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Towards clinically feasible relaxation-diffusion correlation MRI using MADCO

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ABSTRACT

Multidimensional relaxation-diffusion correlation (REDCO) NMR is an assumption-free method that measures how water is distributed within materials. Although highly informative, REDCO had never been used in clinical MRI applications because of the large amount of data it requires, leading to infeasible scan times. A recently suggested novel experimental design and processing framework, marginal distributions constrained optimization (MADCO), was used here to accelerate and improve the reconstruction of such MRI correlations. MADCO uses the 1D marginal distributions as *a priori* information, which provide powerful constraints when 2D spectra are reconstructed, while their estimation requires an order of magnitude less data than conventional 2D approaches. In this work we experimentally examined the impact the complexity of the correlation distribution has on the accuracy and robustness of the estimates. MADCO and a conventional method were compared using two T_1 –D phantoms that differ in the proximity of their peaks, leading to a relatively simple case as opposed to a more challenging one. The phantoms were used to vet the achievable data compression using MADCO under these conditions. MADCO required ~43 and ~30 less data than the conventional approach for the simple and complex spectra, respectively, making it potentially feasible for preclinical and even clinical applications.

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1. Introduction

Properties such as T_1 and T_2 time constants, and diffusivity (D), are determined by the physical barriers and chemical environments of water residing within materials. Multidimensional NMR methods can be used to measure how these properties are correlated (e.g., T_1 –D, T_1 – T_2), and from them identify and characterize microstructure-related water dynamics in many applications [1,2]. To obtain this information one has to solve an inverse problem the Fredholm integral of the first kind [3]. In most 2D NMR applications, the part that relates the experimental and the measured variables (e.g., T_1 and inversion time, τ , or D and diffusion weighting, b, see Experimental) is called the kernel, and has an exponential form. In this case solving the Fredholm integral is reduced to a 2D inverse Laplace transform (ILT), which is a classic ill-conditioned problem [4]. Traditionally, acquiring large amounts of data are required to solve it. The most common and efficient 2D-ILT algorithm [5] is typically used in 2D NMR applications to

http://dx.doi.org/10.1016/j.micromeso.2017.02.001 1387-1811/Published by Elsevier Inc. compress the signal without losing useful information, revealing a redundancy in some basis representations.

Although multidimensional relaxation-diffusion correlation (REDCO) MRI methods have the potential to provide valuable biological information regarding the underlying microscopic structure of the tissue, preclinical and clinical applications are infeasible owing to long acquisition times. To migrate REDCO MRI methods to measure *in vivo* mean cell volume, cell types distribution, and water exchange between compartments and cells, the required number of MR acquisitions must be vastly reduced. Taking a step in this direction, compressed sensing was used as a more efficient data sampling strategy [6], able to achieve an acceleration factor of 4–10, depending on the complexity of the spectrum. This acceleration however, was not sufficient for preclinical and clinical MRI applications.

A novel experimental design and reconstruction framework that might achieves suitable compression was recently introduced [7]. The concept in this approach is to use the more accessible 1D information (e.g., T_1 distribution) to enforce physical constraints on the multidimensional distribution. For example, given a 2D joint distribution of T_1 –D, the marginal distribution of D is simply the probability distribution of D averaging over all T_1 values. This is

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typically calculated by summing or integrating the joint probability distribution over T_1 . The 1D distributions therefore contain information regarding their joint distribution, which should be exploited [8]. This method, the marginal distribution constrained optimization (MADCO), reduces the amount of required data by selectively sampling the experimental parameters space. Following the above example, instead of sampling the entire experimental parameters space (τ , b) and from it estimate the 2D distribution $\mathcal{T}(T_1, D)$ (Fig. 1A), using MADCO would only require sampling along τ and b axes (i.e., 1D data), complemented with a small number of acquisitions in the 2D space (Fig. 1B). The 2D reconstruction would then have two steps: (1) estimate $\mathcal{T}(T_1)$ and $\mathcal{T}(D)$ from the 1D data, and then (2) use these 1D spectra to constrain the estimation of $\mathcal{T}(T_1, D)$ from the remaining 2D data.

Using MADCO on simulated data revealed that the extent of achievable compression depends on the complexity of the estimated spectrum [7]. In this work we extend this investigation and experimentally examine the impact the complexity of the 2D spectra has on the accuracy and robustness of the estimates. Although the method is equally applicable to other types of multidimensional experiments, we compared MADCO and a conventional approach using two T_1 –D phantoms. Both phantoms have two peaks in the T_1 –D space, however they differ in the proximity of those peaks, leading to a relatively simple case as opposed to a more challenging one.

