



## Simulation of flow and heat transfer in a liquid drop sliding underneath a hydrophobic surface

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### ABSTRACT

Clusters of liquid drops growing and moving on physically or chemically textured surfaces are encountered in dropwise mode of vapor condensation. This process can be sustained only if the surface integrity is maintained over a long period of time. Surface features are altered when sliding drops leach away the promoter layer. In the absence of chemical reactions between the promoter and the condensing liquid, the wall shear stress is the primary parameter controlling the physical leaching. In turn, wall shear stress depends on the relative speed between the drop and the substrate surface and the shape of the drop. Given a wall shear stress distribution for individual drops, the net effect of an ensemble of them during continuous quasi-steady state dropwise condensation can be determined using the population density of drops.

Wall shear stress and local heat fluxes have been determined in the present work by solving the Navier–Stokes and energy equations in three-dimensions on an unstructured tetrahedral grid that represents an individual droplet. The drop size and relative velocity are parameterized by the Reynolds number ( $Re = 10\text{--}1000$ ), apparent contact angle ( $90\text{--}120^\circ$ ) and its shape. The simulations presented here are for a wide range of Prandtl numbers, i.e.,  $0.005\text{--}30$ . The wall shear stress and wall heat flux are expressed in terms of the skin friction coefficient and the Nusselt number, respectively. While these two quantities show an increase with Reynolds number, they decrease at higher values of the drop contact angle on/underneath hydrophobic surface. At low Prandtl numbers, heat transfer is mainly diffusional and the wall Nusselt number is practically independent of Reynolds number at any given Pr. The maximum wall shear stress as well as heat flux occurs at the corners of the drop close of the three-phase contact line. The surface averaged shear stress and heat flux are expressed in terms of appropriate correlations that include Reynolds number, Prandtl number, and the apparent contact angle. The wall shear stress in the relatively inactive central region at the drop base is smaller than the overall base average by a factor of 6, while that for heat transfer, the corresponding factor is in the range of 1.3–1.8. The figure of merit function, represented by the ratio of average Nusselt number to the friction coefficient, increases with contact angle, indicating an advantage to be gained from hydrophobic surfaces. The information presented in this paper is vital for further improvement of the available models of dropwise condensation on textured surfaces.

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### 1. Introduction

The sliding of liquid drops over and underneath textured surfaces has been a subject of extensive research in the context of many engineering applications. These include examples such as dropwise condensation, microfluidics, lab-on-chip devices, ink jet printing systems, spraying of insecticide on crops and several biochemical processes [1–3]. It is known that dynamic steady-state of condensing vapor on a cold substrate involves a large population of drops of varying sizes, involving various generations [4,5]. The drops increase in size by a combination of direct condensation

and/or coalescence with neighboring drops [6]. As drops grow, the body forces eventually exceed the drop retention force due to surface tension, leading to sliding of drops and fall off thereafter [7]. This step exposes virgin substrate for condensation, where a new generation of drops begins to grow [6,8]. The effective heat transfer coefficient during dropwise condensation is considerably greater than that for a liquid film condensation mode, making the former ideal from a heat transfer enhancement and energy conservation perspective [9].

The long term sustainability of dropwise condensation on a given substrate depends on the shear interaction of sliding drops with the hydrophobicity promoter layer [10]. The phenomenon of removal of this promoter layers, or surface damage due to sliding of drop, leads to surface leaching. It arises primarily from

