



Chemical Engineering Research and Design



journal homepage: www.elsevier.com/locate/cherd

## Supply and target based superstructure synthesis of heat and mass exchanger networks

### O.S. Azeez, A.J. Isafiade\*, D.M. Fraser

Department of Chemical Engineering, University of Cape-Town, Private Bag, Rondebosch 7701, South Africa

#### ABSTRACT

This paper presents new methods for the optimisation of superstructures involving heat exchanger networks (HENS) and mass exchanger networks (MENs). The techniques developed in this study explore the use of key variables (namely supply temperatures/compositions and target temperatures/compositions) in HENs and MENs to define the intervals of superstructures. Such superstructures are modeled as mixed integer non linear programmes (MINLP) with the objective of minimisation of the total annual cost (TAC) for each network. The superstructures presented in this paper are derivatives of the interval and supply based superstructures (IBMS and SBS) developed previously. Two different superstructures are developed in this paper: the first uses the supply temperature/composition of hot/rich streams and the target temperature/composition of cold/lean streams (denoted supply and target based superstructure, S&TBS), while the second superstructure uses the target temperature/composition of hot/rich streams and the supply temperature of cold/lean streams (denoted target and supply based superstructure, T&SBS). Five HEN examples are presented. The results obtained compare well with those in the literature. © 2011 The Institution of Chemical Engineers. Published by Elsevier B.V. All rights reserved.

Keywords: Heat exchanger networks; Mass exchanger networks; Superstructure; Total annual cost

#### 1. Introduction

The tasks of synthesizing cost effective heat exchanger networks (HENs) and mass exchanger networks (MENs) have become key aspects of process synthesis. Heat exchanger network synthesis (HENS) has received much attention over the years. For example, Lee et al. (1970) formulated HENS problems using the branch and bound technique of Lawler and Wood (1966) with the aim of optimal energy exchange to obtain a network of minimum cost. In their formulation, no stream splitting was considered. The technique of Lee et al., though helped in the reduction of combinatorial difficulty in HENS, but the highest number of streams that has been solved in the literature by this technique is ten (Pho and Lapidus, 1973). Another shortcoming of the method of Lee et al. is the difficulty in obtaining cyclic structures; as such optimality cannot be guaranteed (Rathore and Power, 1975). Nishida et al. (1977) presented an algorithmic evolutionary synthesis method that appears to be more suitable for more sizable HENS problems but the approach is sequential.

Linnhoff and Flower (1978) presented a thermodynamically based temperature interval synthesis method from which the pinch concept for HENS developed. The method is premised on the basis that a cost effective network should exhibit a high degree of energy recovery. They subdivided their approach into two stages: in the first stage, a preliminary network that gives the highest possible energy recovery was generated, in the second stage; the preliminary network generated in the first stage served as the initial point to search for the most satisfactory network from the view points of cost, safety, and control, among other considerations.

In the application of pinch technology to process synthesis, the design requirement is that there should be no heat flow across the pinch. The first step is to determine the minimum energy consumption to obtain the annual operating cost (AOC) target. The network synthesis is then decomposed into subnetworks below and above the pinch, and the problem solved independently for each subnetwork, using heuristics to evolve networks with minimum units. This may be compared with the annual capital cost (ACC) target obtained from the pinch

\* Corresponding author. Tel.: +27 21 650 4869; fax: +27 21 650 5501.

doi:10.1016/j.cherd.2011.07.004

E-mail addresses: AJ.Isafiade@uct.ac.za, isafiade@gmail.com (A.J. Isafiade). Received 27 April 2011; Received in revised form 5 July 2011; Accepted 8 July 2011

<sup>0263-8762/\$ –</sup> see front matter © 2011 The Institution of Chemical Engineers. Published by Elsevier B.V. All rights reserved.

