



# A model for multiple transport mechanisms through nanopores of shale gas reservoirs with real gas effect–adsorption–mechanic coupling



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## ABSTRACT

Multiple transport mechanisms coexist in nanopores of shale gas reservoirs with complex pore size distribution and different gas-storage processes, including continuum flow, slip flow and transition flow of bulk gas and surface diffusion for adsorbed gas. The force between gas molecules and the volume of the gas molecules themselves cannot be negligible in shale gas reservoirs with high pressure and nanoscale pores, influences gas transport and must be taken into account as a real gas effect. During depressurization development of shale gas reservoirs, the adsorbed gas desorption and a decrease in an adsorption layer influence gas transport. Meanwhile, due to the stress dependence, decreases in intrinsic permeability, porosity and a pore diameter also influence gas transport. In this work, a unified model for gas transport in organic nanopores of shale gas reservoirs is presented, accounting for the effects of coupling the real gas effect, stress dependence and an adsorption layer on gas transport. This unified model is developed by coupling a bulk gas transport model and an adsorbed gas surface diffusion model. The bulk gas transport model is validated with published molecular simulation data, and the adsorbed gas surface diffusion model is validated with published experimental data. The results show that (1) in comparison with the previous models, the bulk gas transport model developed on the basis of a weighted superposition of slip flow and Knudsen diffusion can more reasonably describe bulk gas transport, (2) surface diffusion is an important transport mechanism, and its contribution cannot be negligible and even dominates in nanopores with less than 2 nm in diameter, and (3) the effect of stress dependence on fluid flow in shale gas reservoirs is significantly different from that in conventional gas reservoirs, and is related to not only the shale matrix mechanical properties and the effective stress but also the gas transport mechanisms.

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## 1. Introduction

Recoverable reserves of shale gas in the United States are estimated to be  $24.409 \times 10^{12} \text{ m}^3$  [1]. Over the past years, profitable production in shale gas reservoirs is a result of technological advancement in horizontal drilling and hydraulic fracturing [2]. Even with significant progress made in production of shale gas reservoirs, gas recovery remains very low, estimated at 10–30% of original gas in place [3]. One of the issues yet to be addressed is the lack of a valid predictive tool for shale-gas production [4]. A model for gas transport in nanopores of shale gas reservoirs is the fundament for numerical simulation and production forecast [5,6].

Typical organic-rich shale has low porosity (less than 10%) and permeability (ranging from nano Darcy to micro Darcy) [7]. According to the International Union of Pure and Applied Chemistry (IUPAC), classification of a pore size in shale can be divided into ultramicropores (pore diameter <0.7 nm), micropores (0.7 nm ~ 2 nm), mesopores (2 nm ~ 50 nm) and macropores (>50 nm). Small-scale nanopores dominate in shale. The pore volume with a pore radius of less than 10 nm accounts for the total pore volume up to 42% [8]. Some of the pores and the paths connecting the pores have a pore radius of even less than 2 nm and only a small amount of macropores distributes [9]. The effective pore size estimated by Kang et al. shows that shale could be considered as a microporous-mesoporous material [10]. According to a general classification, shale pores can be divided into organic pores and inorganic pores; organic pores account for a significant portion [9]. Shale gas is self-generating and self storage, and free gas, adsorbed gas and dissolved gas coexist in shale gas reservoirs

