Particuology 18 (2015) 50-57

Contents lists available at ScienceDirect

Particuology

journal homepage: www.elsevier.com/locate/partic

Wetting and its influence on the filtration ability of ceramic foam filters

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A R T I C L E I N F O

Article history: Received 15 April 2014 Received in revised form 16 May 2014 Accepted 3 June 2014

Keywords: Deep bed filtration Adhesion energy Atomic force microscopy Wetting

ABSTRACT

Deep bed filtration in aqueous media is a well-known process for solid–liquid separation. However, the use of deep bed filtration for the purification of metal melts is a relatively new field of application. In particular, the separation mechanism of metal melts filtration is a new area for investigation. The current paper aims at examining the influence of wetting on the filtration efficiency of ceramic foam filters that is an important feature of the metal melts filtration process. A model system was designed using water and alumina particles (<200 μ m). The particles and filter medium were coated to model poor wetting. Thus, examination of the influence of wetting on the adhesion energy and filtration performance was possible. Furthermore, the effect of fluid velocity was studied. To this end, the experiments were carried out under atmospheric conditions and at 20 °C. The findings showed that poor wetting between the fluid and solid phase significantly increased the filtration efficiency.

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Introduction

Filtration of metal melts using porous ceramics has been employed in the casting industry for many decades (Ali, Apelian, & Mutharasan, 1985; Apelian, Mutharasan, & Ali, 1985; Hammerschmid & Janke, 1988). However, the separation mechanisms are not yet satisfactorily determined. Particles in metal melts originate from either crystallization reactions in the hot fluid (endogenous formation) or erosion of the furnace walls and slag entrainment (exogenous formation) (Ali et al., 1985). The particle sizes range from a few micrometers for primary endogenous particles up to a few millimeters for their agglomerates or exogenous particles. Both particle types are non-metallic, i.e., they are mainly ceramics such as alumina. Such inclusions must be avoided in the final casting because they reduce the mechanical strength and subsequently the toughness of the final product. Therefore, achieving filtration efficiencies of ~98% is important in the casting industry. To attain such high purification rates, it is necessary to analyze the filtration mechanism operating in the metal melts system via a detailed parameter study. In

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addition to their high processing temperature requirements and opaque nature, metal melts have a very high surface tension, which leads to poor wetting of solids in contact with the liquid phase. Thus, filtration experiments involving metal melts are very expensive and the in situ analysis of the filtration process is difficult.

To study the filtration of metal melts, it is necessary to design a model system operating under ambient conditions ($20 \,^{\circ}$ C and atmospheric conditions). The model system is aimed at mimicking the characteristic wetting effects of the melt system and facilitates investigation of wetting effects on filtration without the temperature effects of the real system.

Filter structures for metal melts mainly consist of ceramic materials and are available in many geometries and constructions (Ali et al., 1985; Raiber, Hantusch, Hammerschmid, & Janke, 1996; Uemura, Takahashi, Koyama, & Nitta, 1992). In this study, alumina foam filters (Emmel & Aneziris, 2012; Voigt, Jäckel, Aneziris, & Hubálková, 2013) that are produced by the Schwartzwalder process (Schwartzwalder, Somers, & Somers, 1963) were used. This enabled investigation of the filtration ability of the alumina foam filters under variable parameters such as wetting and fluid velocities.

The aims of this study are to determine the influence of wetting on deep bed filtration performance and to characterize the filtration ability of ceramic foam filters. Both processes are important for understanding and optimizing metal melts filtration processes.

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Nomenclature	
Сп	buovancy coefficient
d_{c}	collector diameter, m
$d_{\rm P}$	particle diameter, m
dz	distance between particle and collector surface dur-
	ing contact, m
Eadh	adhesion energy between particle and collector, J
$E_{\rm K,1}$	kinetic energy of particle before collision with col-
,	lector, J
F _{adh}	adhesion force between particle and collector, N
F _d	detachment force acting on attached particle, N
g	gravitational constant, m/s ²
Hi	Hiller number
$m_{\mathrm{F,1}}$	mass of filter after filtration experiment, g
$m_{\mathrm{F,0}}$	mass of filter after cleaning, g
$m_{ m P}$	mass of particles introduced, g
$m_{\mathrm{P,r}}$	mass of particles that do not flow through the filter,
	g
NI	interception number
N _S	sedimentation number
Ke _P	Reynolds number of particle with a certain size
Stk	Stokes number
$u_{\rm L}$	full velocity, fil/s
$u_{\rm L,eff}$	m/c
11	III/S
uL,Filter	mean fluid velocity in the nine, m/s
u _{L,Pipe}	velocity of particle near collector m/s
ир,с Иря	effective particle velocity m/s
up,en No	particle sedimentation velocity, m/s
	particle beamerication verbeily, m/b
Greek letters	
$ ho_{ m P}$	particle density, kg/m ³
$ ho_{ m L}$	fluid density, kg/m ³
$\eta_{ m L}$	fluid viscosity, Pa s
Subscripts	
adh	adhesion
C	collector
F	niter Gooting
eff	ellective
L	IIquia

