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of the relevant physical processes have been identified. These involve various plasma instabili-ties and their potential role in isotropizing the momentum distribution, the elastic and inelastic з scatterings, and among the latter the importance of soft radiation [4,5], the role of the longituз dinal expansion, etc. There exist detailed [4], and very detailed [6], parametric analyses at weak coupling of these various physical processes. Extended numerical simulations using statistical classical field theory point out the existence of regimes dominated by non-thermal fixed points, with characteristic scaling behavior (see [7] for a representative example). Additional insight is provided by kinetic theory, which focuses on the direct interactions between modes or quasipar-ticles [8,5,9]. From some of these works, evidence is emerging that thermalization can indeed be achieved among weakly coupled gluons on reasonably short time scales (see e.g. [10,11]).

However a fully coherent picture is still lacking, and many issues remain to be clarified. Fur-thermore all approaches have limitations. For instance, numerical simulations have difficulties to handle very long wavelength modes, and they do not always offer the physical insight that one is looking for. As for the parametric estimates, they are blind to the possible presence of large numerical factors (and there are such factors) that can obscure the picture; one may be led for instance to expect the existence of regimes that the full solution does not reveal, because in practice, scales are not as well separated as the parametric analysis would suggest. Given the overall complexity of the problem, we feel therefore that there is a need for developing an un-derstanding based on simple (differential) equations that we can control (semi) analytically. Our goal is certainly not to resolve all the pending issues, but to identify robust, generic qualitative behaviors and understand the basic mechanisms and the factors that control the important time scales. This requires simplifications, in the choice of the system to be studied, and in the choice of an appropriate theoretical framework that may allow for analytical insight. The simplifications concerning the system to be studied are standard, and they can be alleviated with moderate ef-fort: thus, in this paper, we shall study a uniform, non-expanding system, which furthermore is isotropic in momentum space. Moreover we shall focus on small momentum modes. Relaxing these assumptions is possible, as just said, and will be the subject of future publications. As for the choice of the framework, we choose to work within kinetic theory, to which we now turn. We shall use a kinetic equation of the generic form

$$\frac{\partial f(t, \mathbf{p})}{\partial t} = C_{\text{el}}[f] + C_{\text{inel}}[f], \tag{1}$$

where the collision integral is conveniently split into two contributions: one corresponding to elastic, number conserving, scattering; the other referring to inelastic, number changing, processes. Such an equation has been used, implicitly or explicitly in many discussions of the thermalization of the quark–gluon plasma (see e.g. [4,12,13]).

The present work builds on our previous works on the subject [14] where only elastic scat-terings were taken into account, i.e., $C_{inel}[f]$ was set to zero. Because the dominant scattering among gluons occur at small angle, we can reduce the Boltzmann equation to a (much simpler) Fokker-Planck equation, in which the collision integral is written as the divergence of a cur-rent (in momentum space). The small scattering angle approximation has been checked against numerical solutions of the Boltzmann equation, and no major qualitative differences could be observed [9,15]. The Fokker–Planck equation provides a simple visualization of the physics in terms of competing currents of particles in momentum space. A particular striking conse-quence of this analysis is the prediction that, for typical initial conditions, gluons could undergo Bose–Einstein condensation (BEC), as first suggested in [16]. Of course inelastic scattering will eventually prevent a true condensate to be present in the equilibrium state, but a priori this does

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