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# Nomenclature

$b$	gas slippage constant, dimensionless	$J_s$	surface diffusion mass flux for real gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$
$C_g$	gas compressibility factor, 1/MPa	$J_{si}$	surface diffusion mass flux for ideal gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$
$C_k$	Knudsen diffusion conductance considering real gas effect, s	$J_t$	total mass flux for real gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$
$C_{kad}$	Knudsen diffusion conductance considering real gas effect and adsorption layer, s	$J_v$	slip mass flux for real gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$
$C_{ki}$	Knudsen diffusion conductance when gas is considered as ideal gas, s	$J_{vi}$	slip mass flux for ideal gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$
$C_{knon-ad}$	Knudsen diffusion conductance with considering real gas effect and without adsorption layer, s	$K$	intrinsic permeability of shale under effective stress condition, $\text{m}^2$
$C_{knon-str}$	Knudsen diffusion conductance with considering real gas effect and without stress dependence, s	$Kn$	Knudsen number for real gas, dimensionless
$C_{kstr}$	Knudsen diffusion conductance considering real gas effect and stress dependence, s	$Kn_i$	Knudsen number for ideal gas, dimensionless
$C_s$	adsorbed gas surface diffusion conductance, s	$K_o$	intrinsic permeability of shale at atmospheric pressure, $\text{m}^2$
$C_{sc}$	adsorbed gas concentration when gas is considered as real gas, $\text{kg}/\text{m}^3$	$l$	distance along the gas transport direction, m
$C_{sci}$	adsorbed gas concentration when gas is considered as ideal gas, $\text{kg}/\text{m}^3$	$M$	gas molar mass, $\text{kg}/\text{mol}$
$C_{si}$	adsorbed gas surface diffusion conductance when gas is considered as ideal gas, s	$N_A$	Avogadro's constant, $6.0221415 \times 10^{23}/\text{mol}$
$C_{snon-str}$	adsorbed gas surface diffusion conductance with considering real gas effect and without stress dependence, s	$p$	gas pressure, MPa
$C_{sstr}$	adsorbed gas surface diffusion conductance considering real gas effect and stress dependence, s	$p'$	gas pressure at certain time during depressurization, MPa
$C_t$	total flow conductance when gas is considered as real gas, s	$p_c$	overburden pressure, MPa
$C_{tad}$	total flow conductance considering real gas effect and adsorption layer, s	$p_e$	effective stress, MPa
$C_{ti}$	total flow conductance when gas is considered as ideal gas, s	$p_L$	Langmuir pressure, MPa
$C_{tnon-ad}$	total flow conductance with considering real gas effect and without adsorption layer, s	$q$	shale porosity coefficient, dimensionless
$C_{t-non}$	influence factor total flow conductance without considering real gas effect, or stress dependence, or adsorption layers, s	$q_a$	standard adsorbed gas volume per unit weight, $\text{m}^3/\text{kg}$
$C_{tnon-str}$	total flow conductance with considering real gas effect and without stress dependence, s	$q_L$	Langmuir volume, $\text{m}^3/\text{kg}$
$C_{tstr}$	total flow conductance considering real gas effect and stress dependence, s	$R$	gas universal constant, $\text{J}/(\text{mol} \cdot \text{K})$
$C_v$	slip flow conductance when gas is considered as real gas, s	$r$	pore radius under effective stress condition, m
$C_{vad}$	slip flow conductance considering real gas effect and adsorption layer, s	$\Delta r$	decreased pore radius due to stress dependence, m
$C_{vi}$	slip flow conductance when gas is considered as ideal gas, s	$r'$	pore radius under effective stress condition at certain time during depressurization, m
$C_{vnon-ad}$	slip flow conductance with considering real gas effect and without adsorption layer, s	$r_{ad}$	adsorption layer for real gas, m
$C_{vnon-str}$	slip flow conductance with considering real gas effect and without stress dependence, s	$r'_{ad}$	adsorption layer for real gas at certain time during depressurization, m
$C_{vstr}$	slip flow conductance with considering real gas effect and stress dependence, s	$r_{adi}$	adsorption layer for ideal gas, m
$D_f$	fractal dimension of the pore surface, dimensionless	$r_o$	pore radius under atmospheric pressure, m
$D_s$	surface diffusion coefficient, $\text{m}^2/\text{s}$	$s$	shale permeability coefficient, dimensionless
$D_s^0$	surface diffusion coefficient when gas coverage is "0", $\text{m}^2/\text{s}$	$T$	reservoir temperature, K
$d_m$	gas molecular diameter, m;	$t_M$	the average time required for one collision between the gas molecules, s
$H(1 - \kappa)$	Heaviside function, dimensionless	$t_S$	the averaged time required for one collision between a nanopore wall and gas molecule, s
$\Delta H$	isosteric adsorption heat at the gas coverage of "0", $\text{J}/\text{mol}$	$t_T$	the average time consumed for one collision of overall gas molecules, s
$J_b$	total mass flux for bulk real gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$	$Z$	gas deviation factor, dimensionless
$J_{bi}$	total mass flux for bulk ideal gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$	$\alpha$	rarified effect coefficient for real gas, dimensionless
$J_{ci}$	continuum mass flux for ideal gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$	$\alpha_1$	fitting constant, dimensionless
$J_k$	Knudsen diffusion mass flux for real gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$	$\alpha_i$	rarified effect coefficient for ideal gas, dimensionless
$J_{ki}$	Knudsen diffusion mass flux for ideal gas, $\text{kg}/(\text{m}^2 \cdot \text{s})$	$\alpha_o$	rarified effect coefficient when $Kn \rightarrow \infty$ , dimensionless
		$\beta$	fitting constant, dimensionless
		$\xi_{mb}$	the correction factor for bulk gas transport in shale, dimensionless
		$\xi_{ms}$	surface diffusion coefficient in shale, dimensionless
		$\eta$	gas viscosity, $\text{Pa} \cdot \text{s}$
		$\theta$	gas coverage on nanopores wall for real gas, dimensionless
		$\theta_i$	gas coverage on nanopores wall for ideal gas, dimensionless
		$\kappa$	the ratio of the rate constant for blockage to the rate constant for forward migration, dimensionless
		$\kappa_b$	the rate constant for blockage, m/s
		$\kappa_m$	the rate constant for forward migration, m/s;
		$\lambda$	molecular mean free path for real gas, m
		$\lambda_i$	molecular mean free path for ideal gas, m
		$\lambda_T$	molecular mean free path of the overall gas molecules, m
		$\sigma$	the ratio of normalized molecule size to local average pore diameter, dimensionless
		$\tau$	tortuosity, dimensionless

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