



Experimental investigations of cavity-actuated supersonic oscillating jet



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ABSTRACT

Wind tunnel tests were conducted at different back pressures in a vacuum-type wind tunnel for a novel supersonic fluidic oscillator which consists of a two-dimensional Laval nozzle and two face to face cavities, to obtain its characteristics and the conditions for jet oscillating. The experimental results show that periodic flipping of the supersonic jet appears from $NPR = 3.4$ to 5.6 according to schlieren visualization and fluctuating pressures. The cross-junction mode for estimating the resonance frequency in a pipe with two closed side branches was modified and obtained comparable estimations of the frequency of jet flipping with experimental data. The coupling of the modified cross-junction mode and the Rossiter mode for cavity resonance could be the reason for the flipping of the supersonic jets. Compared to free jet, the oscillating jet achieves significant mixing enhancement based on the analysis of jet axial peak velocity and the entrainment.

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1. Introduction

Fluidic oscillators, which produce an oscillating jet (sweeping or pulsing jet) at high frequency, are attracting increased attention in recent years due to their application potentials as flow control actuators [1]. The attractive features of fluidic oscillators for flow control are their characteristics of unsteady blowing, wide range of operating frequency, and the distributed nature of momentum addition. The innovative application of fluidic oscillators to flow control problems includes separation control, jet thrust vectoring, cavity tone suppression and so on [2,3].

One characteristic of all fluidic oscillators is that there must be some type of feedback mechanism to drive the oscillations. Based on the difference of the feedback mechanism, at least four types of fluidic oscillators have been invented so far, i.e., wall attachment, jet interaction, cavity resonating and vortex oscillators [2]. The wall attachment and jet interaction oscillators have been receiving more investigations in recent years, and the details on these two oscillators were summarized in the two latest review papers [2,3].

The cavity resonating oscillator was developed as one type of temperature sensor around the 1970s [4]. One typical design is shown in Fig. 1. As a fluid jet issues from the inlet nozzle and impinges on a wedge, it is subjected to an oscillation transversely to the jet issuing direction. This oscillation has traditionally been called edge tone oscillation [5]. The edge tone oscillation is caused

by inherent shear layer instabilities, vortex shedding and acoustic feedback characteristics of the jet-edge configuration and is dependent upon the jet velocity and distance between the nozzle exit to the wedge.

The cavity in which the fluid runs from the inlet nozzle to the discharge exhaust has a characteristic or resonant frequency (eigen frequency). Carter [4] pointed out that this cavity eigen frequency is excited by the edge tone oscillations beginning at an input pressure corresponding to the threshold point. No distinct oscillations are produced until the input pressure reaches the threshold value. At this value the frequencies of oscillation produced by the flow impinging on the edges at the exhaust begin to match the cavity eigen frequencies.

The resonant frequency for the face to face cavities can be expressed by cross junction mode [6] which depends on the acoustic velocity and on the cavity length

$$f = mc/2H \quad (1)$$

where $m = 2n + 1$ ($n = 0, 1, 2, 3, \dots$). Since the sound speed is a function of temperature, the output frequency can be expressed by

$$f = \frac{m\sqrt{\gamma R_g T}}{2H} \quad (2)$$

where T is the temperature of the fluid in the cavity. Knowles [7] tested a cavity resonating oscillator which was similar to that shown in Fig. 1, and his results showed that the experimental frequency of oscillation agrees well with the prediction by Eq. (2).

As can be seen from Eq. (2), for a certain oscillator (i.e., H is fixed), the oscillation of the fluid in the cavity is a function solely

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