

Review

A Review of two-phase flow dynamic instabilities in tube boiling systems

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Abstract

The earliest research in the field of two-phase flow was conducted by Lorentz (1909). The studies on the analysis of two-phase flow instabilities by Ledinegg (1938) created considerable interest concerning the phenomenon of thermally induced flow instability in two-phase flow systems. The objective of this review is to sum up the experimental and theoretical work carried out by various investigators over a period of several years, demonstrating and explaining three main instability modes of two-phase flow dynamic instabilities, namely, density-wave type, pressure-drop type and thermal oscillations, encountered in various boiling flow channel systems. The typical experimental investigations of these instabilities in tube boiling systems are indicated and the most popular models to predict the two-phase flow dynamic instabilities, namely the homogenous flow model and the drift-flux models are clarified with the solution examples and the validation of the model results with experimental findings are also provided.

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Keywords: Two-phase flow instabilities; Pressure-drop; Density-wave; Thermal oscillations

Contents

1. Introduction	401
2. Classifications of two-phase flow instabilities	401
2.1. Mechanism of Ledinegg instability	401
2.2. Mechanism of density-wave oscillations	402
2.3. Mechanism of pressure-drop oscillations	402
3. Approaches in two-phase flow stability analysis	403
3.1. Dynamical system analysis	403
4. Researches in two-phase flow instabilities	404
4.1. Ledinegg instability	405
4.2. Density-wave oscillations	405
4.2.1. Theoretical researches on density-wave oscillations	406
4.2.2. Pressure-drop type oscillations	408
4.2.3. Thermal oscillations	410
5. Experimental systems	410
5.1. Experimental procedures	411
5.2. The effect of heat transfer augmentation on two-phase flow instabilities	414
5.3. Density-wave type oscillations	415

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Nomenclature

A	heater inner surface area, m^2	R	resistance coefficient for inlet restriction, dimensionless
A	speed of sound, m/s	Re	Reynold's number = $\rho u d / \mu$, dimensionless
c_h	specific heat of heater wall material, $kJ/(kg\ K)$	T	temperature, K
C	wetted perimeter of the heater tube, m	t	time, s
c_p	specific heat capacity at constant pressure, $kJ/(kg\ K)$	Δt	time increment in the numerical scheme, s
D	inner diameter of the heater tube, m	T_1	fluid inlet temperature, $^{\circ}C$
D_e	equivalent diameter, m	u	fluid velocity, m/s
f	friction factor, dimensionless	V	volume, m^3
F_m	two-phase flow friction multiplier, dimensionless	V_{go}	steady-state volume of the gas in the surge tank, m^3
g	gravitational acceleration, $9.806\ m/s^2$	x	quality of the liquid–vapor mixture, dimensionless
G	fluid mass velocity = ρu , $kg/(m^2\ s)$	z	axial distance along the flow path, m
G_1	inlet fluid mass velocity into surge tank, $kg/(m^2\ s)$	<i>Greek symbols</i>	
G_2	outlet fluid mass velocity from surge tank, $kg/(m^2\ s)$	α	heat transfer coefficient, $W/(m^2\ K)$
h	specific enthalpy of the fluid, J/kg	μ	dynamic viscosity of the fluid, $Pa\ s$
h_s	saturation enthalpy, J/kg	ρ	density, kg/m^3
h_e	equivalent enthalpy of the fluid (drift-flux model), J/kg	Φ	heat input to fluid per unit inner volume of heater, W/m^3
h_{lv}	latent heat of evaporation, J/kg	ψ	void fraction, dimensionless
k	thermal conductivity of the fluid, $W/(m\ K)$	τ_w	shear stress at the wall, N/m^2
L	tube length, m	<i>Subscripts</i>	
L_h	heated length of the tube, m	e	exit condition
\dot{m}	mass flow rate, kg/s	f	fluid parameter
Nu	Nusselt number = $\alpha d / k$, dimensionless	g	gas
P	pressure, Pa	h	heater
P_e	exit pressure, Pa	i	axial label of a node
P_s	surge tank pressure, Pa	i	inlet condition
P_{sao}	steady-state pressure of air in the surge tank pressure, Pa	l	liquid
P_{sa}	unsteady state pressure of air in the surge tank pressure, Pa	o	steady-state condition
P_o	main tank pressure, Pa	e	exit condition
Pr	Prandtl number = $c_p \mu / k$, dimensionless	f	fluid parameter
Q_1	heat input into the fluid, W	g	gas
Q_o	electrical heat generation rate in the heater wall, W	s	surge tank
		v	vapor
		w	wall condition

6.	Boiling flow instabilities in parallel channel systems	416
6.1.	Two parallel channel system	416
6.2.	Cross-connected parallel channel upflow system	417
6.3.	Transient boiling flow instabilities in a multi-channel upflow system	418
6.4.	Sustained instabilities in a cross-connected four parallel channel upflow system	419
6.5.	Comparison of various channel systems	419
7.	Mathematical modeling of instabilities and experimentation	420
7.1.	Drift-flux model	420
7.2.	Homogenous model	421
7.3.	Thermal oscillations	422
7.3.1.	Steady-state characteristics	423
7.3.2.	Exit restriction	424
7.3.3.	Boundary conditions	424

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