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## Solar air heaters with external recycle

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#### ABSTRACT

The effect of external recycle on the collector efficiency in solar air heaters has been investigated theoretically. The application of external-recycle operation to solar air heaters actually has two conflict effects. One is the desirable effect of increasing fluid velocity to decrease the heat transfer resistance. The other is the undesirable effect of decreasing the driving force (temperature difference) of heat transfer, due to the remixing at the inlet. It is found that considerable improvement in collector efficiency is obtainable if the operation is carried out with an external recycle, where the desirable effect overcomes the undesirable effect. The enhancement increases with increasing reflux ratio, especially for operating at lower air flow rate with higher inlet air temperature.

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#### 1. Introduction

The solar air heaters, in which energy transfer is from a distant source of radiant energy to air, may be used for space heating, drying and paint spraying operations [1,2]. Without optical concentration, the flux of incident radiation is approximated up to 1100 W/m², and flat-plate solar collectors are designed for application requiring energy delivery at moderate temperature. The solar air heater occupies an important place among solar heating systems because of minimal use of materials, and the direct use of air as the working substance reduces the number of required system components. In many industrial applications where recirculation of air is not practical because of contaminate, outside air is heated and used directly, especially for supplying fresh air to hospitals. Further, heating of ambient air is an ideal operation for a collector, as it operates very close to ambient temperature.

In addition to the essential effects of free and forced convections [3–5], considerable improvement in collector efficiency is also obtainable to increase the transfer area by adding fins [3,6], and to create the turbulence inside the flow channel by using baffles [7], or corrugated surfaces [8–11].

It was pointed out that applications of the recycle-effect in the design and operation of the equipment with external or internal recycle can effectively enhance the effect on heat and mass transfer, leading to improved performance [12–18]. Actually, there are two conflict effects of recycle operation. One is the desirable effect of increasing fluid velocity, resulting in enhancement of convective heat or mass transfer, while the other is the undesirable effect of

decreasing the driving force (temperature or concentration difference) due to remixing. It was found that the increase in convective heat or mass transfer by increasing the reflux ratio can generally compensate for the decrease of driving force, leading to improved performance. It is the purpose of this work to investigate the influence of the external-recycle effect on the performance in a flat-plate solar air heater.

### 2. Theoretical analysis

The structure of a flat-plate solar air heater with external recycle may be illustrated by the schematic diagram of Fig. 1. An actual panel of solar air heater is shown in Fig. 2. A black absorbing plate was welded at the center of the collector. The air was heated in a pre-heater for temperature control and supplied steadily at the inlet. Two blowers and two transformers were used to regulate the flow rates as well as the reflux ratio R, which were measured using anemometers. The ambient temperature was controlled using an air conditioner. The wind was provided by a fan. The solar radiation incident was simulated and controlled by the artificial simulation consisted with a set of bulbs, as shown in part B in Fig. 2. The temperatures of the absorbing surface and outside glass covers were measured with probes. Eight mercury thermometers were employed to measure the air temperature within the heater and at the inlet and outlet. The steady-state energy balance will be taken under the following assumptions: the temperature of the absorbing plate is uniform, bottom plate and bulk fluids are functions of the flow direction only, and both the glass cover and fluids do not absorb radiant energy. Furthermore, except the glass cover, all parts of the outside surface of the solar air collector, as well as the flow channel of recycle, are well thermally insulated.

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#### Nomenclature $A_{c}$ surface area of the absorbing plate with fins (m<sup>2</sup>) ambient temperature (K) overall loss coefficient (W/m2 K) the width of absorber surface area (m) $U_{\rm I}$ specific heat of air at constant pressure (I/kg K) loss coefficient from the top of the solar collector to the $C_{\rm p}$ $D_{e,0},D_{e,a},D_{e,b}$ equivalent diameter of the single-pass operation, ambient, $h_w + h_r (W/m^2K)$ average air velocity in the open single-pass operation, lower channel and upper channel for double-pass $\overline{\nu_0}, \overline{\nu_a}, \overline{\nu_b}$ operation, respectively (m) lower channel and upper channel for double-pass oper-Fanning factor ation, respectively (m/s) V efficiency factor of the solar air heater wind velocity (m/s) heat-removal factor for the solar air heater $F_{R}$ axis along the flow direction (m) 7 height of the air tunnel in the solar collector (m) $h_1, h_2, h$ convective heat-transfer coefficient for fluid flowing Greeks over a flat plate (W/m<sup>2</sup> K) collector efficiency η radiant heat-transfer coefficient between two parallel the Stefan-Boltzmann constant (W/m<sup>2</sup> K<sup>4</sup>) $h_{r,p-R}$ $\sigma$ plates (W/m<sup>2</sup> K) emissivity of glass cover $\varepsilon_{\mathbf{g}}$ convective heat-transfer coefficient between glass cover emissivity of absorbing plate $h_{w}$ $\varepsilon_{\rm p}$ and the ambient $(W/m^2 K)$ $\varepsilon_{\mathrm{R}}$ emissivity of bottom plate increment of power consumption transmittance of glass cover $E_{\rm P}$ improvement in collector efficiency absorptivity of the absorbing plate $E_{R}$ solar radiation incident (W/m<sup>2</sup>) $I_0$ thermal conductivity of air (W/m K) Subscript collector length (m) L ambient m mass-flow rate of air (kg/s) glass cover Nusselt number Nu fluid $P_{\rm R}, P_{\rm S}$ hydraulic dissipated power in the double- and singleinlet pass devices, respectively (hp) outlet useful gain of energy carried away by air per unit time $Q_{u}$ absorbing plate bottom plate (W) Ŕ reflux ratio 0 the operation without recycle $Re_0, Re_a, Re_b$ Reynolds number of the single-pass operation, lower channel and upper channel for double-pass operation, Superscript respectively mixed