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**Nomenclature**

$C$	Cell center of tetrahedron	$Nu$	local Nusselt Number, $hd/k$
$C_p$	specific heat of liquid (J/kg K)	$\bar{Nu}$	average Nusselt number, $\bar{hd}/k$
$d$	base diameter of the drop measured on the solid substrate (m)	Pr	Prandtl number, $\mu C_p/k$
$f$	face center of tetrahedron	Re	Reynolds number, $\rho Ud/\mu$
$g$	gravitational acceleration (m/s <sup>2</sup> )	Ra	Rayleigh number, $g\beta(T_h - T_c)H^3/\nu\alpha$
$H$	height of cavity (m)	<i>Dimensionless quantities</i>	
$h$	local heat transfer coefficient (W/m <sup>2</sup> K)	$u/U$	dimensionless velocity in x direction
$\bar{h}$	average heat transfer coefficient (W/m <sup>2</sup> K)	$v/U$	dimensionless velocity in y direction
$\hat{i}, \hat{j}$ and $\hat{k}$	unit vectors in x, y and z directions	$w/U$	dimensionless velocity in z direction
$k$	thermal conductivity (W/m K)	$p/(\frac{1}{2}\rho U^2)$	dimensionless pressure
$n$	unit normal vector drawn on the drop surface (-)	$(T - T_w)/\Delta T$	dimensionless temperature
$P$	vertices of the grid cell (-)	<i>Subscripts</i>	
$p$	pressure (Pa)	<i>adv</i>	advancing angle
$q$	heat flux (W/m <sup>2</sup> )	<i>b</i>	base of the drop
$t$	time (s)	<i>C</i>	cell center of tetrahedron
$t_1$ and $t_2$	unit tangent vectors over the surface of the drop (-)	<i>Cb</i>	cell center of boundary tetrahedron
$T$	temperature (°C)	<i>f</i>	face center of tetrahedron
$\Delta T$	temperature difference between the substrate and the drop boundary (°C)	<i>fb</i>	face center of boundary face
$u$	velocity component in x direction (m/s)	$f_{123}$	face of cell which have node $P_1, P_2$ and $P_3$
$v$	velocity component in y direction (m/s)	<i>free</i>	free surface of the drop
$w$	velocity component in z direction (m/s)	<i>h, c</i>	hot and cold surfaces
$U$	sliding velocity of substrate (m/s)	<i>i</i>	free indices
$V$	volume of drop (m <sup>3</sup> )	<i>j</i>	repeated indices
$\alpha$	thermal diffusivity (m <sup>2</sup> /s)	<i>rcd</i>	receding angle
$\beta$	volumetric expansion coefficient (K <sup>-1</sup> )	<i>x, y, z</i>	component in the x, y, or z direction, respectively
$\mu$	dynamic viscosity of liquid (Pa s)	<i>xy</i>	x-y plane
$\theta$	apparent contact angle (° or radians)	<i>yz</i>	y-z plane
$\rho$	fluid density (kg/m <sup>3</sup> )	<i>n</i>	component in the normal direction, curvilinear coordinates
$\tau$	shear stress (N/m <sup>2</sup> )	$t_1, t_2$	component in the tangential direction, curvilinear coordinates
$\phi$	general flow variable (-)	<i>wall</i>	condensing wall surface
<i>Non-dimensional parameters</i>			
$C_f$	local Skin friction coefficient, $\tau_{wall}/(2\rho U^2)$		
$\bar{C}_f$	average Skin friction coefficient, $\bar{\tau}_{wall}/(2\rho U^2)$		

viscous forces at the contact surface and chemical reactions between the condensing liquid and the promoter. Heat transfer rates and temperature fluctuations affect these interactions [11]. A detailed analysis of viscous forces that lead to substrate leaching is sparse and forms the motivation of the present work.

Literature on surface leaching due to drop motion is limited. Most of the existing work [12–17] have considered the critical state of a static sessile drop on an inclined surface and focused on the apparent contact angle hysteresis, drop shape, and drop retention with tiltable surfaces, for various combinations of the hydrophobic substrates and liquids. Elsherbine and Jacobi [16–17] performed experiments on an isolated sessile drop and reported that the drop is deformed at the critical state over an inclined substrate. The geometric parameters necessary to describe the shape of the deformed drop at the critical state over an inclined substrate, and corresponding retention forces, were investigated. Though a large volume of work exists on predicting the drop shape under static conditions, only a few researchers have reported the sliding behavior of the drop on an inclined surface [18–28]. Kim et al. [18] performed experiments for measuring the steady sliding velocity of liquid drops on an inclined surface and reported a scaling law to determine the sliding velocity of a liquid drop of known wetting characteristics. Huang et al. [19] used a front tracking method to determine the motion of two-dimensional drops and

bubbles on a partially wetting surface exposed to shear flow. Gao and McCarthy [20] postulated two mechanisms for drop moving down an inclined plane. Drops can move by sliding, where the particles near the solid-liquid interface exchange their position with those at the gas-liquid interface while the bulk of the fluid remains unaffected. The particle movement along the gas-liquid and solid-liquid interfaces is compared to the motion of a tread of a chain-driven tank. On the other hand, there could be rolling motion, where the entire fluid mass undergoes a circulatory movement. Suzuki et al. [21] studied the sliding behavior of water drops on various chemically textured surfaces at a fixed inclination of 35° and reported sliding displacement of the advancing edge of the drop. Sakai et al. [22] studied rolling versus sliding behavior of drops on various chemically textured surfaces. In their theoretical analysis, Grand et al. [23] scaled the viscous force as  $\mu UV^{1/3}$  for a drop of volume  $V$  moving with a speed  $U$  and reported that the sliding velocity along an inclined plane is a linear function of the Bond number. Yoshida et al. [24] did not consider viscous forces in their study of sliding behavior of water drops on a flat polymer surface. The authors reported that the sliding motion changes from constant velocity to one of constant acceleration with an increase in the apparent contact angle. Daniel et al. [25] reported the maximum velocity of the condensing sessile drop on a chemically textured horizontal substrate having a wettability gradient. Sakai

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