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02 By-product mutualism with evolving common enemies

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HIGHLIGHTS

- We consider the common-enemy hypothesis of by-product mutualism.
- We provide micro-foundations for this hypothesis, using evolutionary game theory.
- We consider an asymmetric game where the common enemy is a strategic player.
- The common enemy may or may not be able to avoid the common-enemy effect.

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ABSTRACT

The common-enemy hypothesis of by-product mutualism states that organisms cooperate when it is in their individual interests to do so, with benefits for other organisms arising as a by-product; in particular, such cooperation is hypothesized to arise when organisms face the common enemy of a sufficiently adverse environment. In an evolutionary game where two defenders can cooperate to defend a common resource, this paper analyzes the common-enemy hypothesis when adversity is endogenous, in that an attacker sets the number of attacks. As a benchmark, we first consider exogenous adversity, where adversity is not subject to evolution. In this case, the common-enemy hypothesis is predicted when the degree of complementarity between defenders' defensive efforts is sufficiently low. When the degree of complementarity is high, the hypothesis is predicted only when cooperation costs are high; when cooperation costs are instead low, a competing hypothesis is predicted, where adversity discourages cooperation. Second, we consider the case of endogenous adversity. In this case, we continue to predict the competing hypothesis for a high degree of complementarity and low cooperation costs. The common-enemy hypothesis, however, only continues to be predicted for the lowest degrees of complementarity.

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1. Introduction

Among several explanations for cooperation among organisms (for overviews, see Dugatkin, 1997, 2002a; Sachs et al., 2004; Lehman and Keller 2006; Nowak, 2006), by-product mutualism (West Eberhard, 1975; Brown, 1983) provides a particularly straightforward rationale: organisms cooperate when it is in their individual interests to do so, and the benefits that cooperation generates for other organisms merely arise as a by-product. The common-enemy hypothesis of by-product mutualism argues that by-product mutualism particularly applies when organisms face the “common enemy of a sufficiently adverse environment” (Mesterton-Gibbons and Dugatkin, 1992, p.273), where the literature gives diverse examples of adverse environments. Increased predation risk could induce prey to jointly defend against predators (Mesterton-Gibbons and Dugatkin, 1992, p.274; Spieler,

2003; Krams et al., 2010). Predators may engage in collective hunting when facing the adverse environment of a large and difficult-to-catch prey (Scheel and Packer, 1991; Mesterton-Gibbons and Dugatkin, 1992; Dugatkin, 2002b). Further suggested examples of adverse environments that induce cooperation include scarcity in the availability of resources (Strassman et al., 2000; Callaway et al., 2002), and harsh weather conditions (Dugatkin, 1997, p. 84). Finally Roberts (2005) links adverse environments to a higher degree of interdependence between cooperating organisms.

In examples where the common enemy takes the form of the physical environment, such as bad weather conditions, the level of adversity is exogenously given, in that it does not itself respond to the level of cooperation among the cooperating organisms (*exogenous adversity*). Yet, when the level of adversity is determined by the behavior or characteristics of another organism, such as the intensity with which a predator hunts in case of cooperatively defending prey, or the size of a prey in case of cooperatively hunting predators, the level of adversity may itself be subject to

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1 evolution, and may adapt to the level of cooperation among the
2 cooperating organisms (*endogenous adversity*). Our paper shares
3 the purpose of making adversity endogenous with Arenas et al.
4 (2011). These authors extend the standard multi-player public
5 goods game, by introducing a third strategy in the form of a “joker
6 strategy”, on top of the standard strategies of cooperating and of
7 defecting. Jokers are assumed to always have the same payoff, and
8 reduce the value of the public good by a fixed amount. Whereas in
9 the absence of jokers only joint defection can evolve, the presence
10 of jokers can lead to rock-scissors-papers dynamics, where a
11 fraction of the population cooperates at any given point of time.

12 Our analysis differs from Arenas et al. (2011), in that we instead
13 turn a variant of the standard public goods game into an asym-
14 metric game, by adding a population of adversaries who are
15 matched to the population of players playing the public goods
16 game, who are worse off the higher the value of the public good
17 produced by the players to whom they are matched, and who can
18 either make few or many attempts to reduce the value of this
19 public good. This alternative approach allows us to investigate the
20 following question: if increased adversity, through the common-
21 enemy effect, makes a first group of organisms (e.g. prey) co-
22 operate more often, should a second group of organisms (e.g.,
23 predators) that determines the level of adversity and that has
24 lower fitness the higher the level of cooperation, then not evolve
25 to keep adversity limited, thus preventing the common-enemy
26 effect from coming into force?

