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Electrochemical Simulation of Planar Solid Oxide Fuel Cells with Detailed Microstructural Modeling



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ABSTRACT

A quasi-two-dimensional physically-based model for the description of transport and reaction in planar solid oxide fuel cells (SOFC) is presented in this study. Electrochemistry and transport phenomena in the cell are locally described in 2D using mass conservation equations and well-established global electro-kinetics, coupled with the 1D representation of gas channels in both co-flow and counter-flow configurations. The key feature of the model consists in the numerical reconstruction, through packing algorithms, of the three-dimensional microstructure of each porous layer for an accurate evaluation of the effective properties. Coupling of a detailed microstructural modeling into the cell-level electrochemical model allows the prediction of the polarization behavior from the knowledge of operating conditions and powder characteristics, thus eliminating the need for empirical correlations and adjusted parameters, which is typically the weak point of existing cell-level models. The framework is used for the simulation of a short stack of anode-supported cells with LSM-based cathode and 1.5 mm thick anode support, developed and tested by Forschungszentrum Jülich. The effective properties of each layer are calculated and compared with available experimental data. A good agreement is also reached when comparing simulated and experimental polarization curves under different operating conditions without fitting any parameter. Simulations show that at 800 °C the activation resistance in the cathode functional layer is the main contribution to the cell overpotential. In addition, the model suggests that gas concentration effects at the anode play an important role on the global electrochemical response. The study shows that quantitative predictions can be obtained using this integrated approach, making it an attractive tool to assist the SOFC development.

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1. Introduction

Solid oxide fuel cells (SOFCs) are energy conversion devices which offer clear advantages if compared with conventional power systems, such as low emission of pollutants [1], high efficiency [2] and fuel flexibility [3], making them attractive for both stationary and mobile applications [4]. Recent advances in manufacturing techniques and improvements in cell lifetime have led this technology close to be launched on the market [5–7].

SOFC development is currently assisted by modeling and simulation techniques [8], which help researchers understand the complex interactions between electrochemical phenomena and material properties over different length scales [9]. In particular, many efforts have been done to model the electrochemical behavior of cells within a stack [10,11]. Cell-level models describe the chemical and electrochemical phenomena occurring within an SOFC in order to relate the global cell response (e.g., the cell current-voltage characteristic) to the microscopic processes occurring within the cell components, such as the transport of species within the electrodes and the local kinetic electrochemical phenomena. This allows researchers to interpret the experimental results and to predict the system performance.

Several cell-level models have been developed in the past. Aguiar et al. [12] proposed a dynamic model for anode-supported SOFCs, consisting of mass and energy balances applied to the fuel and air channels. Zhu et al. [11] and Janardhanan and Deutschmann [13] adopted a continuum approach based on local balance equations in the membrane-electrode assembly, focusing on the elementary kinetics of internal reforming. A similar approach was adopted by Bessler et al. [14], who presented a physically-based modeling framework for the description of kinetics and

Abbreviations: LSM, strontium-doped lanthanum manganite; SOFC, solid oxide fuel cell; TPB, three-phase boundary; YSZ, yttria-stabilized zirconia.