Nome	nclature	SED <sub>l,k</sub>	lean str
Sets		SLD <sub>l,k</sub>	boundar
С	cold process and utility streams	Ts	supply t
Н	hot process and utility streams	$T^{t}$	target te
R	rich process streams	$T^{s}$	supply t
S	lean streams (process and external MSAs)	T <sup>t</sup>	target te
К	temperature/composition intervals in the	$\left \begin{array}{c}T_{i}^{\mathrm{s}}\\T_{i}^{\mathrm{t}}\\T_{j}^{\mathrm{s}}\\T_{j}^{\mathrm{t}}\\T_{Hi,k}^{\mathrm{s}}\end{array}\right $	Supply t
	superstructure	<sup>1</sup> Hi,k	boundar
		$T^{s}_{Cj,k}$	Supply t
Indices		<sup>-</sup> Cj,k	boundar
i	hot process or utility stream	T <sup>t</sup> <sub>Hi,k</sub>	Target te
j	cold process or utility stream	H1,R	boundar
k	index for temperature/composition boundary	T <sup>t</sup> <sub>Ci,k</sub>	Target te
	(k = 1,, NOK + 1)	CI,K	boundar
1	lean stream (process or external mass separat-	T <sub>k</sub>	tempera
	ing agent)	X	supply c
r	rich process stream	X <sub>l</sub> <sup>t</sup>	target co
Deven		Yrs	supply c
Param	annual cost per unit of lean stream l	Yrt	target co
AC <sub>l</sub> ACH <sub>rl</sub>	-	Y <sup>*S</sup>	equilibri
ACH <sub>r</sub> ]	annual cost per height for continuous con- tact columns involving rich stream r and lean		1
	stream l	Y <sub>1</sub> <sup>*t</sup>	equilibri
ACT <sub>rl</sub>	annual cost per stage for staged columns		1
ACT	involving rich stream r and lean stream l	Y <sub>k</sub>	composi
AFC	area cost coefficient for heat exchangers	Y <sup>s</sup> <sub>Ri,k</sub>	supply c
b	equilibrium line intercept		boundar
C <sub>j,k</sub>	represents the existence of cold stream <i>j</i> in	Y <sup>t</sup> <sub>Ri,k</sub>	target co
CJ,R	interval K (i.e. between temperature interval		boundar
	boundaries k and $k+1$ )	Y <sup>s*</sup> Si,k	equilibri
CB <sub>ij</sub>	fixed charge for heat exchangers		l at inter
CB <sub>rl</sub>	fixed charge for mass exchanger columns	Y <sup>t*</sup> Si,k	equilibri
0211	involving rich stream r and lean stream l		l at inter
CS	starting location for cold streams in the super-	$\Gamma_{\rm H}$	upper bo
	structure	$\Gamma_{\rm M}$	upper bo
CE	ending location for cold streams in the super-	$\varepsilon_{min}$	minimu
	structure		phase
CU	cost per unit of cold utility	$\Omega_{ m H}$	upper bo
D	area cost index for heat/mass exchangers	$\Omega_Z$	upper bo
$H_{i,k}$	represents the existence of hot stream i in inter-	\$	conditio
,	val K (between temperature interval boundaries	Pinany	uariablas
	k and k + 1)		variables variable
HS	starting location for hot streams in the super-	Z <sub>ijk</sub>	interval
	structure	Z <sub>rlk</sub>	variable
HE	ending location for hot streams in the super-		interval
	structure		
HU	cost per unit of hot utility	Positive	variables
Κw	lumped mass transfer coefficient	dt <sub>ijk</sub>	heat exc
m	equilibrium constant for the transfer of compo-	,	tempera
	nent from rich stream r to lean stream l	dy <sub>rlk</sub>	mass ex
NOK	number of temperature/composition intervals		composi
R <sub>r,K</sub>	existence of rich stream r in interval K (between	Fi	flow rate
	composition interval boundaries k and k + 1)	Fj	flow rate
RST <sub>r,k</sub>	rich stream r start at composition interval	Gr	rich stre
<b>DDD</b>	boundary k	Ll	lean stre
RED <sub>r,k</sub>	rich stream r end at composition interval	M <sub>rlk</sub>	mass ex
0	boundary k		l in com
S <sub>l,k</sub>	existence of lean stream l in interval K (between	N <sub>rlk</sub>	number
0.077	composition interval boundaries k and k + 1)	q <sub>ijk</sub>	heat exc
SST <sub>l,k</sub>	lean stream <i>l</i> start at composition interval		in temp
	boundary k		

