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# Electric field-driven point defect pile-up near ZnO polar surfaces



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#### ABSTRACT

Electric fields in near-surface space charge regions influence the spatial distribution of charged defects, with implications for the efficiency of photocatalysts and gas sensors. Through isotopic oxygen diffusion experiments on both Zn-terminated ZnO (0001) and O-terminated ZnO (0001), the present work better delineates the quantitative relationship of defect pile-up to the degree and direction of near-surface band bending, the rate of defect injection, and the temperature. The two terminations exhibit dramatic differences in behavior from each other, especially in the temperature dependence. The results suggest that the amount of fixed charge at the surface directly affects the injected flux.

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The spatial distribution of native point defects and substitutional dopants near solid-gas and solid-solid boundaries of semiconductors affects the operational efficiency of photovoltaic [1,2], photocatalytic [3,4], and microelectronic [5-7] devices. During fabrication steps that require heating, dopant atom segregation or precipitation [8] can occur due to a combination of misfit elastic strain [9], chemical potential gradient [10-12] and electrostatic drift [10,13,14]. Pile-up of native defects is also possible, and those associated with energy levels deep in the bandgap usually affect device performance adversely [15]. The published literature has focused primarily on electrostatic mechanisms [10,13,14] by which fixed charge on surfaces influences the spatial distribution of nearby charged defects. This laboratory has reported [14] experimental evidence for a distinct mechanism involving field-induced changes in the motion of rapidly mobile defects such as interstitials, coupled with their exchange into a stationary reservoir such as the host crystal lattice. Subsequent modeling demonstrated [16] that these effects enhance or diminish the concentration of the mobile defects within the surface space charge region (SCR), leading to a pile-up or depletion of the corresponding species exchanged into the reservoir depending upon the direction of the field and the sign of the defect's

The experimental results underlying that work involved  $^{18}O_2$  gas exchange with rutile  $TiO_2(110)$ , wherein pile-up of substitutional isotopic oxygen was observed within several nanometers of the

surface. However, the results were not sufficiently precise to establish the quantitative relationship of pile-up to the degree and direction of near-surface band bending, the rate of defect injection, or the temperature. The present work employs similar experimental methods with c-axis ZnO, both Zn-terminated (0001) and O-terminated (0001), in tandem with the mathematical model [16], to examine these relationships. The two terminations exhibit dramatic differences in behavior from each other, especially in the temperature dependence. Taken together, the results suggest that the amount of fixed charge at the surface may exert a direct influence on the injected flux.

As discussed previously [14,16], mobile defects formed at the surface and injected into the bulk undergo Fickian diffusion. For downward band bending in the SCR of natively n-type materials such as  $\mathrm{TiO}_2$  and ZnO, the near-surface field  $\epsilon(x)$  points into the bulk, which induces field drift of negatively charged defects such as  $\mathrm{O}_i^{2-}$  toward the surface and impedes migration into the bulk. The prolonged residence time of these defects in the SCR increases the degree to which they exchange with the reservoirs that exist there, such as the lattice via kick-in. In an isotopic oxygen ( $^{18}\mathrm{O}$ ) gas-solid exchange experiment, the labeled O marker replaces the existing lattice O over time. Since  $^{18}\mathrm{O}$  and  $^{16}\mathrm{O}$  are chemically alike, they are thermodynamically interchangeable in the lattice; the  $^{18}\mathrm{O}$  represents an isotopic rather than a chemical defect. The resultant pile-up (or valley) can be measured with secondary ion mass spectrometry (SIMS).

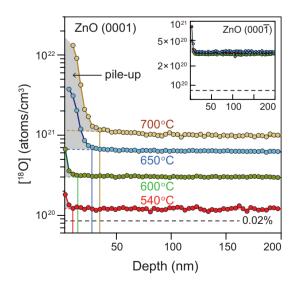
The present experiments employed an apparatus described previously [14]. Single crystals of wurtzite ZnO with polar (0001) Zn-terminated (Zn-ZnO) or  $(000\bar{1})$  O-terminated (O-ZnO) surfaces were exposed to isotopically-labeled oxygen gas  $(^{18}O_2)$  at elevated

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temperatures (540–700 °C) under O-rich conditions ( $P_{O_2}\sim 5\times 10^{-5}$ Torr) for 105 min. Before isotopic exposure, the specimens were degreased ex situ as described in Ref. [14], and then heated in natural abundance O<sub>2</sub> to equilibrate the native defect concentrations at the same temperature and pressure as the subsequent isotopic exposure. After that exposure, <sup>18</sup>O concentration profiles were measured ex situ with time-of-flight SIMS using a PHI-TRIFT III instrument [14] and electron flooding. To ensure that the near-surface profiles are not complicated by measurement artifacts [17], low depth profiling rates were employed and data points at or very near the surface were discarded (Fig. 1). Additionally, multiple measurements were performed at different spots on the sample to check for reproducibility of the pile-up profile. Special care was taken to maintain instrumental base pressures that minimized mass interferences from H<sub>2</sub><sup>16</sup>O, which has a mass similar to <sup>18</sup>O. In Fig. 1, the near-surface profiles change dramatically and systematically with annealing conditions. If the existence of pile-up were an artifact of the SIMS measurements, the annealing conditions would not exert any systematic effect of on the profiles.

