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Numerical investigation of the interaction, transport and deposition of multicomponent droplets in a simple mouth-throat model

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ABSTRACT

A basic analysis of inhaled multicomponent droplet-vapor interaction and subsequent aerosol deposition is very important for the understanding of natural phenomena as well as for healthcare related applications. Employing a highly idealized mouth-throat (MT) model as a test bed, the transport and deposition mechanisms of a water-droplet are simulated, considering ethanol, sodium chloride and fluorescein as components. The flow-field equations are solved with a validated transition SST model which can predict the effects of flow rate, relative humidity (RH), and wet vs. dry airway walls on aerosol deposition efficiency (DE). The simulation results indicate that the hygroscopic growth of sodium chloride particles is sensitive to the saturation pressure of water vapor. A high flow rate decreases the RH in the airways as well as the average growth ratios of deposited and escaped droplets; but, still increases the DE. When compared to a dry boundary condition, the wet airway-wall increases the DE up to 4.6% when RH = 30% and the flow rate is 60 L/min. It also increases the average growth ratio of deposited droplets notably, i.e., larger than 0.5 for most conditions, while its effect on the average growth ratio of deposited droplets is not apparent. A high inlet RH can significantly enhance the hygroscopic growth of the droplets and DE, especially when it is larger than the RH threshold for the hygroscopic component. Besides, it can elevate the growth ratios of deposited and escaped droplets at the same time, which could be utilized to reduce the deposition of submicron hygroscopic aerosol in the upper airway.

1. Introduction

From air pollutants to cigarette smoke particles and pharmaceutical aerosols, many inhalable aerosols contain soluble and/or volatile components. As the humidity conditions in the human airways are normally higher than in the ambient atmosphere, these components can interact with water vapor, causing a change in aerosol size. Thus, aerosol - vapor interactions can significantly influence the trajectories of the aerosols and hence lung deposition.

Numerous experiments and simulations have been carried out to investigate the mechanisms of such aerosol - vapor interactions and to improve the efficiency of inhalers. For example, Cheng, Kleinstreuer, Kim and Zhang (2004a) numerically analyzed the effect of evaporation on JP-8 fuel droplet deposition in a human upper airway model. Later on, Kleinstreuer, Kim and Zhang (2006a) studied evaporative and hygroscopic effects on saline droplet deposition in upper airways, and concluded an increase in solute

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Nomenc	lature	
Α	surface area of the droplet	
a_1, a_2, a_3	constants determined by particle Reynolds number	
α_m	mass thermal accommodation coefficient	
C_{1}, C_{2}	constants in Eq. (31).	
C_c	Cunningham correction factor	,
C_D	drag coefficient	i
C_{Dd}	drag force coefficient for droplet	i
Cd_{ω}	cross-diffusion term	i
C_m	Fuchs-Knudsen number correction	i
C_{μ}	coefficient in the turbulent model	
C _{d.i}	specific heat of the component <i>i</i> in the droplet	
D.	inlet diameter	
D _e	mass diffusivity of component e	
D_w	mass diffusion coefficient for water vapor	
\widetilde{D}_{k}	modified term of destruction of turbulence kinetic	
<i>D</i> _{<i>K</i>}	energy	
Da	dissipation of ω	
d_	dronlet diameter	
E_{u1} , E_{u2}	transition source and destruction source terms	
- 71, - 72 f	damping functions for fluctuating velocity in pear-	
Ji	wall region $i = u v w$	
f	wall region, $t = u, v, w$	
J _u	domning function normal to the necessary wall	
J_v	damping function normal to the nearest wall	
f_w	damping function normal to f_u and f_v	
G _i	zero-mean, unit variance independent Gaussian ran-	
→	dom numbers	
Ś	gravitational acceleration	
i	van't Hoff factor	
K_e	Kelvin effect correction for component <i>e</i>	
K_w	Kelvin effect correction for water vapor	
Kn	Knudsen number	
k	turbulence kinetic energy	
le	eddy length scale	
L_e	latent heat of evaporable component e	
M_e	molar mass of the component of interest e	
m _d	mass of the droplet	
$m_{d,i}$	mass of the component <i>i</i> in the droplet	
\overline{n}_e	the average mass flux of evaporable component e on	
	the droplet surface	
n_e	mass flux of evaporable component e	
Nu	Nusselt number of the droplet	
Pr	Prandtl number	
$\stackrel{P_k}{\sim}$	production of turbulence kinetic energy	
P_k	modified term of P_k with intermittency	
$P_{ve,sat}(T_d)$	saturation pressure of component e under tempera-	
	ture T_d	
$P_{\gamma 1}, P_{\gamma 2}$	transition source and destruction source terms	
$P_{\theta t}$	source term in Eq. (5).	
р	fluid pressure	
R	universal gas constant	
R_e	gas constant of component e	
R_w	gas constant of water vapor	
r_{∞}	radius of the air around the droplet	
Rea	droplet Reynolds number	
· u	L	

number

RH	relative humidity
Sc	Schmidt number
Sc_t	turbulent Schmidt number
sh	Sherwood number of the droplet
Γ_a	temperature of the surrounding air
\overline{L}_d	droplet temperature
Γ _L	fluid Lagrangian integral time
t	time
cross	eddy crossing time
$1, t_2, t_3$	constants in Eq. (30).
u	fluid velocity
$\overrightarrow{u_d}$	velocity vector of the droplet
u _i	instantaneous velocity of the fluid, $i = x, y, z$
ī i	time average velocity
u_i'	fluctuating component
x _e	mole fraction of e in the droplet
x_s	mole fraction of soluble component, i.e., NaCl in the
	validation case
x _w	mole fraction of water
Y _{e,surf}	mass fraction of the evaporable component e on the
	interface of the droplet
$Y_{e,\infty}$	mass fraction of the evaporable component e in the
	surrounding gas
Y _w	mass fraction of the water vapor
Y _{w,surf}	mass fraction of the water vapor on the interface of
	the droplet
Yw. 00	mass fraction of the water vapor in the surrounding
,	air
v	distance to the nearest wall
v ⁺	dimensionless wall distance
, ,	
Greek	
α_m	mass thermal accommodation coefficient

a_m	mass mermai accommodation coemcient
ΔT	temperature change in one time step
γ	intermittency
γ_e	activity coefficient of component e
γ_w	water activity coefficient
ξ_i	random numbers from standard normal distribution
λ	gas mean free path
λ_g	thermal conductivity of the surrounding gas
μ	dynamic viscosity of the fluid
μ_t	turbulent viscosity
υ	kinematic viscosity of the fluid
v_t	turbulent eddy viscosity
ρ	fluid density
$ \rho_d $	droplet density
$ ho_g$	density of surrounding gas
$\rho_{vw,sat}$	saturation water vapor density
σ	surface tension of the droplet
σ_k	turbulent Prandtl number for k
$\sigma_{\!\omega}$	turbulent Prandtl number for ω
τ	particle relaxation time
$ au_e$	eddy lifetime
$ au_w$	wall shear stress
ϕ	heat flux
ω	specific dissipation rate

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