



# Demand side management in a day-ahead wholesale market: A comparison of industrial & social welfare approaches



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## HIGHLIGHTS

- We compare two demand side management in a day-ahead electricity wholesale market.
- We develop and reconcile social welfare & industrial DSM mathematical models.
- We show the industrial netload has an additional forecast quantity of baseline.
- We analytically and numerically show the model equivalence with accurate baseline.
- We numerically demonstrate the baseline errors lead to higher and costlier dispatch.

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## ABSTRACT

The intermittent nature of renewable energy has been discussed in the context of the operational challenges that it brings to electrical grid reliability. Demand side management (DSM) with its ability to allow customers to adjust electricity consumption in response to market signals has often been recognized as an efficient way to mitigate the variable effects of renewable energy as well as to increase system efficiency and reduce system costs. However, the academic & industrial literature have taken divergent approaches to DSM implementation. While the popular approach among academia adopts a social welfare maximization formulation, the industrial practice compensates customers according to their load reduction from a predefined electricity consumption baseline that would have occurred without DSM. This paper rigorously compares these two different approaches in a day-ahead wholesale market context analytically and in a test case using the same system configuration and mathematical formalism. The comparison of the two models showed that a proper reconciliation of the two models might make them mitigate the stochastic netload in fundamentally the same way, but only under very specific conditions which are rarely met in practice. While the social welfare model uses a stochastic net load composed of two terms, the industrial DSM model uses a stochastic net load composed of three terms including the additional baseline term. DSM participants are likely to manipulate the baseline in order to receive greater financial compensation. An artificially inflated baseline is shown to result in a different resources dispatch, high system costs, and unachievable social welfare, and likely requires more control activity in subsequent layers of enterprise control.

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## 1. Introduction

### 1.1. Motivation

The intermittent nature of renewable energy has been discussed in the context of the operational challenges that it brings to electrical grid reliability [1–3]. The fast fluctuations in

renewable energy generation require high ramping capability which must be met by dispatchable energy resources. Additionally, a sudden loss of renewable generation can threaten grid reliability in the absence of adequate generation reserves.

In contrast, demand side management (DSM) with its ability to allow customers to adjust electricity consumption in response to market signals has often been recognized as an efficient way to shave load peaks [4–7] and mitigate the variable effects of renewable energy [8–10]. This work focuses on DSM where end users can change their consumption in response to dynamic changes in electricity price signals [11], rather than static energy

