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Q2 Can post encroachment time substitute intersection characteristics in 2 crash prediction models?

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A B S T R A C T

Introduction: Transportation safety analyses have traditionally relied on crash data. The limitations of these crash data in terms of timeliness and efficiency are well understood and many studies have explored the feasibility of using alternative surrogate measures for evaluation of road safety. Surrogate safety measures have the potential to estimate crash frequency, while requiring reduced data collection efforts relative to crash data based measures. Traditional crash prediction models use factors such as traffic volume, sight distance, and grade to make risk and exposure estimates that are combined with observed crashes, generally using an Empirical Bayes method, to obtain a final crash estimate. Many surrogate measures have the notable advantage of not directly requiring historical crash data from a site to estimate safety. Post Encroachment Time (PET) is one such measure and represents the time difference between a vehicle leaving the area of encroachment and a conflicting vehicle entering the same area. The exact relationship between surrogate measures, such as PET, and crashes in an ongoing research area. *Method:* This paper studies the use of PET to estimate crashes between left-turning vehicles and opposing through vehicles for its ability to predict opposing left-turn crashes. By definition, a PET value of 0 implies the occurrence of a crash and the closer the value of PET is to 0, the higher the conflict risk. *Results:* This study shows that a model combining PET and traffic volume characteristic (AADT or conflicting volume) has better predictive power than PET alone. Further, it was found that PET may be capturing the impact of certain other intersection characteristics on safety as inclusion of other intersection characteristics such as sight distance, grade, and other parameters result in only marginal impacts on predictive capacity that do not justify the increased model complexity.

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41 1. Introduction

42 The use of crash data for transportation safety analysis has several lim-
43 itations with respect to both timeliness and accuracy. Crashes are rare
44 events, typically requiring three or more years of crash data to evaluate
45 safety (Nicholson, 1985). The use of surrogate safety measures potentially
46 allows for an earlier safety assessment relative to crash data based analy-
47 sis. Over the past several decades researchers have sought to identify in-
48 dicators of traffic conflicts as surrogates for safety. An indirect safety
49 measurement technique that has been in practice since the 1960s is the
50 Traffic Conflict Technique (TCT) and much of the literature available to
51 date focuses on the use of traffic conflicts as surrogate safety measures
52 (Hyden, 1987; Parker Jr. & Zegeer, 1989; Perkins & Harris, 1967). How-
53 ever, this technique is inherently subjective in nature and achieving con-
54 sistency between observers is a challenge. A white paper on surrogate

safety measures (Tarko, Davis, Saunier, Sayed, & Washington, 2009) also
55 proposes that a desirable property for an effective surrogate measure is
56 its ability to be observable or measurable in the traffic system. One ob-
57 servable measure that allows for consistency between observers as well
58 as locations is post-encroachment time (PET). PET is the difference be-
59 tween the time when the first vehicle ends encroachment over the area
60 of conflict and the second vehicle enters the area of conflict. PET requires
61 only two time stamps to compute and it enjoys the advantage of having a
62 definite boundary to differentiate a crash from a non-crash event. A PET
63 value of 0 implies a crash, while non-zero PET values indicate crash prox-
64 imity. Though it does not describe the initial stage of the conflict nor the
65 action taken by the drivers involved, it shows the resulting event in the
66 final stage and provides a measure of relative closeness to a collision.
67 The current study evaluates the effectiveness of PET as a surrogate safety
68 measure for potential left-turn to opposing through vehicle conflicts.
69

Crash based safety evaluation is the primary approach for safety
70 analyses and the literature presents many statistical methods to
71 model crash frequency. The generalized linear modeling (GLM) ap-
72 proach is currently the most frequently used technique to model crash
73 counts (Lord et al., 2005). The GLM approach suggests that the actual
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75 estimated crashes at a location can be assumed to follow a separate dis-
 76 tribution, and the mean number of crashes of this distribution is as-
 77 sumed to be related to the model of covariates through a link function.
 78 A GLM typically assumes this model of covariates to be of a linear na-
 79 ture. In safety studies, crashes are commonly assumed to follow a
 Q10 Q9 Poisson distribution (Fridstrom et al., 1995; Nelder et al., 1972) or a
 Q11 Negative Binomial (NB) distribution (Hauer et al., 1988). Typically, a
 82 link function would be log, logit, inverse, or identity.

83 Parametric modeling and regression analysis techniques are popular
 84 even in studies relating to surrogate measures. Though earlier studies
 85 such as Parker Jr. and Zegeer (1989) found that the relationship be-
 86 tween traffic conflicts and crashes is linear and statistically significant,
 87 the exact relationship between surrogate measures and crashes is yet
 Q12 to be established consistently. Dijkstra et al. (2010) conducted a study
 89 in the Netherlands where they modeled 300 km² of road network in
 90 PARAMICS. Conflicts were identified from the simulated model and
 91 GLM approach was used to develop models to predict crash frequency.
 Q13 A study similar to this paper was conducted by El-Basyouny and
 93 Sayed (2013) where they proposed a two-phase approach – one for
 94 predicting conflicts based on the intersection characteristics and the
 95 second to predict collisions based on predicted conflicts. They found
 96 that a NB model showed a significant proportional relationship between
 97 conflicts and collisions. However, this study has a limitation in the vari-
 98 ety of intersection characteristics considered. Another study (Shahdah,
 99 Saccomanno, & Persaud, 2014) developed a new methodology to esti-
 100 mate crash modification factors using conflicts. Such approaches were
 Q14 also used in studies such as (Boonsiripant et al., 2011; Gettman, Pu,
 102 Sayed, & Shelby, 2008; Songchitruksa & Tarko, 2006).

