FISEVIER

Contents lists available at ScienceDirect

Advanced Powder Technology

journal homepage: www.elsevier.com/locate/apt



Original Research Paper

The effect of inclination angle and hot wall configuration on Cu-water nanofluid natural convection inside a porous square cavity

Reza Yaghoubi Emami, Majid Siavashi*, Gholamreza Shahriari Moghaddam

Applied Multi-Phase Fluid Dynamics Lab., School of Mechanical Engineering, Iran University of Science and Technology, Tehran, Iran

ARTICLE INFO

Received 18 April 2017 Received in revised form 2 September 2017

Accepted 9 October 2017 Available online xxxx

Article history:

Keywords: Two-phase mixture Nanofluid Inclined cavity Porous media

Natural convection

ABSTRACT

Natural Convection of Cu-water nanofluid in an inclined cavity filled with porous media has been investigated using two-phase mixture model. The co-effect of cavity's inclination angle, heater configuration, use of nanofluid and porous media on heat transfer enhancement has been studied with detailed investigation of the decision variables effect (Rayleigh number, Darcy number, inclination angle, and volume fraction of Cu nanoparticles) on heat transfer characteristics. The investigation considers the laminar flow for natural convection ($10^4 \leqslant Ra \leqslant 10^6$). Darcy-Brinckman-Forchheimer model has been used as for the simulation of porous media and two-phase mixture model has been applied to model the behavior of nanofluid. In accordance it has been shown that simultaneous use of nanofluid with porous media in weak convection flows is beneficial, but for strong natural convection fields that would be unfavorable and decreases heat transfer rate. It has been concluded that the effect of inclination angle highly depends on the hot wall location as in some states having the square cavity inclined would be of benefit while in another case the total heat transfer would decline. The results show that proper selection of heater configuration (side wall or corner heating) and inclination angle inline with nanofluid concentration and porous media properties can highly affect heat transfer performance. Furthermore, optimal solutions might exist for different conditions.

© 2017 Published by Elsevier B.V. on behalf of The Society of Powder Technology Japan. All rights reserved.

1. Introduction

Given the importance of heat transfer enhancement in numerous facets of engineering, myriad studies have been done ameliorating natural convective heat transfer as one of the principal phenomena in nature and engineering [1–4]. This buoyancy-induced convection is vastly present in engineering applications like electronic equipment [5,6], and heat-exchange systems [7,8]. Hence, investigating the primary factors affecting the natural convective heat transfer and introducing the best operational conditions should be of significant consideration.

One way to improve the natural convective heat transfer rate in cavities is implementing porous media. This, however, induces drag forces which decelerate the fluid, can be noticeably useful in conditions in which the conduction heat transfer is dominant over convection heat transfer. Having this solid matrix with its structured pores offers two significant advantages over the imple-

E-mail addresses: r.yaghoubie@gmail.com (R. Yaghoubi Emami), msiavashi@iust. ac.ir (M. Siavashi), shahriari@iust.ac.ir (G. Shahriari Moghaddam).

mentation of fins. Those are, larger fluid-solid contact area, as well as the erratic motion of the fluid through the pores, that make heat transfer more effective than conventional fins. Considering the usefulness of porous media, in order to have an accurate computation of the associated physics and geometry, precise models of energy and momentum transport should be applied [9]. Darcy's model as the first description of transport phenomena in porous media, however simple, fails to represent high speed flows in porous media. Later, it was followed by modifications by Brinkman and Forchheimer, and now Darcy-Brinkman-Forchheimer model is commonly implemented for mathematical description of fluid flow in porous materials [9].

Another beneficial approach regarding the augmentation of natural convective heat transfer is employing the suspension of the fluid and solid nanoparticles known as nanofluids, rather than using the low heat conducting base fluid [10]. Considerable mathematical models have been adduced in the literature trying to model the behavior of nanofluids, and they all can be classified as single-phase and two-phase models. Single-phase models rely on advancing new correlations to stand for effective properties of the nanofluid as a single-phase slurry comprises the base fluid and nanoparticles. Hence, the nanofluid suspension is regarded

https://doi.org/10.1016/j.apt.2017.10.027

0921-8831/© 2017 Published by Elsevier B.V. on behalf of The Society of Powder Technology Japan. All rights reserved.

^{*} Corresponding author at: School of Mechanical Engineering, Iran University of Science and Technology, Narmak, Tehran 1684613114, Iran.

```
2
```

