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Dissipative particle dynamics investigation of heat transfer mechanisms in Al₂O₃-water nanofluid

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ABSTRACT

The current paper applied dissipative particle dynamics (DPD) approach to investigate the effect of nanoparticles on the heat transfer mechanisms in natural convection using Al₂O₃-water nanofluids. The study investigated in detail the effect of nanoparticle concentration on the random heat flux (i.e., Brownian motion) and the total heat flux. The DPD model considered the viscosity and the thermal conductivity of the Al₂O₃-water nanofluid to be dual function of temperature and volume fraction of nanoparticles. The study covered a wide range of nanoparticles ($1\% \leq \varphi \leq 7\%$) and three Rayleigh numbers were considered, which are $Ra = 10^4$, $Ra = 5 \times 10^4$, and $Ra = 10^5$. The DPD results predicted an enhancement in heat transfer due to the addition of nanoparticles. However, the results revealed that the relative of enhancement of the total heat flux in the cavity is more effective at low Rayleigh numbers than at high Rayleigh numbers. The regions around the hot wall of the cavity are found to experience the maximum enhancement in heat transfer in the cavity whereas the region adjacent to the cold wall experienced a deterioration in heat transfer due to the addition of nanoparticles. Also, the DPD results revealed that the role of Brownian motion in the vicinity of hot and cold walls was negligible where the ratio of random heat flux to the total heat flux was below 5%. However, this ratio reached a very large value around the center of the cavity and the bottom wall of the cavity, where this value at low Rayleigh number and high volume fraction of nanoparticles exceeded 65%. Moreover, the study revealed that the random heat flux enhances with increase of volume fraction of nanoparticles.

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1. Introduction

Nanofluids are considered very attractive in enhancing intrinsic thermal conductivity of heat transfer fluids (HTF) by suspending certain concentration of nanoparticles in a base fluid [1,2]. Nanofluids are proven to be very effective in enhancing heat transfer in forced convection applications, but their role on heat transfer enhancement in natural convection applications is still debatable. There is discrepancy between most of theoretical studies and experimental findings, where early theoretical studies reported augmentation in heat transfer as a result of the addition of nanoparticles which conflicts with some experimental results, for example Putra et al. [3] and Wen and Ding [4]. Recently, numerical results of Abu-Nada et al. [5] and Abu-Nada [6] related such deterioration in heat transfer, observed experimentally, to the increase in nanofluids' viscosity particularly at high concentration of nanoparticles, which adversely affects the heat transfer in natural

http://dx.doi.org/10.1016/j.ijthermalsci.2017.09.005 1290-0729/© 2017 Elsevier Masson SAS. All rights reserved. convection applications.

Theoretically speaking, most of theoretical studies on nanofluids use continuum models such as Navier-Stokes Equations (NES) to investigate nanoparticles' energy transport in base fluids. But, the main concern is whether at such nanoscale dimension the continuum theory is still applicable. In reality, spatial scales and temporal scales of the energy transport within nanofluids are much larger than those of discrete models (for example, molecular dynamics (MD)) and they are also much smaller than the continuum scales. Such intermediate scales can be tackled using mesoscopic (scales between micro to nanoscale) methods through coarse graining where each meso-particle represents a group of real fluid molecules.

Hoogerbrugge and Koelman [7] introduced dissipative particle dynamics (DPD) method as a coarse-grained mesoscopic computational model to tackle physical processes that are encountered at mesoscale. The method consists of randomly dispersed DPD particles with interaction among them governed by the conservation laws (conservation of mass and momentum) and at ultimately at