103 This paper explores the use of PET both as a sole predictor of crashes
 104 and with a combination of other characteristics of an intersection using
 105 GLM techniques. Since a surrogate measure is an indicator of near-
 106 crashes and the actual outcome of vehicular interactions at a location,
 107 it can be expected that this measure by itself can predict crashes. It is
 108 also possible that PET would improve the current models by acting as
 109 an additional source of information that explains a part of the unex-
 110 plained variance.

111 2. Model building

112 Generalized linear models (GLM) stem from the concept that linear
 113 models can be transformed to create a framework that closely resem-
 114 bles linear models but can accommodate a wide variety of non-
 Q15 normal outcome variables. Nelder and Wedderburn (1972) gives one
 116 of the first attempts at developing this framework. A GLM consists of
 117 three major components.

- 118 (i) Random component: This specifies the characteristic distribution
 119 of the response variable with respect to the predictors.
- 120 (ii) A linear predictor that is a linear function (η) of predictor vari-
 121 ables on which the expected value of response (μ) depends.

$$122 \eta = \alpha + \beta_1 X_1 + \dots + \beta_n X_n \quad (1)$$

- 123 (iii) A link function $g(\mu) = \eta$ which links the linear predictor of pre-
 124 dictor variables to the expected value of response μ ;

126 GLMs retain their linear character through this link function by
 127 which the response and predictor are related. Because the linear predic-
 128 tor is a linear function of explanatory variables, the linear assumption is
 129 preserved. However, it should be noted that retaining the linear compo-
 130 nent can be a limitation of this approach as well. Moreover, the distribu-
 131 tions are restricted to certain families (e.g. exponential) and responses
 132 are constrained to be independent. While there are several distributions
 133 that can be used, the most commonly used methods to model crash
 Q16 counts use Poisson and Negative Binomial regression (Hauer et al.,
 135 1988), as crashes have a very small probability of occurrence and they

can be classified as count data. The following section describes in detail 136
 these regression approaches. 137

This part of the analysis was performed using R software package 138
 (Venables et al., 2013). The function “glm” in R is specifically used to 139
 perform the generalized linear modeling analysis. 140

2.1. Poisson regression (Nelder & Wedderburn, 1972) Q18

Poisson regression assumes that the observed counts are gener- 142
 ated from a Poisson distribution. The Poisson distribution is often 143
 used to model count data and events that have a low probability of 144
 occurrence (e.g., telephone calls arriving in a system, vehicles arriv- 145
 ing at a traffic signal, number of claim applications coming to an in- 146
 surance company). The probability mass function of a Poisson 147
 distribution is: 148

$$P(Y = y) = \lambda^y e^{-\lambda} / y! \quad (2)$$

where 150

λ = mean number of events in a unit time

y = value of the random variable for which the probability is being 151
 estimated 152

The relation between GLM and Poisson regression is that the mean 154
 of the Poisson distribution λ is estimated from the linear predictor of ex- 155
 planatory variables using the link function. The most common link func- 156
 tion is the log link, which is expressed as 157

$$158 \log(\lambda) = \eta = \alpha + \beta_1 X_1 + \dots + \beta_n X_n \quad (3)$$

$$159 \Rightarrow \lambda = \exp(\alpha + \beta_1 X_1 + \dots + \beta_n X_n)$$

where 159

X_1, \dots, X_n are the explanatory variables and β_1, \dots, β_n are regression 160
 coefficients. 160

2.2. Negative binomial regression (Nelder & Wedderburn, 1972) Q19

One of the properties of a Poisson process is that the mean of the dis- 162
 tribution is equal to the variance. This property is often violated for crash 163
 counts (Hauer et al., 1988). Data are said to be under-dispersed if variance 164
 is less than the mean, and over-dispersed if variance is greater than the 165
 mean. Negative binomial regression is normally used in the case of 166
 over-dispersed data. Suppose that $Y \sim \text{Poisson}(\lambda)$ and that λ itself is a ran- 167
 dom variable with a Gamma distribution i.e., $\lambda \sim \text{Gamma}(\alpha, \beta)$ with mean 168
 $\alpha\beta$ and variance $\alpha\beta^2$. Therefore, a Negative Binomial distribution is also 169
 called as Poisson-Gamma distribution. The PDF of the distribution that λ 170
 follows is: 171

$$172 f(\lambda) = (1/\beta^\alpha \Gamma(\alpha)) \lambda^{\alpha-1} \exp(-\lambda/\beta) \quad (4)$$

It can be shown that in such a case, Y follows a negative binomial dis- 173
 tribution with a mean $\alpha\beta$ and variance $\alpha\beta + \alpha\beta^2$. The negative binom- 174
 ial model is generally expressed in terms of parameters $\mu = \alpha\beta$ and 175
 an overdispersion parameter $K = 1/\alpha$. This makes 176

$$177 E(Y) = \mu \text{ and } \text{Var}(Y) = \mu + K\mu^2. \quad (5)$$

In terms of the parameters μ and K , the negative binomial distribu- 178
 tion would be: 179

$$180 f(Y) = [\Gamma(1/K + y) / (\Gamma(1/K) y!)] [K\mu / (1 + K\mu)]^y [1 / (1 + K\mu)]^{(1/K)} \quad (6) \quad 181$$

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