Fig. 1 (and inset) shows example <sup>18</sup>O diffusion profiles for Zn-ZnO (and O-ZnO). The profiles qualitatively resemble those obtained in rutile TiO<sub>2</sub>(110) [14,16], with two distinct regimes: (1) near-surface  $(\sim 10-35 \text{ nm})$  pile-up of the isotopic O marker, and (2) deeper profile extensions into the bulk. Unlike TiO<sub>2</sub>, for which pile-up was typically small, shallow (<10 nm) and poorly reproducible, Zn-ZnO exhibits pile-up that is often large, deeper (up to 35 nm), and straightforward to reproduce among various specimens. O-ZnO exhibits smaller and shallower pile-up, but the reproducibility is still good. As in the case of  $TiO_2$ , the profiles in the deeper bulk (>35 nm) have very shallow, but non-zero, slopes. The migration of isotopic marker into the bulk is perhaps more evident in Fig. 1 from the large increase in overall <sup>18</sup>O concentration throughout the entire deep bulk. Extensive analysis of this section of the profile has been reported elsewhere [18], and is not a focus of this work except where noted below for the purposes of near-surface profile analysis.

Previous work [14] has quantified the amount of pile-up (P) as the total integrated area between the near-surface pile-up profile and the deep-bulk profile extrapolated to the surface, shown as shaded regions in Fig. 1. For this extrapolation, an exponential function was used (linear on the semilogarithmic scale of Fig. 1) as in the case



**Fig. 1.** Isotopic-labeled oxygen ( $^{18}$ O) diffusion profiles in Zn-ZnO (and O-ZnO inset) samples annealed in  $^{18}$ O<sub>2</sub> gas ( $5 \times 10^{-5}$  Torr) at  $540\,^{\circ}$ C,  $600\,^{\circ}$ C,  $650\,^{\circ}$ C and  $700\,^{\circ}$ C for 105 min. The near-surface profile shows pile-up of the isotopic marker within  $\sim$ 10–35 nm of the surface. The exponential profile beyond the pile-up zone represents bulk diffusion.

of  $TiO_2$  [14,16]. The width of the pile-up region for a given profile was determined as the depth at which the profile begins to deviate substantially from the exponential function used for extrapolation. These widths are marked in Fig. 1 as vertical lines. For Zn-ZnO, both this width and P itself increase with temperature from 540 °C to 700 °C. For O-ZnO, the width and P both remain roughly constant with increasing temperature. Regardless of temperature or termination, P accounts for <1% of the total number of  $^{18}O$  injected into the bulk - corresponding to the behavior in rutile  $TiO_2$  [14]. In this small-perturbation limit, it is a good mathematical approximation [16] to analyze the pile-up and deeper-bulk regions separately.

Substantial evidence suggests that the oxygen interstitial  $O_i$  mediates oxygen diffusion in  $TiO_2$  under clean-surface conditions [14]. That evidence includes the elevated magnitude of the observed O diffusivity compared to the literature, the exponential (rather than error-function) shapes of the profiles, the existence and behavior of near-surface pile-up [14], and the predictions of quantum calculations[19] that  $O_i^{2-}$  is thermodynamically more stable than other O-related native defects. The analogous body of published evidence for ZnO is smaller, and rests mainly on quantum calculations [20,21] and diffusion experiments [18] that point to  $O_i^{2-}$  as the most stable O-related native defect.

The ZnO used in this work is almost certainly n-type because of incorporated hydrogen donors [22,23], with the charge density set by the hydrogen concentration. The existence of pile-up in the profiles of Fig. 1 (contrasted with a "valley") indicates an electric field directed opposite to the diffusional flux, which in n-type material implies the existence of an accumulation-type space charge region with downward band bending [24]. Our previously-developed analytical expressions [16] can be used to estimate the surface potential  $V_s$  from the surface concentration  $C_{s,1}$ , using the equation:

$$C_{S,1} - C_{S0}|_{x=0} = \frac{Ft}{\lambda} \chi_1 \tag{1}$$

where F is the flux of mobile species injected at the surface,  $\lambda$  the mean diffusion length of that species before exchange with the reservoir,  $C_{S0}$  the background concentration of natural abundance marker in the material, t the diffusion time, and  $\chi_1$  a dimensionless factor. Extrapolation of the deep bulk profile to the surface yields a hypothetical zero-field concentration equal to  $Ft/\lambda$  [16]. For drift directed oppositely to diffusion, the surface concentration of marker is always enhanced by a factor of  $\chi_1$ . With  $\lambda$  and F calculated from the deep bulk profile,  $\chi_1$  can be calculated from Eq. (1). From  $\chi_1$ , the magnitude of the surface electric field  $\epsilon(x)$  can be determined from the relation [16]:

$$\chi_1 = \sqrt{\left(\frac{\alpha\epsilon_1\lambda}{2}\right)^2 + 1} - \frac{\alpha\epsilon_1\lambda}{2} \tag{2}$$

where  $\alpha=q/k_BT$ , q is the charge on the mobile species, and  $k_B$  is Boltzmann's constant. The value of  $\epsilon_1$  permits the estimation of the surface potential  $V_{\rm S}$  from classical electrostatic relations involving the background carrier concentration of the material and its dielectric constant. The pile-up region has approximately the same width  $L_{\rm SC}$  as the SCR. Evidence that the donor concentration remains constant with T comes from the fact that both  $L_{\rm SC}$  and  $\chi_1$  remain independent of T for O-ZnO.

Fitting an Arrhenius temperature dependence to  $\lambda$  for the Zn-ZnO surface yields a pre-exponential factor of  $105.36 \pm 0.73$  nm and an effective activation energy  $E_{\lambda} = 0.28 \pm 0.13$  eV. A similar procedure for F yields an activation energy  $E_{\text{Flux}} = 1.67 \pm 0.32$  eV [14]. For O-ZnO,  $E_{\lambda}$  is similar in magnitude to that of Zn-ZnO, while  $E_{\text{Flux}}$  is roughly T-independent. The similar values of  $E_{\lambda}$  for Zn-ZnO and

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