2. Experimental

Doped water and polyvinylpyrrolidone (PVP) (Sigma-Aldrich, K value 29–32) were used to create two T_1 –D phantoms, phantom A and phantom B, each with two distinct peaks. Increasing PVP w/v concentration is negatively correlated with both the diffusivity and T_1 , allowing for a range of T_1 –D values. Phantom A consisted of two solutions: (1) purified water with 0.5 mM gadopentetate dimeglumine (Magnevist, Bayer, Germany), and (2) 35% w/v PVP purified water with 0.18 mM Magnevist. Phantom B consisted of two solutions: (1) 35% w/v PVP purified water with 0.18 mM Magnevist, and (2) 20% w/v PVP purified water with 0.5 mM Magnevist. The corresponding weighted geometric means (gm) of the relaxation times and diffusivities (gm T_1 , gmD), as measured separately for each sample (see Methods) are shown in Fig. 3. Each solution was placed in a 4 mm NMR tube; these were then inserted together into a 15 mm NMR tube.

Images were collected on a 7 T Bruker wide-bore vertical magnet with an AVANCE III MRI spectrometer equipped with a



Fig. 1. Schematic illustration of the experimental designs used to obtain a 2D correlation function, $\mathcal{T}(T_1, D)$. (A) The conventinal approach, in which the 2D experimental parameter space is uniformly and densely sampled. (B) MADCO acquisition strategy, in which sampling of 1D data is performed prior to a small number of acquisitions in the 2D space.

Micro 2.5 microimaging probe. MRI data were acquired with an inversion recovery spin-echo diffusion-weighted echo planar imaging (IR-DWI-EPI) sequence, with an adiabatic 180° inversion pulse applied before the standard spin-echo diffusion weighted sequence (Fig. 2). The full 2D experimental set had 40 diffusion gradient linear steps (G) ranging from 0 to 900 mT/m, 38 inversion times (τ) with logarithmic temporal spacing ranging from 100 to 3000 ms, and an additional magnetization equilibrium scan with an inversion time of 10 s. Other acquisition parameters were diffusion gradient duration and separation of $\delta = 3$ ms and $\Delta = 15$ ms, respectively, leading to a b-value range of 0–6000 s/mm² ($b = \gamma^2 \delta^2 G^2 (\Delta - \delta/3)$, where γ is the gyromagnetic ratio), TE = 50 ms, and TR = inversion time + 10 s. A single 5 mm axial slice with a matrix size and resolution of 64×64 and 0.2×0.2 mm², respectively, acquired with 2 averages and 4 segments. The experimental signal-to-noise ratio (SNR) in the full 2D experiment was \sim 700.

3. Methods

The following expression [3] describes the signal attenuation from 2D NMR experiments with separable T_1 and D kernels:

$$M(\tau, b) = \int \int \mathscr{F}(T_1, D) \, k_1(\tau, T_1) k_2(b, D) \, \mathrm{d}T_1 \, \mathrm{d}D, \tag{1}$$

Eq. (1) can be discretized on a grid with $N_{T_1} = N_D = 50$ values of T_1 and D, respectively, and have the general form of

$$M(\tau, b) = \sum_{n=1}^{N_{T_1}} \sum_{m=1}^{N_D} \mathbf{F}(T_{1,n}, D_m) \exp\left(-\frac{\tau}{T_{1,n}}\right) \exp(-bD_m),$$
(2)

while it is worth noting that for T_1 -weighted measurements the fully recovered data are subtracted from the data set to remove signal offset.

The matrices $K_1 = \exp(-\tau/T_{1,n})$ and $K_2 = \exp(-bD_m)$, and F are discretized version of k_1 , k_2 , and \mathcal{F} , respectively, and Eq. (2) can be written in matrix form as

$$M = K_1 F K_2', \tag{3}$$

As discussed earlier, Eq. (3) represents an ill-conditioned problem, i.e., a small change in *M* may result in large variations in *F*. A standard approach to solving ill-conditioned problems is to regularize them. When the spectrum is expected to be smooth, ℓ_2 regularization is appropriate [9]. However, in the case of the phantom, the T_1 –D space is comprised of discrete components, therefore making ℓ_1 regularization a more suitable choice since it has many of the beneficial properties of ℓ_2 regularization, but yields sparse models [10]. The regularized problem considered in this study was

$$F^{(\alpha)} = \operatorname*{argmin}_{F \ge 0} \left(\left| \left| K_1 F K_2' - M \right| \right|_2^2 + \alpha ||F||_1^2 \right), \tag{4}$$



Fig. 2. The IR–DWI–EPI sequence. The full 2D experimental set had 40 diffusion gradient linear steps, G, and 38 inversion times, τ , with logarithmic spacing.

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