86

87

88

89

90

91

92

93

94

95

96

97

98

99

100

101

102

103

104

105

106

107

108

109

110

111

112

113

114

115

116

117

118

119

120

121

```
Nomenclature
            acceleration (m s<sup>-2</sup>)
                                                                                       Greek symbols
            specific heat (J kg^{-1} K^{-1})
C_p
                                                                                                   inclination angle (m<sup>2</sup> s<sup>-1</sup>)
                                                                                                   thermal diffusivity (m<sup>2</sup> s<sup>-1</sup>)
            drag coefficient
C_d
Da
            Darcy number
                                                                                       β
                                                                                                   thermal expansion coefficient (K<sup>-1</sup>)
            nanoparticles diameter (m)
d_p
                                                                                       \boldsymbol{\varepsilon}
                                                                                                   porosity
            drag function
                                                                                                   volume fraction
f_{drag}
                                                                                       φ
                                                                                                   permeability of porous medium (m<sup>2</sup>)
Gr
            Grashof number
                                                                                       к
                                                                                                   dynamic viscosity (kg m^{-1} s<sup>-1</sup>)
            acceleration due to gravity (m s<sup>-2</sup>)
                                                                                       μ
Н
            cavity length
                                                                                                   kinematic viscosity (m<sup>2</sup> s<sup>-1</sup>)
                                                                                       ν
            heat transfer coefficient (W m<sup>-2</sup> K<sup>-1</sup>)
h
                                                                                       \theta
                                                                                                   dimensionless temperature
            thermal conductivity (W \dot{m}^{-1} K^{-1})
                                                                                                   density (kg m<sup>-3</sup>)
k
            Boltzmann constant (J K<sup>-1</sup>)
                                                                                                   dimensionless stream function
k_b
Nıı
            Nusselt number
P
            pressure (Nm<sup>-2</sup>)
                                                                                       Subscripts
Pr
            Prandtl number
                                                                                       avg
                                                                                                   average
            uniform wall heat flux (W m<sup>-2</sup>)
ď
                                                                                                   effective
                                                                                       eff
Ra
            Rayleigh number
                                                                                                   cold wall
                                                                                       С
            Reynolds number (Brownian-motion)
Re_B
                                                                                       dr
                                                                                                   drift
Re_{P}
            Reynolds number (particle)
                                                                                       f
                                                                                                   fuid
T
            temperature (K)
                                                                                                   solid (porous media)
                                                                                       S
            freezing point of the base fluid (K)
T_{fr}
                                                                                       h
                                                                                                   hot wall
            Brownian velocity of nanoparticles (m s<sup>-1</sup>)
u_{\text{B}}
                                                                                                   summation index
                                                                                       k
            velocity vector (m s<sup>-1</sup>)
                                                                                                   mixture (nanofluid)
                                                                                       m
                                                                                                   nano-particles
```

as a new homogeneous fluid with modified properties. Two-phase models (such as two-phase mixture [11,12], Eulerian-Eulerian [13,14], Eulerian-Lagrangian [15,16] and double-diffusive [17,18]) in which nanoparticles and the base fluid can be at different velocities, have been found out to be more accurate than single-phase models [19,20]. For instance, Göktepe et al. [21] had a comparative investigation of single- and two-phase models for nanofluid convection at the entrance of a uniformly heated tube and have found out that two-phase models predict convective heat transfer coefficient and friction factor more accurately at the entry region. Among different two-phase models for nanofluid flow simulation, two-phase mixture can resolve problems investigating low concentration nanofluid flows with acceptable accuracy and lower computational costs. Rahimi-Gorji et al.'s [22] investigation on nanofluid flow between two vacillated parallel plates in the presence of magnetic field suggests that for their case of study CuO gives better values for skin friction coefficient and Nusselt number than Al₂O₃. Also, higher Nusselt numbers and lower skin friction coefficients are achieved by increment in nanofluid volume fraction.

Considering the effect of nanoparticle's size, nanoparticle's concentration, and various mixtures of different base fluids and nanoparticles on heat transfer, Pourmehran et al. [23] investigated the heat transfer and flow characteristics of nanofluid flow by a stretching sheet in the presence of an external magnetic field and reported that for their case of study as the nanoparticle concentration increases, the reduced Nusselt number dwindles. Also, as reported by the authors, the TiO₂-ethylene glycol 50% gives higher reduced Nusselt number and lower skin friction coefficient compared to other mixtures.

Another study by Rahimi-Gorji et al. [24] on heat transfer analysis of microchannel heat sink using several nanofluids indicates that the greater the nanoparticles volume fraction becomes, the more significant Brownian movement of the particles is at hand, leading to less difference of temperature between the coolant and the wall.

Many researchers have considered the natural convection in various shapes e.g. triangular cavities [25–29], trapezoidal enclosures [30–32], square cavities [26,27], curved cavities [33] and wavy-walled cavities as well [34,35].

122

123

124

125

126

127

128

129

130

131

132

133

134

135

136

137

138

139

140

141

142

143

144

145

146

147

148

149

150

151

152

153

155

156

157

There are studies in which the main focus has been the effect of thermal boundary conditions on heat transfer rate [36-39]. Alsabery et al. [40] addressed the effects of finite wall thickness and sinusoidal heating on convection in a nanofluid-saturated local thermal non-equilibrium (LTNE) porous cavity and reported that the overall heat transfer is significantly increased with the relative non-uniform heating. Some researchers have investigated the effect of thermal source and sink locations on heat transfer. Türkoglu and Yücel [41] investigated natural convection in a square enclosure with a partially heater and cooler on vertical walls having the location of them changed. Mahmoodi et al. [42] simulated the magneto-natural convection in square cavities with five different thermal source-sink configurations regarding their relative locations. In their study, the maximum heat transfer occurred in the square cavity with its source on the bottom and the sink located on the left wall and the case of having a cold wall at the bottom and the hot wall at the top gave the minimum heat transfer rate. In a study conducted by Chen and Chen [43], the natural convection in a square enclosure with two different configurations of a partially hot wall were investigated. Cheikh et al. [44] investigated the natural convection in an air-filled 2D square enclosure heated with a constant source from below and with different configurations of sink on other walls. Ghasemi and Siavashi [45] used LBM to investigate the effect of different linear temperature distribution of side walls on heat transfer characteristics of nanofluid inside a porous cavity.

Gravity, as the main factor causing natural convection, can be even more effective in inclined cavities. Thus, the case of having natural convection in cavities investigated in different inclination angles was interesting to some researchers [18,46,47]. Kefayati [48,49] investigated the double-diffusive natural convection of non-Newtonian power-law fluids in an inclined porous cavity

Download English Version:

https://daneshyari.com/en/article/6577345

Download Persian Version:

https://daneshyari.com/article/6577345

<u>Daneshyari.com</u>