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**Nomenclature**

GC	subscript for dispatchable (controllable) generators (e.g. thermal plants)	$\mathcal{R}_{GCit}$	running cost of the $i$ th dispatchable generator in the $t$ th time interval
GS	subscript for stochastic generators (e.g. wind, solar photo-voltaic)	$A_{GCi}$	quadratic cost function coefficient of the $i$ th dispatchable generator
DC	subscript for dispatchable (controllable) demand units (i.e. participating in DSM)	$B_{GCi}$	linear cost function coefficient of the $i$ th dispatchable generator
DS	subscript for stochastic demand units (i.e. conventional load)	$\zeta_{GCj}$	cost function constant of the $i$ th dispatchable generator
$i$	index of dispatchable generators	$\mathcal{U}_{DCj}$	demand utility of the $j$ th dispatchable demand unit
$j$	index of dispatchable demand unit	$S_{DCj}$	startup utility of the $j$ th dispatchable demand unit
$k$	index of stochastic generators	$\mathcal{D}_{DCj}$	shutdown utility of the $j$ th dispatchable demand unit
$l$	index of stochastic demand unit	$\mathcal{R}_{DCjt}$	running utility of the $j$ th dispatchable demand unit in the $t$ th time interval
$t$	index of unit commitment time intervals	$A_{DCj}$	quadratic utility function coefficient of the $j$ th dispatchable demand unit
$N_{GC}$	number of dispatchable generators	$B_{DCj}$	linear utility function coefficient of the $j$ th dispatchable demand unit
$N_{DC}$	number of dispatchable demand units	$\zeta_{DCj}$	utility function constant of the $j$ th dispatchable demand unit
$N_{GS}$	number of stochastic generators	$\zeta_{DCj}$	utility function constant of the $j$ th dispatchable demand unit
$N_{DS}$	number of stochastic demand units	$\mathcal{C}_{DCj}$	cost of the $j$ th virtual generator
$T$	number of unit commitment time intervals	$S_{DCj}$	startup cost of the $j$ th virtual generator
$\mathcal{W}$	social welfare	$\mathcal{D}_{DCj}$	shutdown cost of the $j$ th virtual generator
$P_{GCit}$	dispatched power generation at the $i$ th dispatchable generator in the $t$ th time interval	$\mathcal{R}_{DCjt}$	running cost of the $j$ th virtual generator in the $t$ th time interval
$P_{DCjt}$	dispatched power consumption at the $j$ th dispatchable demand unit in the $t$ th time interval	$A_{DCj}$	quadratic cost function coefficient of the $j$ th virtual generation
$\hat{P}_{DCjt}$	forecasted power consumption of the $j$ th dispatchable demand unit in the $t$ th time interval	$B_{DCj}$	linear cost function coefficient of the $j$ th virtual generation
$\bar{P}_{DCjt}$	baseline power consumption of the $j$ th dispatchable demand unit in the $t$ th time interval	$\xi_j$	cost function constant of the $j$ th virtual generation
$\hat{P}_{GSkt}$	forecasted power generation at the $k$ th stochastic generator in the $t$ th time interval	$w_{GCit}$	binary variable for the state of the $i$ th dispatchable generator in the $t$ th time interval
$\hat{P}_{DSlt}$	forecasted power consumption of the $l$ th stochastic demand unit in the $t$ th time interval	$u_{GCit}$	binary variable for the startup state of the $i$ th dispatchable generator in the $t$ th time interval
$\underline{P}_{GCi}$	min. capacity of the $i$ th dispatchable generator	$v_{GCit}$	binary variable for the shutdown state of the $i$ th generator in the $t$ th time interval
$\underline{P}_{DCj}$	min. capacity of the $j$ th dispatchable demand unit	$w_{DCjt}$	binary variable for the state of the $i$ th dispatchable demand unit in the $t$ th time interval
$\underline{R}_{GCi}$	min. ramping capability of the $i$ th dispatchable generator	$u_{DCjt}$	binary variable for the startup state of the $j$ th dispatchable demand unit in the $t$ th time interval
$\underline{R}_{DCj}$	min. ramping capability of the $j$ th dispatchable demand unit	$v_{DCjt}$	binary variable for the shutdown state of the $j$ th dispatchable demand unit in the $t$ th time interval
$\overline{P}_{GCi}$	max. capacity of the $i$ th dispatchable generator	$\omega_{DCjt}$	binary variable for the state of the $j$ th virtual generation in the $t$ th time interval
$\overline{P}_{DCj}$	max. capacity of the $j$ th dispatchable demand unit	$\mu_{DCjt}$	binary variable for the startup state of the $j$ th virtual generation at the beginning of the $t$ th time interval
$\overline{R}_{GCi}$	max. ramping capability of the $i$ th dispatchable generator	$v_{DCjt}$	binary variable for the shutdown state of the $j$ th virtual generation at the beginning of the $t$ th time interval
$\overline{R}_{DCj}$	max. ramping capability of the $j$ th dispatchable demand unit		
$\mathcal{C}_{GCi}$	cost of the $i$ th dispatchable generator		
$S_{GCi}$	startup cost of the $i$ th dispatchable generator		
$\mathcal{D}_{GCi}$	shutdown cost of the $i$ th dispatchable generator		

efficiency techniques. It increases the bulk electric system flexibility [12,13] and reliability [7,13–15] by providing additional dispatchable resources which can potentially offset imbalances caused by renewable energy [16,17]. DSM has also been advocated for its ability to increase system efficiency and reduce system costs [18,19]. By encouraging customers to adjust their electricity consumption in response to market signals, DSM reduces the need for more expensive generators with high ramping capability. Meanwhile, DSM increases the utilization of generating capacities that would have been otherwise idle during off-peak hours, thus reducing the real cost of renewable integration [20]. The electricity supply side, load-reducing customers and non-load-reducing customers all benefit economically from load reductions [21–23].

The deregulation of electricity markets [24–28], along with the advances in information and communication technologies

[12,29–31], has motivated more active DSM programs. As a result, Independent System Operators (ISOs) and Reliability Transmission Organizations (RTOs) have been implementing DSM for its potential to lower market prices, reduce price volatility, improve customer options, and increase the elasticity from wholesale to retail market [32]. Researches on DSM have addressed the minimization of energy consumption, maximization of customer utility, the minimization of customer discomfort, the stabilization of electricity prices, and multi-objective optimizations from the customer side [33–40]. In addition, there have also been studies on the integration of DSM and renewable uncertainty [41], centralized or distributed demand control algorithms [14,30,42–46], demand-side storage [47,48], models of customer behavior [49], and prediction of DSM participation potential [50–52].

Despite its recognized importance [53–55], the industrial and academic literature seem to have taken divergent approaches to

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