#### 2.1. Temperature distribution for the fluid in the flow direction

The steady-state energy balance for differential sections of the absorbing plate, bottom plate and flowing fluid are, respectively.

$$I_0\tau\alpha - h_1(T_p - T_f) + h_{r,p-R}(T_p - T_R) + U_t(T_p - T_a) = 0, \eqno(1)$$

$$h_{r,p-R}(T_p - T_R) = h_2(T_R - T_f),$$
 (2)

$$[\dot{m}(1+R)C_{\rm p}]\frac{{\rm d}T_{\rm f}}{{\rm d}z} = h_1B(T_{\rm p}-T_{\rm f}) + h_2B(T_{\rm R}-T_{\rm f}). \tag{3}$$

Solving Eqs. (1) and (2) for  $(T_p - T_f)$  and  $(T_R - T_f)$ , we obtain

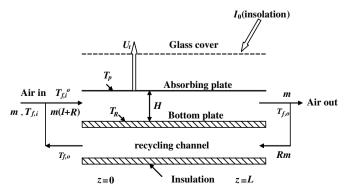


Fig. 1. Schematic diagram of a solar air heater.

$$T_{p} - T_{f} = \frac{[I_{0}\tau\alpha(h_{2} + h_{r,p-R}) - (h_{2}U_{t} + h_{r,p-R}U_{t})(T_{f} - T_{a})]}{[h_{1}(h_{2} + h_{r,p-R}) + h_{2}(h_{r,p-R} + U_{t}) + h_{r,p-R}U_{t}]}$$
(4)

$$T_{R} - T_{f} = \frac{[I_{0}\tau\alpha h_{r,p-R} - h_{r,p-R}U_{t}(T_{f} - T_{a})]}{[h_{1}(h_{2} + h_{r,p-R}) + h_{2}(h_{r,p-R} + U_{t}) + h_{r,p-R}U_{t}]}$$
 (5)

Substituting Eqs. (4) and (5) into Eq. (3), one has

$$[\dot{m}(1+R)C_{\rm p}]\frac{{\rm d}T_{\rm f}}{{\rm d}z} = BF'[I_0\tau\alpha - U_{\rm L}(T_{\rm f} - T_{\rm a})],$$
 (6)

where

$$F' = \frac{[h_1(h_2 + h_{r,p-R}) + h_2 h_{r,p-R}]}{[h_1(h_2 + h_{r,p-R}) + h_2 (h_{r,p-R} + U_t)]}, \tag{7}$$

$$U_{L} = \frac{[h_{1}(h_{2}U_{t} + h_{r,p-R}U_{t}) + h_{2}h_{r,p-R}U_{t}]}{[h_{1}(h_{2} + h_{r,p-R}) + h_{2}h_{r,p-R}]},$$
(8)

in which F is called efficiency factor and  $U_L$  is the overall heat-loss coefficient. The collector efficiency factor is essentially constant for any design and fluid flow rate [1]. Furthermore, if  $U_L$  is assumed to be constant along the flow direction, Eq. (6) can be easily integrated for boundary condition

$$T_{\rm f} = T_{\rm f,i}^{\rm o}$$
 at  $z = 0$ . (9)

The result is

$$\frac{T_{\rm f}-T_{\rm a}-I_0\tau\alpha/U_{\rm L}}{T_{\rm f,i}^{\rm o}-T_{\rm a}-I_0\tau\alpha/U_{\rm L}}=\exp\left[-\frac{F'U_{\rm L}Bz}{\dot{m}(1+R)C_{\rm p}}\right]. \tag{10}$$

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