#### **ARTICLE IN PRESS**

#### Applied Energy xxx (2014) xxx-xxx

Contents lists available at ScienceDirect

### **Applied Energy**



journal homepage: www.elsevier.com/locate/apenergy

# Effects of structural design on the performance of electrical double layer capacitors

Ali Ghorbani Kashkooli<sup>a</sup>, Siamak Farhad<sup>b,\*</sup>, Victor Chabot<sup>a</sup>, Aiping Yu<sup>a,\*</sup>, Zhongwei Chen<sup>a</sup>

<sup>a</sup> Department of Chemical Engineering, University of Waterloo, 200 University Avenue West, Waterloo, ON N2L 3G1, Canada <sup>b</sup> Department of Mechanical Engineering, University of Akron, Akron, OH 44325-3903, United States

#### HIGHLIGHTS

• Effect of design parameters on the electrical double layer capacitor (EDLC) performance is studied.

• This study is based on the concentration-dependent mathematical modeling of EDLCs.

• Design parameters studied are the electrode thickness, electrode porosity, and initial electrolyte concentration.

• The results can be applied to optimize the design of EDLCs at broad range of operating conditions.

#### ARTICLE INFO

Article history: Received 20 February 2014 Received in revised form 11 August 2014 Accepted 8 September 2014 Available online xxxx

Keywords: Electrical double layer capacitors Structural design Performance Mathematical model

#### ABSTRACT

The effect of different structural designs on the performance of electrical double layer capacitors (EDLCs) has been studied through a mathematical model that considers the mass transfer and conservation of charge equations. The structural design parameters considered in this study are the electrode thickness, electrode porosity, and initial electrolyte concentration. The performance parameters studied are the cell capacitance, specific energy, specific power, and electrolyte concentration for a range of discharge rates. The results of this study can be used to optimize EDLCs at various operating conditions.

© 2014 Elsevier Ltd. All rights reserved.

#### 1. Introduction

Electrical double layer capacitors (EDLCs) store energy by the separation of charge at the electrode/electrolyte interface, forming an electrical double layer [1–3]. The reversible nature of this energy storage mechanism and the capability for EDLCs to deliver high power density and long cycle life, results in a wide range of potential applications. For example, they can provide starting power in the start-stop systems used in automobiles, operate as backup power sources in computers, regulate voltage to the energy grid for wind and solar energy generation systems, and open aircraft doors in an emergency [2–5]. However, the most significant application of EDLCs is in electric and hybrid electric vehicles where they can supply energy in the condition of high power demand and capture energy from regenerative breaking systems [6–8]. In order to predict the performance characteristics of EDLCs,

http://dx.doi.org/10.1016/j.apenergy.2014.09.033 0306-2619/© 2014 Elsevier Ltd. All rights reserved. developing an appropriate mathematical model that can describe the EDLC behavior during charge or discharge is crucial.

Mathematical models used to analyze the performance and characteristics of EDLCs can be categorized into three groups. The first group consists of models describing EDLCs as equivalent RC circuits [9-13]; Although these models could predict the electrochemical device response with reasonable accuracy, they fail to relate the model parameters to the electrochemical processes that occur in the double layer such as diffusion and migration of ions and electrolyte polarization. In the second group, models take the heterogeneous microstructure of the electrodes into account and are based on solving a Modified Poisson-Boltzman (MPB) equation for electric potential in the electrolyte [14–18]. Such models could be utilized to study the influence of electrode microstructures such as morphology and pore shapes on the surface area and capacitance offered by the electrodes [16-17]. However, similar to RC circuits' models, they could not predict the transport processes in the electrode/electrolyte interface during charge/ discharge. This is due to the fact that in both models, it is assumed that the electric potential and ion concentration are at their

Please cite this article in press as: Kashkooli AG et al. Effects of structural design on the performance of electrical double layer capacitors. Appl Energy (2014), http://dx.doi.org/10.1016/j.apenergy.2014.09.033



<sup>\*</sup> Corresponding authors.

*E-mail addresses:* sfarhad@uakron.edu (S. Farhad), aipingyu@uwaterloo.ca (A. Yu).