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Nomenclature		β 8/	thermal expansion coefficient, 1/K
a	repulsion parameter	þ	dissinative force parameter
u C	specific heat at constant volume 1/kg K	Г	ratio of random heat flux to total heat flux at the
C _v	random motion velocity of a nanoparticle m/s	¹ cell	"averaging coll" $\Gamma = \Omega^R / \Omega$
CRM	speed of sound	٨	averaging cell, $T_{cell} = Q^{cr}/Q_{cell}$
	Speed of sound Einstein's molecular diffusion coefficient m^2/s	Δ	"averaging call" for any volume fraction of
D ₀	enisteni s'inolecular unusion coenicient, in /s		averaging cent for any volume fraction of
u	nanoparticle diameter, m	4	nanopalucies
e	terree N	с Уе	random number for the anormy equation
I ~	lorce, N	Ç,	dimensionless temperature (TT)/(TT)
g	gravity vector	Ø	dimensionless temperature, $\theta = (1-1_C)/(1_H-1_C)$
H h	enclosure neight, m	ĸ	collisional neat flux parameter
n V	neat transfer coefficient, w/m ² .K	Λ	random neat flux parameter
K 1-	thermal conductivity function, vv/m.K	Λ	relative enhancement of the average random heat flux
K 1-	thermal conductivity, w/m.K		at any volume fraction of nanoparticles
K _B	Boltzmann constant	μ	aynamic viscosity, N.S/m ²
Ko	parameter controlling the thermal conductivity of the	ν	kinematic viscosity, m ² /s
	DPD particle	ρ	DPD number density
m	mass of DPD particle	σ	amplitude of the random force
NU	Nusselt number, $Nu=nH/k_{nf}$	φ	volume fraction of nanoparticles (%)
Nu⁺	modified Nusselt number defined in Eq. (29)	Ω	variable weight function, $\Omega(1,\phi)$
n	normal vector		
p	dimensional pressure, N/m ²	Subscripts	
Pr	Prandtl number, $Pr = v_C / \alpha_C$	avg	average
Pr_T	Prandtl number based on local temperature,	DI	Dase fluid
	$\Pr = \mu_{bf}(I) / (\rho_{bf} \alpha_{bf}(I))$	C	cold
q	heat flux, W/m ²	Н 	hot
Q _{cell}	total heat flux in the "averaging cell",	1, J	indices
o cond	$Q_{cell} = Q^{cond} + Q^{visc} + Q^{K}$	max	maximum
Quisc	conduction heat flux in the "averaging cell"	nf	nanofluid
Quise	viscous heat flux in the "averaging cell"	р	particle
Q	random heat flux in the "averaging cell"	ref	reference
r	position vector	S	isentropic
r _c	Cut-oil radius $P_{1} = \frac{1}{2} \left(\frac{1}{2} + \frac{1}{2} \right)$		
ка	Rayleign number, $Ra = gp(I_H - I_C)H^3/(V_C \alpha_C)$	Superso	inpts
1	time s	C	conservative
t	time, s	cell	a computational square cell of a nall cut-off radius side
V	dimensional and the Manual V		size, where any heat nux quantity of interest is
V	dimensionless velocity, $v = vH/\alpha$. .	averaged
W	weight function	cond	conduction
<i>x</i> , <i>y</i>	dimensionlas coordinates, m	D D	uissipative
Х, Ү	dimensionless coordinates, $X = X/H$, $Y = Y/H$	K	
α	thermai dillusivity, m ² /s	VISC	VISCOUS
α_{ij}	ranuom neat nux parameter		

the macroscopic level the DPD system would represent bulk fluid flow [8,9]. Español [9] and Avalos and Mackie [10] extended the DPD model to account for energy conservation and it was further advanced by various researches to mimic heat transport in many applications. Chaudhri and Lukes [11] recently conducted a detailed and critical review of the DPD studies in heat transfer. Although the number of studies carried out using DPD in heat transfer has increased considerably in recent years, but most of the studies were limited to pure fluids. Therefore, it is very crucial to advance the DPD method to mimic convective heat transfer in nanofluids. Recently, Abu-Nada [12] applied DPD approach to simulate heat transfer in CuO-water nanofluid. The focus of his study was on the enhancement of heat transfer in CuO-water nanofluid and no attention was given on analysing the mechanism of such enhancement. Therefore, the scope of the present work is to extend the applicability of DPD to investigate heat transport in other nanofluids such as Al₂O₃-water nanofluid. Also, to examine the energy transport mechanisms within nanofluids such as random heat fluxes attributed to Brownian motion in addition to other mechanisms such as conductive and convective heat fluxes. The problem considered in this study is natural convection in a differential heated cavity having Al₂O₃-water nanofluid as the working fluid. The viscosity and the thermal conductivity of the DPD nanofluid model are considered variable and are devised from available experimental data. The DPD model is evaluated over a wide range of Rayleigh numbers and volume fraction of nanoparticles. The role of Brownian motion on heat transfer within the cavity will be also assessed in the current study.

2. Governing equations

Simulation of heat transfer in a differential heated cavity filled

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