Theory

Р

norm

normalized

particle

Deep bed filtration is a widely accepted theory for describing metal melts filtration (Conti & Netter, 1992; Damoah & Zhang, 2010; Raiber, Hammerschmid, & Janke, 1995; Zhou et al., 2003). The filtration process can be classified into two steps: the probability of contact and the probability of adhesion. The collision between the particle and filter is described in terms of the impact of inertia, interception, and gravitation (Bao, Engh, Syvertsen, Kvithyld, & Tangstad, 2012; Ciftja, Engh, & Tangstad, 2010) as illustrated in Fig. 1(a).

The contribution of diffusion is negligible owing to the particle size that is >1 μ m. The influence of gravitation is described by the sedimentation number N_S (lves, 1975):

$$N_{\rm S} = \frac{(\rho_{\rm P} - \rho_{\rm L})gd_{\rm P}^2}{18u_{\rm P,eff}\eta_{\rm L}},\tag{1}$$

$$u_{\rm P,eff} = u_{\rm S}(d_{\rm P}) + u_{\rm L,Filter},\tag{2}$$

where $\rho_{\rm P}$ is particle density, $\rho_{\rm L}$ fluid density, g gravitational constant, $d_{\rm P}$ particle diameter, $u_{\rm L,Filter}$ mean fluid velocity in the filter, $u_{\rm P,eff}$ effective particle velocity, $u_{\rm S}$ particle sedimentation velocity, and $\eta_{\rm L}$ fluid viscosity.

Because N_S is a function of the square of the particle diameter d_P , it is mainly relevant for coarser particles. The higher the sedimentation number, the greater the contribution of gravitation on the probability of collision. The effective velocity of the particles in Eq. (2) is chosen as the characteristic velocity, which accounts for the sedimentation velocity of the particles and the mean fluid velocity within the filter structure.

Owing to the particle sizes investigated, inertia and interception are important capture mechanisms. The inertia effect is described using the Stokes number *Stk*, in Eq. (3) (Kasper, Schollmeier, & Meyer, 2010):

$$Stk = \frac{(\rho_{\rm P} - \rho_{\rm L})u_{\rm P,eff}d_{\rm P}^2}{18d_{\rm C}\eta_{\rm L}},\tag{3}$$

where d_c is collector diameter. Low *Stk* values indicate that the particles can easily follow the flow stream lines that reduce the probability of collision with the collector. Based on the *Stk*, higher velocities will increase the significance of inertia on the probability of collision. This leads to remarkable bounce effects owing to the kinetic energy of the particles and stronger detachment forces F_d within the liquid (Hiller, 1981; Hiller & Löffler, 1980).

The probability of interception depends on the ratio of the particle size d_P to the interacting collector diameter d_C , and is termed the interception parameter N_I in Eq. (4). The higher the interception parameter, the higher the collision probability of a particle owing to its geometrical dimensions.

$$N_{\rm I} = \frac{d_{\rm P}}{d_{\rm C}}.\tag{4}$$

Based on the work of Hiller and Löffler (1980), and Hiller (1981), this paper provides a simplified approach to determining the adhesion probability number, termed the Hiller number (*Hi*):

$$Hi = \frac{E_{adh}}{E_{K,1}} = \frac{\int F_{adh} dz}{(1/2)m_{P}u_{P,C}^{2}},$$
(5)

where E_{adh} is adhesion energy between particle and collector, $E_{K,1}$ kinetic energy of particle before collision with collector, F_{adh} adhesion force between particle and collector, dz range of the interaction force between particle and collector, m_P mass of particle, and $u_{P,C}$ velocity of particle near the collector.

The Hiller number can be obtained from Eq. (5), which describes the relevant operating energies during collision of a particle with the filter structure. The higher the *Hi*, the higher the probability of adhesion of a particle to the filter. However, the equation neglects the effect of viscous displacement of the fluid film. Owing to the stiffness of the filter medium and particles, energy losses owing to plastic deformation are negligible. Besides the work of Hiller and Löffler (1980), the authors determined the adhesion energy between the particles and filter medium using atomic force microscopy (AFM), as introduced later.

$$F_{\rm d} = \frac{\pi}{8} c_{\rm D} \rho_{\rm L} d_{\rm P}^2 u_{\rm L,eff}^2 \quad \text{with} \quad c_{\rm D} = f(Re_{\rm P}), \tag{6}$$

where F_d is detachment force acting on attached particle, c_D buoyancy coefficient based on Nirschl and Polzer (1996), Re_P Reynolds number of particle with a certain size, and $u_{L,eff}$ effective fluid velocity that acts on the attached particle. To describe the detaching force F_d exerted by the fluid flow on an attached particle, Eq. (6) was used. The calculation is based on the work of Nirschl and Polzer (1996), Download English Version:

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