27 We investigate this question by adapting the game-theoretic
28 model of collective defense by De Jaegher and Hoyer (2016a). In
29 this model, two defenders face a number of random attacks, and
30 individually decide either to cooperate (= defend) or to defect (=
31 not defend). The authors investigate the effect of an increase in the
32 number of attacks. Results depend on the degree of comple-
33 mentarity between defenders’ defensive efforts, i.e. the degree
34 to which each defender’s defensive effort is critical in ensuring
35 collective defense. When the degree of complementarity is high,
36 for high cooperation costs, the size of the basin of attraction of an
37 evolutionary stable strategy (or ESS; Maynard Smith and Price,
38 1973) where both defenders cooperate is larger the higher the
39 number of attacks (common-enemy effect). This is because the
40 dominant effect of an increase in the number of attacks is that it
41 becomes less attractive for defenders to deviate from joint co-
42 operation. When the degree of complementarity is high but co-
43 operation costs are instead low, the size of the basin of attraction
44 of an ESS where both defenders cooperate is smaller the higher
45 the number of attacks (competing effect). This time, the dominant
46 effect of an increase in the number of attacks is that it becomes
47 less attractive for defenders to deviate from joint defection. For
48 lower degrees of complementarity, a higher number of attacks
49 makes it more attractive to defend independently of the other
50 defender’s behavior, and the common-enemy effect is always
51 obtained.

52 As shown in the current paper, when the number of attacks is
53 endogenous in being set by an attacker, the competing effect
54 continues to be predicted for high complementarity and low co-
55 operation costs. The common-enemy effect, however, is only fully
56 maintained for the lowest degrees of complementarity. Intuitively,
57 let attacking costs initially be high, so that attackers attack few
58 times. If cooperation costs are high, defenders will still always
59 defect. If attacking costs now decrease, leading attackers to attack
60 more often, by the reasoning above, when complementarity is
61 high it becomes less attractive for defenders to deviate from joint
62 cooperation, and the common-enemy effect may apply, in that
63 joint cooperation is achieved. Yet, once defenders have achieved
64 joint cooperation, it is no longer worthwhile for attackers to attack

65 more often, and the common-enemy effect is undone. The com-
66 mon-enemy effect becomes self-defeating, in the sense that once a
67 high number of attacks have lead to joint cooperation, attackers no
68 longer have an incentive to launch many attacks. When com-
69 plementarity is low, an increase in the number of attacks after a
70 decrease in attacking costs, does not lead defenders to achieve
71 joint cooperation, but only makes a higher fraction of defenders
72 cooperate. For this reason, attackers continue to attack when the
73 common-enemy effect applies, and the common-enemy effect is
74 no longer self-defeating.

75 The paper is structured as follows. Section 2 presents the
76 model. As a benchmark, Section 3 shortly treats the case of exo-
77 genous adversity. Section 4 contains the central results of this
78 paper. We end with a discussion in Section 5.

79 2. The model

80 We consider the following evolutionary game played by two
81 infinitely large populations of defenders and attackers (for con-
82 venience, an attacker is referred to as “she” and a defender as “he”).
83 At each point of time, two defenders are randomly matched to
84 each other, and at the same time to one randomly-chosen attacker.
85 Each attack by an attacker is targeted at a single, randomly chosen
86 defender among the two defenders to whom she is matched. An
87 attacker can launch either one ($A = 1$) or two ($A = 2$) random
88 attacks on the two defenders to whom she is matched. When
89 $A = 2$, the two attacks (interpreted as a process of statistical
90 sampling of the two defenders) take place in a process of sampling
91 with replacement, so that by coincidence the same defender may
92 be attacked twice.

93 Any two defenders who are matched to each other hold a
94 common resource, from which they always obtain the same fit-
95 ness. Each defender either plays C (cooperates) or plays D (de-
96 fects). Playing C means exerting effort to defend the common
97 resource, and comes at a cost c ; playing D means not exerting any
98 effort, and incurring zero costs. If only one defender is attacked
99 (which occurs either when $A = 1$, or when $A = 2$ but the same
100 defender is by chance attacked twice), then what the other de-
101 fender plays does not matter for the fitness both defenders obtain
102 from their common resource. If the solely-attacked defender plays
103 C , both defenders obtain the maximal fitness V from the common
104 resource; if the solely-attacked defender plays D , both defenders
105 obtain fitness $(1 - k)V$ net of cooperation costs, with $0 < k \leq 1$,
106 where k is the *degree of complementarity* (see below). If both de-
107 fenders are attacked (which occurs when $A = 2$, and by chance a
108 different attacker is each time attacked), when they both play C ,
109 both obtain maximal fitness V from the common resource; when
110 one plays C and the other D , they again both obtain fitness $(1 - k)V$
111 from the common resource; when they both play D , they both
112 obtain zero fitness.

113 Restating the model, each defender may be seen as either
114 contributing to the preservation of the fitness V obtained from the
115 common resource, or not contributing. A defender may contribute
116 in two ways: either by being attacked but playing C , or by not
117 being attacked (in which case it does not matter whether he plays
118 C or D). A defender does not contribute when playing D and being
119 attacked. With this restatement of the model, the parameter k is
120 more easily interpreted as the degree of complementarity (Ray
121 et al., 2007) between the defenders’ contributions, where $k = 1$
122 means perfect complementarity (= only when both defenders
123 contribute can nonzero fitness be obtained); $k = 1/2$ means that the
124 defenders’ contributions are perfect substitutes (= a second con-
125 tributing defender adds as much to fitness as a first contributing
126 defender); $k = 0$ means that the defenders’ contributions are perfect
127 substitutes (= a second contributing defender adds nothing to fitness
128 if the first defender has already contributed).
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