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Notation A_{des} pre-exponential factor of hydrogen desorption kinetics ($s \cdot m^2 \cdot mol^{-1}$) Rla permeability in the layer la(la = af, as, cf, cc) (m²) d_{p}^{la} mean particle size of phase p(p = ela, elc, io) in the layer la(la = af, as, cf, cc)(m) d_{pore}^{la} mean pore size in the layer la(la = af, as, cf, cc) (m) $D_{K,s}^{eff,la}$ effective Knudsen diffusivity of species s (s = H2, H2O, O2, N2) in the layer $la(la = af, as, cf, cc) (m^2 \cdot s^{-1})$ binary diffusivity of the pair of species s1/s2 $D_{s1/s2}$ $(s1/s2 = H2/H20, O2/N2) (m^2 \cdot s^{-1})$ $D_{s1/s2}^{eff,la}$ effective binary diffusivity of the pair of species s1/s2 (s1/s2 = H2/H2O, O2/N2) in the layer la(la = af, as, cf, as)cc) (m²·s⁻¹) E° standard electromotive force (V) activation energy of hydrogen desorption kinetics E_{des} $(I \cdot mol^{-1})$ E^{act} activation energy (i = a, c) (I-mol⁻¹) f_i friction factor (i = a, c) (-) Faraday constant (C·mol⁻¹) molar flow rate of air (mol·s⁻¹) F_{air} molar flow rate of fuel (mol·s⁻¹) F_{fuel} channel height (j = a, c) (m) h_i current density per unit of TPB length (j=a, c) i_j $(A \cdot m^{-1})$ exchange current per unit of TPB length (i = a, c) i_{j0} $(A \cdot m^{-1})$ i_{i0}^{ref} exchange current per unit of TPB length at the reference temperature $(j = a, c) (A \cdot m^{-1})$ current density per unit of cell area (A·m⁻²) molar flux of species s (s = H2, H2O, O2, N2, e, O) Js $(mol \cdot m^{-2} \cdot s^{-1})$ \tilde{J}_{s} mass flux of species s (s=H2, H20, O2, N2, e, O) $(kg \cdot m^{-2} \cdot s^{-1})$ Jcell molar flux of species s (s = H2, H2O, O2, N2) at the cell-channel interface (mol·m⁻²·s⁻¹) cell length (m) L molecular weight of species s (s = H2, H20, O2, N2) M_{ς} $(kg \cdot mol^{-1})$ normal unitary vector oriented from cell to channel <u>n</u> OCVopen circuit voltage (V) pressure (i = a, c) (Pa) P_i \vec{P}_{H2}^* reference pressure of hydrogen adsorption/desorption equilibrium (Pa) P_{O2}^{ref} Pe_{j} reference oxygen partial pressure (Pa) Peclet number (j = a, c) (-) charge of species s(s = e, O)(-) q_s interconnect rib width (j = a, c) (m) r_j Ř ideal gas constant (J·mol⁻¹·K⁻¹) Re_i Reynolds number (j = a, c) (-) tla thickness of the layer la(la = af, as, cf, cc, ey) (m) Т operating temperature (K) T_i^{ref} reference temperature for reaction kinetics (i = a, c)mass-averaged gas velocity (j = a, c) $(m \cdot s^{-1})$ \vec{V}_{cell} cell potential (V) V_p electric potential of phase p(p = ela, elc, io)(V)

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w_i
           channel width (i = a, c) (m)
x
           coordinate along channel longitudinal direction (m)
           molar fraction of gas species s (s = H2, H20, O2, N2)
Vs
           mass fraction of gas species s (s = H2, H20, O2, N2)
\tilde{y}_s
           coordinate along cell thickness direction (m)
7
Superscripts
           anode functional layer
af
           anode supporting layer
as
           cathode current collector
cc
           cathode functional laver
cf
ev
           electrolyte
Subscripts
           anodic
           cathodic
           electron
           electron-conducting phase in the anode (e.g., Ni)
ela
           electron-conducting phase in the cathode (e.g., LSM)
elc
Н2
           hydrogen
H20
           water
           ion-conducting phase (e.g., YSZ)
io
ΙN
           inlet conditions
N2
           nitrogen
0
           oxygen ions
02
           oxygen
Greek Letters
\alpha_i
           first transfer coefficient (i = a, c) (-)
\beta_j
           second transfer coefficient (j = a, c) (-)
           sticking probability of hydrogen adsorption kinetics
γ0
Г
           surface site density (mol·m<sup>-2</sup>)
           dimensionless factor of Taylor-Aris axial dispersion
\delta_i
           (j = a, c) (-)
\Delta V_{eq,j}
           local equilibrium potential difference (j = a, c) (V)
           reaction order of oxygen in cathode kinetics (-)
ζ
           cell overpotential (V)
\eta_{cell}
           activation overpotential (j = a, c) (V)
\eta_i
           overpotential of compartment u(u = anode, cathode,
\eta_u
           electrolyte)(V)
\theta^{la}
           maximum angle of contact among the particles in
           the layer la(la = af, as, cf, cc) (°)
\kappa_n^{eff,la}
           effective conductivity factor of phase p (p = ela, elc,
           io) in the layer la(la = af, as, cf, cc, ey)(-)
\lambda_{TPB}^{la}
           TPB length per unit volume in the layer la (la = af, as,
           cf, cc) (m<sup>-2</sup>)
           gas dynamic viscosity (j = a, c) (kg·m<sup>-1</sup>·s<sup>-1</sup>)
\mu_i
           gas density (j = a, c) (kg·m<sup>-3</sup>)
\rho_{j}
           conductivity of phase p(p = ela, elc, io)(S \cdot m^{-1})
\sigma_p \tau^{la}
           tortuosity factor in the layer la(la = af, as, cf, cc) (-)
           shear-stress factor at the wall (j = a, c) (N \cdot m^{-2})
\tau_{w,i}
           stoichiometric coefficient of species s (s = H2, H2O,
v_{s}
           O2, N2, e, O) (-)
           porosity of the layer la (la = af, as, cf, cc) (-)
\phi^{la}
           solid volume fraction of electronic phase el (el = ela.
\psi_{el}
           elc) after sintering (-)
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