2

A.G. Kashkooli et al./Applied Energy xxx (2014) xxx-xxx

#### Nomenclature

S <sub>d</sub>	maximum surface area (cm <sup>2</sup> /cm <sup>3</sup> )	$\phi$	electric potential (V)
С	concentration of electrolyte (mol $m^{-3}$ )	ω	mass per unit area of the cell $(\text{kg m}^{-2})$
$C_d$	electrical double layer capacitance (F m <sup>-2</sup> )		
D	diffusion coefficient $(m^2 s^{-1})$	Subscripts	
Е	specific energy (Wh $kg^{-1}$ )	+	nositive electrode
F	Faraday's constant, 96,487 (C mol <sup><math>-1</math></sup> )		positive electrode
i	current density (A $m^{-2}$ )	-	
I	total applied current density to the cell (A $m^{-2}$ )	1	zero charge/solvent
1	thickness (m)	1	electronic
L M	molecular weight (g mol <sup><math>-1</math></sup> )	2	IONIC
ŇW	rate of molar flux (mol $c^{-1}$ m <sup>-2</sup> )	av	average per area of EDLC
N <sub>X</sub>	rate of motal mux (mot s m ) $(M/kg^{-1})$	avg	average per gram of EDLC
P	specific power (w kg <sup>-1</sup> )	е	electrolyte
t T	time (s)	etd	electrode
I	temperature (K)	eff	effective
$t^0_+$	transference number of H <sup>°</sup> with respect to the solvent	i	positive or negative charge
x	spatial coordinate along the thickness of the cell	init	initial
Ζ	charge number	ref	reference
		sep	separator
Greek letters		pos	positive electrode
3	porosity	neg	negative electrode
κ	electrolyte conductivity (S $m^{-1}$ )	U	U
D	dissociation coefficient	Superse	rints
0	density (kg m <sup><math>-3</math></sup> )		length plus ensilon
σ	electronic conductivity (S $m^{-1}$ )	1	length mines ensilen
0	electionic conductivity (5 m )	_	length mines epsilon

equilibrium in steady-states condition. Hence, they could not depict the electrochemical processes that occurred during the EDLC operation time. For this, a third group of EDLCs models are employed which are based on the governing equation of mass transfer and conservation of charge [19–23]. These models can simulate the electrochemical processes occurring in the EDLC during charge/discharge periods, such as diffusion and migration of ions in the porous mediums and the formation/decay of the electrical double layer. Moreover, they can predict time accurate EDLC voltage and simulate the performance of the EDLC through specific energy and power.

The third group of models was initiated by Johnson and Newman [24]. With the assumption of concentration uniformity and neglecting potential-dependent capacitance, Dunn and Newman [22] found an analytical solution for the governing equations during EDLC charge. In addition, they presented the maximum specific energy achievable by optimizing the electrode thickness, electrode porosity, and the final voltage constrained for constant-current and constant-power discharges. Srinivasan and Weidner [25] studied the importance of electronic and ionic resistance in the design of the EDLC. Their results showed the trade-off between energy and power density, as the physical properties of the cell structural parameters were varied (e.g., electrode thickness). Most of the models in the third group assumed no concentration gradients exist in the EDLC [22,25]. This assumption simplifies the set of partial differential equations to ordinary differential equations which can be solved analytically. However, Lin et al. [26] showed that including concentration polarization in the modeling, could decrease the predicted cell voltage up to 25% compared with a model that ignores concentration polarization for electrode with hydrous ruthenium oxide (RuO<sub>2</sub> xH<sub>2</sub>O). In addition, if the concentration polarization is included in the modeling, electrolyte concentration profiles during charge/discharge period are also achievable [27]. Madabattula and Gupta [27] developed their EDLC model based on the transport mechanisms which includes concentration gradient across the cell. They examined the necessity of employing a 2D model and demonstrated that the 1D modeling for a EDLC is quite sufficient.

The aim of present work is to investigate the effect of employing different structural design parameters such as electrode thicknesses, electrode porosities, and initial electrolyte concentrations on the EDLC performance. To do this, first, we have developed a concentration dependent model of a third group as Ref. [27]. The model accuracy is verified by comparing simulated cell voltage profile with the experimental data in Ref. [28]. Then, a set of numerical experiments are conducted to study the effects of utilizing different structural design parameters on the EDLC capacitance, specific energy, specific power, and electrolyte concentration for a range of discharge current densities. The simulation results could also be utilized for practical application, to optimize the cell design of EDLCs. In this study, Comsol 4.3 with PDE coefficient module was employed to simulate the EDLC model.

#### 2. Modeling and computer simulation

The mathematical model employed to simulate electrical double layer capacitance is based on the transport processes in Refs. [24,27]. In this model, the mass transfer and conservation of charge equations are developed for each components of the cell structure, including the two porous activated carbon electrodes and the ion permeable membrane separator. It is assumed that the electrolyte is an asymmetric concentrated solution of sulfuric acid that dissociates in water into two positively charged hydrogen ion, H<sup>+</sup>, and one negatively charged sulfate,  $SO_4^{2-}$  [27]. The current collectors' resistance is neglected as a result of their high conductivity.

#### 2.1. Mass balance

Mass balance for a dissolved specious *j* is written as [29]

$$\frac{\partial(\varepsilon c_j)}{\partial t} = -\frac{\partial(N''_{x,j})}{\partial x} + R_j \tag{1}$$

Please cite this article in press as: Kashkooli AG et al. Effects of structural design on the performance of electrical double layer capacitors. Appl Energy (2014), http://dx.doi.org/10.1016/j.apenergy.2014.09.033

Download English Version:

## https://daneshyari.com/en/article/6688476

Download Persian Version:

https://daneshyari.com/article/6688476

Daneshyari.com