SED <sub>l,k</sub>	lean stream l start at composition interval		
-	boundary k		
$T_i^s$	supply temperature of hot stream i		
$T_i^l$	target temperature of hot stream i		
$T_j^s$	supply temperature of cold stream <i>j</i>		
$ \begin{array}{l} T_i^{\rm s} \\ T_i^{\rm t} \\ T_j^{\rm s} \\ T_j^{\rm t} \\ T_{Hi,k}^{\rm s} \end{array} $	target temperature of cold stream j		
T <sup>s</sup> <sub>Hik</sub>	Supply temperature of hot stream i at interval		
111,10	boundary k		
$T^{s}_{Cj,k}$	Supply temperature of cold stream <i>j</i> at interval		
CJ,K	boundary k		
T <sup>t</sup> <sub>Hi.k</sub>	Target temperature of hot stream i at interval		
H1, R	boundary k		
$T^{t}_{Ci,k}$	Target temperature of cold stream <i>j</i> at interval		
- C1,k	boundary k		
T <sub>k</sub>	temperature of interval boundary k		
xs	supply composition of lean stream l		
$\begin{array}{c} X_l^s \\ X_l^t \\ Y_r^s \\ Y_r^t \\ Y_l^{ts} \end{array}$	target composition of lean stream l		
vs	supply composition of rich stream r		
vt	target composition of rich stream r		
ι <sub>γ</sub> v×s	equilibrium supply composition of lean stream		
1			
<b>v</b> ∗t	ہ equilibrium target composition of lean stream		
Y <sub>l</sub> *t	equilibrium target composition of lean stream		
V	l		
Y <sub>k</sub>	composition of interval boundary k		
$Y^{s}_{Ri,k}$	supply composition of rich stream r at interval		
+	boundary k		
Y <sup>t</sup> <sub>Ri,k</sub>	target composition of rich stream r at interval		
	boundary k		
Y <sup>s*</sup> <sub>Si,k</sub>	equilibrium supply composition of lean stream		
	l at interval boundary k		
$Y_{Si,k}^{t*}$	equilibrium target composition of lean stream		
	l at interval boundary k		
$\Gamma_{\rm H}$	upper bound for driving force in match i, j		
$\Gamma_{\rm M}$	upper bound for driving force in match r, l		
$\varepsilon_{min}$	minimum composition difference in the lean		
	phase		
$\Omega_{ m H}$	upper bound for heat exchanged in match i, j		
$\Omega_Z$	upper bound for mass exchanged in match r, l		
\$	conditional operator		
Binary variables			
$Z_{ijk}$	variable showing the existence of match $i, j$ in		
	interval K in the network		
Z <sub>rlk</sub>	variable showing the existence of match r, l in		
	interval K in the network		
Positive variables			
-			
dt <sub>ijk</sub>	heat exchanger driving force for match $i, j$ in		
_	temperature interval K		
dy <sub>rlk</sub>	mass exchanger driving force for match r, l in		
	composition interval K		
F <sub>i</sub>	flow rate of hot stream i		
$F_j$	flow rate of cold stream j		
Gr	rich stream flowrate		
$L_l$	lean stream flowrate		
M <sub>rlk</sub>	mass exchanged between stream r and stream		
	l in composition interval K		
N <sub>rlk</sub>	number of stages in staged column rlk		
$q_{ijk}$	heat exchanged between stream $i$ and stream $j$		

in temperature interval K

Download English Version:

# https://daneshyari.com/en/article/621888

Download Persian Version:

https://daneshyari.com/article/621888

Daneshyari.com