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Short communication

A simpler method to calculate instability threshold speed of hydrodynamic journal bearings



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ABSTRACT

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In this study, a simpler method is proposed to study the instability threshold speed of journal bearing. State vector is chose as $\mathbf{c} = [\ \epsilon \ \phi \dot{\epsilon} \dot{\phi}\]$, not $[\ X\ Y\dot{X}\dot{Y}\]$ in previous discussions, and coordinate transformation (between $(\epsilon,\ \phi)$ and $(X,\ Y)$) is avoided. For the short bearing, a simpler expression is obtained without accuracy reducing and the calculation process is simplified. While for the long bearing, the instability threshold speed is expressed analytically by the eccentricity ratio ϵ_s , the attitude angle ϕ_s and the Sommerfeld number S_2 . The results agree well with the numerical results in previous studies. It is confirmed that, this method is more effective than the methods used in previous studies.

1. Introduction

Journal bearings, as crucial components in rotating machines, attract much attention and are applied widely in manufacturing industry. Better understanding the characteristics of journal bearings could help engineers to improve the performance of the machines. The main characteristics of the bearings are generally divided into two parts, the steady characteristics and dynamic characteristics. Journal bearings working on steady state were studied well by researchers such as Pinkus et al. [1], Williams [2], and Capone et al. [3]. The steady characteristics parameters (for example, friction parameters, load capacity and attitude angle et al.) were presented varying with eccentricity ratio. Based on the traditional hydrodynamic theory, Costa et al. [4] investigated the kinematics of human gait through hip joint formulation, and modeled a planar hip joint under the framework of multibody systems. While for the dynamic characteristics, Danial et al. [5] studied the hydrodynamic bearings in planar mechanical systems considering the cavitation boundaries.

When an external impact force is applied on a journal rotating at the equilibrium position and subsequently breaks the equilibrium state, the journal may return back to previous equilibrium point or lose its stability, hitting on the bearing. To clearly find out which state the journal will reach, a region called stability boundary is introduced. If the journal center is in the stability region, the journal can gradually return back to the equilibrium point.

To calculate the stability boundary, following method is widely used. When a journal is released from a disequilibrium position, the motion trajectory of the journal center is obtained by solving the motion equations [6] using fourth order Runge-Kutta method, then with a trial of iterations, the stability boundary could be ascertained. In this way, Khonsari et al. [7] got the stability boundary of the short hydrodynamic journal bearings lubricated with Newtonian fluid, Lin [8] obtained similar boundary considering the effects of couple stress, and Kushare et al. [9] found the boundary of the finite worn hybrid journal bearing lubricated with cubic shear

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Nomenclature		$\frac{\omega}{ heta}$	rotation speed of shaft, rad/s angular coordinate, rad
a h	components of the vector in Eq. (2)	-	eccentricity ratio, $=e/c$
a, b	components of the vector in Eq. (3).	$oldsymbol{arepsilon}$	eccentricity ratio, =e/c
A, B C	integration constants in Eq. (36).	Non-dimensional parameters	
D D	radial clearance, mm	tvon-aimensionai parameters	
	journal diameter, mm	A D	C. D. parameters in Isaahian matrix i i - a a
e	journal eccentricity, mm	$h^* =$	C_{ij} , D_{ij} parameters in Jacobian matrix, $i, j = \varepsilon$, φ
$f_{\mathcal{L}}$	state equation		$pC^2/\mu\omega R^2$
$f_{m{arepsilon}}$	fluid film reaction component on the eccentric	$p^* = \omega^* =$	$ω(W/mC)^{1/2}$
c	direction for short bearing, N		
f_{φ}	fluid film reaction component perpendicular to the eccentric direction for short bearing, N	$\omega_{\text{short}}^* =$	non-dimensional stability threshold speed for short bearing
$F_{arepsilon}$	fluid film reaction component on the eccentric direction for long bearing, N	$\omega_{long}^* =$	non-dimensional stability threshold speed for long bearing
F_{ω}	fluid film reaction component perpendicular to the	$S_1 =$	$\mu\omega RL^3/2WC^2$
$^{1}\varphi$	eccentric direction for long bearing, N	$S_2 =$	$6\mu\omega RL^3/WC^2$
g_1, g_2	expressions in Eqs. (4) and (5).	$S_2 = z^* =$	27/1
91, 92 h	film thickness, mm	$f_{\varepsilon}^{*} = f_{\varphi}^{*} = F_{\varepsilon}^{*} = F_{\varepsilon}^{*}$	$f_{\varepsilon}/S_{I}W$
L	bearing length, mm	$f_{co}^* =$	f_{Φ}/S_1W
m	mass of rotor per each bearing, kg	$F_{\alpha}^{*} =$	$F_{\rm e}/S_2W$
p	pressure, N mm ⁻²	$F_{\omega}^{*} =$	F_{ω}/S_2W
R R	radius of bearing, mm	Ψ	Ψ, - Σ
t	time, s	Subscripts and superscripts	
W	external load, N	•	
<i>X</i> , <i>Y</i> , <i>Z</i>	Cartesian coordinates	s:	stability state
x	coordinate of circumferential direction, rad	ε :	component on eccentric direction
y	coordinate of the eccentric direction, mm	φ :	component perpendicular to eccentric direction
$\frac{g}{Z}$	coordinate of axial direction, mm	short:	short bearing
_		long:	long bearing
Greek symbols		*:	non dimensional parameter
		.:	first derivative w.r.t time
φ	attitude angle, rad	.:	second derivative w.r.t time
μ	dynamic viscosity of lubricant, N•s•m ⁻²		

stress law fluid. Wang et al. [10] calculated the journal center trajectory of the axially grooved infinitely long journal bearings. The stability boundary of the long hydrodynamic journal bearings is obtained by Amamou et al. [11] applying the Hopf bifurcation method.

With the rotating speed increasing, self-excited vibration would happen. Different with the critical speed resonance, the self-excited vibration increases with the rising up of the journal speed. When the rotation speed exceeds the whirl threshold, self-vibration comes up and the journal would vibrate with large amplitude, even touch the bearing and destroy it finally. Holmes [12] and Lund [13] completed a linear stability analysis of the journal bearings. In addition, Gardner et al. [14] using multiple scales method and Lin [15] applying the Hopf bifurcation theory accomplished a weekly nonlinear analysis of the journal bearings.

In the previous studies, for the short bearing, the eight dynamic coefficients (four stiffness and four damping coefficients) used to calculate the threshold speed are expressed with Cartesian coordinates, such as the works of Khonsari et al. [7] and Lin [16]. In their

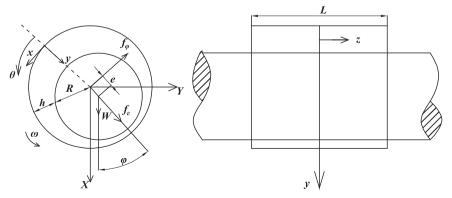


Fig. 1. schematic diagram of the journal bearing.

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