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# Heat transfer on topographically structured surfaces for power law fluids



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# ABSTRACT

The three-dimensional power law fluid flow through rough microchannels has been studied numerically to determine the effects of the topographic structures on the thermal and hydrodynamic characteristics of the system. Rectangular, triangular and sinusoidal element shapes have been considered in order to investigate the effects of roughness height, width, pitch and channel separation on the pressure drop and heat transfer. Uniform wall heat flux boundary condition has been applied for all the peripheral walls.

The results indicate that the global heat transfer performance can be improved or reduced by the roughness elements at the expense of pressure head when compared with the smooth channels. The maximum heat transfer performance has been obtained for triangular roughness shapes with the relative roughness height of 0.333. In most cases heat performance is smaller than unity. It is also revealed that for the sinusoidal and triangular cases by decreasing the relative roughness width, heat transfer performance is improved. Furthermore, the effects of the roughness features and the channel separation are intensified in power-law fluids. For dilatant fluids with a power-law index equal to n = 1.25, channel separation ratio reduction causes a steep rise in normalized friction factor up to 140.8 in the rectangular case. By increasing the relative roughness pitch of the cases with rectangular elements and the power-law index of n = 0.75, a reasonable heat transfer performance enhancement has been observed.

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A	channel cross-section are $(\mu m^2)$	$T_{w,ave}$	perimeter average wall temperature (K)
À	area vector of cross-section along x-direction $(\mu m^2)$	$T_{w,ave}$	mean wall temperature along $(x-direction)$ (K)
а	channel height (µm)	$T_{f,a\nu e}$	mean fluid temperature along (x-direction) (K)
b	channel width (µm)	$u_m$	average velocity on x-direction (along the
Br*	Brinkman number (non-dimensional)		channel)-(m/s)
Çp	specific heat of the fluid $(J/(kg \cdot K))$	$u_e$	velocity inlet (m/s)
$c_1, c_2$	geometries parameters (non-dimensional)	u, v, w	fluid velocity on x, y, z-direction $(m/s)$
$D_h$	hydraulic diameter (µm)	$\vec{v}$	velocity vector (m/s)
¢.	friction factor (non-dimensional)	U, V, W	non-dimensional fluid velocity on x, y, z-direction
f*	normalized friction factor (non-dimensional)		(dimensionless)
h(x)	local heat transfer coefficient $(W/(m^2 \cdot K))$	$X^*$	non-dimensional axial distance (non-dimensional)
h <sub>ave</sub>	average heat transfer coefficient $(W/(m^2 \cdot K))$	$X_0$	specific axial distance (µm)
j	counter (dimensionless)		
k <sub>f</sub>	fluid thermal conductivity $(W/(m \cdot K))$	Greek lei	tters
Ň	consistency index $(Pa \cdot s)$	λ	roughness element width (um)
L	channel length (µm)	8	roughness element height (µm)
L <sub>fd</sub>	length of the fully developed part $(\mu m)$	$\mu$ , $\mu_{\rm eff}$	fluid viscosity ( $Pa \cdot s$ ), effective viscosity
L <sub>th</sub>	thermal developing length (µm)	r", r"ejj	$(Pa \cdot (1/s)^{\wedge}(n-2))$
ṁ	mass flow rate (kg/s)	п	index of heat transfer performance (non-dimensional)
п	power law index (non-dimensional)	$\dot{\theta}$	non-dimensional temperature (non-dimensional)
Nu <sub>ave</sub>	average Nusselt number (non-dimensional)	0	fluid density $(kg/m^3)$
$p_s, P_s$	pressure (Pa), Non-dimensional pressure (dimension-	$\alpha^*$	channel aspect ratio (non-dimensional)
	less)	v. v	rate of deformation tensor $(1/s)$ , magnitude of rate of
Р	roughness pitch (µm)	•• /	deformation (1/s)
$Pe^+$	generalized Peclet number (non-dimensional)	τ	shear stress tensor (Pa)
$P_{hw}$	the perimeter of the heated walls (µm)	-	
$Pe^+$	generalized Peclet number (non-dimensional)	Subscrip	te
<i>q</i> ″	heat flux per unit area $(W/m^2)$		boated walls
$\hat{R}e^+$	generalized Reynolds number (non-dimensional)	fd	fully developed
r	constant parameter Table 1 (non-dimensional)	ju	
Te	fluid temperature at inlet (K)	uve	avelage
Tfave	bulk average temperature (K)		
5,400			

 Conflict of interest
 870

 References
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#### 1. Introduction

In recent years, the advancements in high power microelectronic devices and processors are rapidly increasing. Therefore, a highly effective heat removal system is required to dissipate generated heat in small area. Microchannels due to their features in heat dissipation in small area have attracted much attention. On the other hand, the increasing use of microchannels in biological sciences such as analyzing DNA, protein and cells provides the second driving force for such investigations.

The fluid transport at the microscale may be affected by the surface roughness. The roughness may be created either intentionally for specific purposes or unintentionally due to the fabrication processes. Even surfaces with high quality polishing have significant roughness features at the microscales. At those scales the channel dimensions are close to the channels roughness and this high

 Table 1

 Test matrix for rectangular channel with two opposite roughened wall.

Case No.	$\frac{L}{D_h}$	$\frac{a}{b}$	$\frac{a}{D_h}$	$\frac{\varepsilon}{D_h}$	$\frac{\lambda}{D_h}$	$\frac{P}{D_h}$	$\frac{P}{\varepsilon}$
1	166.67	1	1.00	0.167	0.50	1.50	9
2	166.67	1	1.00	0.250	0.50	1.50	6
3	166.67	1	1.00	0.333	0.50	1.50	4.5
4	166.67	1	1.00	0.250	0.25	1.50	6
5	166.67	1	1.00	0.250	1.00	1.50	6
6	166.67	1	1.00	0.250	0.50	0.75	3
7	166.67	1	1.00	0.250	0.50	3.00	12
8	250.00	0.5	0.75	0.167	0.50	1.50	9
9	125.00	2	1.50	0.167	0.50	1.50	9

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