mainly on infinite slope stability models coupled with more or less complex hydrological and infiltration models (e.g., Wilkinson et al., 2002; Muntohar and Liao, 2010). The distributed models for slope stability, hydrology and infiltration are simple to implement in a Geographic Information System (GIS) environment, and specifically in a rasterbased GIS (Montgomery and Dietrich, 1994; Burton and Bathurst, 1998; Pack et al., 1998; Baum et al., 2008). This has eased their widespread distribution and application in different environmental,

physiographical and climatic settings (Van Westen and Terlien, 1996; Xie et al., 2004a; Godt et al., 2008; Mergili et al., 2012).

In many landscapes, shallow slope failures coexist with deep-seated mass movements (e.g., Guzzetti et al., 2004; Zêzere et al., 2005; Guzzetti et al., 2006a). The infinite slope stability model, building the base of many spatially distributed susceptibility assessments of shallow slope failures, fails to capture the complexity of the deep-seated landslide phenomena. In order to evaluate the stability conditions of deep-seated landslides, more advanced limit equilibrium models capable of accounting for the complex geometry of the deep-seated failures should be used. However, the GIS implementation of limit equilibrium models for deep-seated failures remains a challenging task, limiting the spatially distributed modelling of deep-seated landslides.

In this work, we present the results of an attempt to integrate a three-dimensional limit equilibrium slope stability model in the open source Geographic Resources Analysis Support System (GRASS) raster GIS (Neteler and Mitasova, 2007; GRASS Development Team, 2011). The paper is organized as follows. In Section 2, we summarize the rationale for using the limit equilibrium model. In Section 3, we introduce *r.rotstab*, a computer model for the three-dimensional, spatially distributed modelling of slope stability in a raster GIS. This is







^{*} Corresponding author. Tel.: +43 47654 5412; fax: +43 47654 5449. *E-mail address*: martin.mergili@boku.ac.at (M. Mergili).

⁰¹⁶⁹⁻⁵⁵⁵X/\$ - see front matter © 2013 Elsevier B.V. All rights reserved. http://dx.doi.org/10.1016/j.geomorph.2013.10.008

followed by a description of the Collazzone study area, Umbria, central Italy, where the *r.rotstab* model was tested (Section 4), and by a description of the landslide and environmental data available for the study area (Section 5). Next, we present (Section 6) and discuss (Section 7) the results obtained for shallow and deep-seated landslides and the model performance in the study area. We conclude (Section 8) by summarizing the main results obtained.

2. Background

Slope stability calculations often rely on the limit equilibrium model. It builds on the assumptions that the slope consists of rigid materials and that possible ruptures occur along a single failure plane (the slip surface). The shear stress acting on the slip surface is compared with the shear strength of the materials resisting along the slip surface. The fraction of the contrasting forces acting on the failure plane is expressed by the factor of safety *FS* (Carson and Kirkby, 1972; Crozier, 1986; Duncan and Wright, 2005). In the case of an infinite slope model this is simply the dimensionless ratio between the resisting (stabilizing) force *R* and the driving (destabilizing) force *T* (Fig. 1A),

$$FS_{\rm I} = \frac{R}{T},\tag{1}$$

where *FS*₁ is the *FS* based on an infinite slope model. For more complex geometries, *FS* is the ratio between the sum of resisting forces or moments and the sum of driving forces or moments. When *FS* > 1, R > T, and the slope is considered stable. *FS* = 1 indicates the meta-stable condition produced by the equivalence of *R* and *T*. When this occurs, the slope is considered to be at the point of failure. *FS* < 1 or R < T corresponds to unrealistic physical conditions, and are taken as an indication of the instability of the slope under the modelling conditions.

Limit equilibrium models have often been applied to twodimensional cross sections drawn along the steepest terrain gradient (Duncan and Wright, 2005). The zone above a known, inferred or hypothetical failure plane is partitioned into vertical slices of equal or different sizes. *R* and *T* are computed for each slice (Fig. 1B shows an example for a circular slip surface), and summed up linearly in order to obtain a value of *FS* for the entire slope. Most commonly, the forces acting between the slices are neglected (Fellenius, 1927). In many cases, the simplification leads to a lower value of *FS* (Kolymbas, 2007). Fellenius (1927), Bishop (1954), Janbu et al. (1956), and Morgenstern and Price (1967) have proposed different schemes to calculate *FS* along pre-defined slope profiles and associated failure planes.

When two-dimensional cross sections are used, the width of the potential slope failure and the three-dimensional topography of the slope are not considered. In order to overcome this limitation, the limit equilibrium model was extended, and applied to three-dimensional topographies and associated three-dimensional failure planes (e.g., Hovland, 1977; Hungr, 1987; Hungr et al., 1989). In order to accomplish the calculation of the three-dimensional balance of *R* and *T*, specific software has been designed that can be used to test multiple failure planes, searching for the lowest *FS* value, e.g. CLARA (Hungr, 1988), TSLOPE3 (Pyke, 1991), and 3D-SLOPE (Lam and Fredlund, 1993). A limitation of these computer codes is that they were designed to model individual slopes, or portions of a slope, and cannot be used effectively to model a large number of slopes in an area. Thus, the codes are not suited for a regional analysis of the slope stability conditions.

In the infinite slope stability model, the assumptions are made that the slope is planar and of infinite length, and that the failure plane is parallel to the topographic surface (Fig. 1A). The assumptions simplify the model considerably, and facilitate the application of the model in a raster based GIS, allowing for the application of the infinite slope stability model for regional slope stability analyses. In a raster GIS, the

(A) Infinite slope stability model unit raster cell size: 1 x 1m slope-parallel seepage $\gamma_{\rm d}$... specific weight of dry regolith (N/m³) c ... cohesion (N/m²) φ ... angle of internal friction (°) γ_w ... specific weight of water (N/m³) θ_{s} ... sat. water content (vol.-%) buovancy weight of $G' = \gamma_d d + \theta_s \gamma_w d_{sub} - \frac{\gamma_w d_{sub}}{\gamma_w d_{sub}}$ d_{sub} **moist soil** = $\gamma_{d}d + (\theta_{s} - 1)\gamma_{w}d_{sub}$ seepage force $S = \gamma_w d_{sub} \sin \beta$ d **normal force** $N = G' \cos \beta$ **shear resistance** $R = N \tan \varphi + c/\cos \beta$ **shear force** $T = G' \sin \beta + S$ (B) Slip circle model inter-slice forces slip circle forces are shown for every second slice only

Fig. 1. Slope stability models. (A) Infinite slope stability model. (B) Slope stability model based on a circular slip surface.

Download English Version:

https://daneshyari.com/en/article/4684654

Download Persian Version:

https://daneshyari.com/article/4684654

Daneshyari.com