



# An investigation of workpiece temperature variation in end milling considering flank rubbing effect



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## ABSTRACT

Better prediction about the magnitude and distribution of workpiece temperatures has a great significance for improving performance of metal cutting process, especially in the aviation industry. A thermal model is presented to describe the cyclic temperature variation in the workpiece for end milling. Owing to rapid tool wear in the machining of aeronautical components, flank rubbing effect is considered. In the proposed heat source method for milling, both the cutting edge and time history of process are discretized into elements to tackle geometrical and kinematical complexities. Based on this concept, a technique to calculate the workpiece temperature in stable state, which supposes the tool makes reverse movement, is developed. And a practicable solution is provided by constructing a periodic temperature rise function series. This investigation indicates theoretically and experimentally the impact of different machining conditions, flank wear widths and cutter locations on the variation of workpiece temperature. The model results have been compared with the experimental data obtained by machining 300M steel under different flank wear widths and cutting conditions. The comparison indicates a good agreement both in trends and values. With the alternative method, an accurate simulation of workpiece temperature variation can be achieved and computational time of the algorithm is obviously shorter than that of finite element method. This work can be further employed to optimize cutting conditions for controlling the machined surface integrity.

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## 1. Introduction

The heat generated in cutting process is one of the most important issues in the metalworking industry. High temperature in metal cutting degrades the tool life, surface integrity, size accuracy and machining efficiency dramatically. In the aviation industry, currently more and more difficult-to-machine materials find their applications. The special properties of these materials, such as superior strength, high hardness and low thermal conductivity, can result in both pretty high cutting force and workpiece temperature in metal removal processes. The coupled thermo-mechanical behavior has a great influence on the tool wear and residual stress in machined surface. With the rapid

development of aviation industry, the demands for high-quality aeronautical parts are growing due to their service occasions [1]. Machined surface integrity is an important indicator in assessing the qualities of aeronautical parts. The studies of cutting forces and temperatures, particularly for workpiece, are indispensable to guarantee excellent machined surface integrity. A big amount of heat is conducted into the work material and becomes a critical problem in production. It is likely to degrade the surface integrity of products and even causes surface defects that may lead to irreversible failure in aeronautical parts.

In early years, a great deal of work has been carried out to establish analytical models of the cutting temperature distribution. Most of this work has focused on thermal modelling of grinding and orthogonal cutting. In the light of complexity of part geometry and increasing requirement of machining efficiency, very large volumes of materials are machined away by milling. Once surface burning phenomenon which changes metallographic structure occurs in milling process, subsequent processes hardly continue and the whole workpiece is likely to be destroyed. To date, however, very meager efforts have been dedicated to thermal modelling in milling especially for workpiece.

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## Nomenclature

$a_n$	General term of a series used in proof of convergence	$\mathbf{O}_s X_s Y_s Z_s$	Coordinate system of elemental shear plane heat source
$a_p$	Axial depth of cut (m)	$\mathbf{O}_{si} X_{si} Y_{si} Z_{si}$	Coordinate system of elemental image shear plane heat source
$A, B, C, C_1, C_2, C_3, C_4, C_5, C_6, D$	Constants used in proof of convergence	$P$	An element of cutting edge
$A_\gamma$	Tool rake face	$P_n, P_o, P_r, P_s, P_{sh}$	Normal plane, orthogonal plane, reference plane, cutting plane and shear plane, respectively
$\bar{A}, \bar{f}_0, \bar{f}_1, \bar{f}_f, \bar{f}_s, L_0, u, W_0, X_0, Y_0$	Intermediate variables for calculating average temperature rise of heat source	${}^f \mathbf{p}, {}^s \mathbf{p}, {}^{si} \mathbf{p}, {}^w \mathbf{p}$	Position vectors of point $M$ in coordinate systems $\mathbf{O}_f X_f Y_f Z_f, \mathbf{O}_s X_s Y_s Z_s, \mathbf{O}_{si} X_{si} Y_{si} Z_{si}$ and $\mathbf{OXYZ}$ , respectively
$B_f(\tau, z)$	Fraction of the flank wear-land heat conducted into the workpiece	${}^f_{rev} \mathbf{p}, {}^s_{rev} \mathbf{p}, {}^{si}_{rev} \mathbf{p}, {}^w_{rev} \mathbf{p}$	Position vectors of point $M$ in coordinate systems $\mathbf{O}_f X_f Y_f Z_f, \mathbf{O}_s X_s Y_s Z_s, \mathbf{O}_{si} X_{si} Y_{si} Z_{si}$ and $\mathbf{OXYZ}$ in imaginary reverse milling process, respectively
$B_{s,j}(\tau, z), B_{s,j}^{rev}(t, z)$	Fractions of the shear plane heat conducted into the workpiece in direct integration calculation and reverse integration calculation, respectively	$q$	Heat flux of rectangular heat source ( $\text{W/m}^2$ )
$c$	Specific heat capacity ( $\text{J/kg } ^\circ\text{C}$ )	$q_{f,j}(\tau, z)$	Heat flux of instantaneous elemental flank wear-land heat source ( $\text{W/m}^2$ )
$c_w$	Specific heat capacity of work material ( $\text{J/kg } ^\circ\text{C}$ )	$q_{s,j}(\tau, z), q_{s,j}^{rev}(t, z)$	Heat fluxes of instantaneous elemental shear plane heat source in direct integration calculation and reverse integration calculation, respectively ( $\text{W/m}^2$ )
$dF_{ac,j}(\tau, z), dF_{rc,j}(\tau, z), dF_{tc,j}(\tau, z)$	Elemental axial, radial and tangential force components due to chip removal, respectively (N)	$Q$	Specific energy of instantaneous rectangular heat source ( $\text{J/m}^2$ )
$dF_{c,j}(\tau, z)$	Elemental resultant force due to chip removal (N)	$t, \tau$	Time in imaginary reverse milling process and actual milling process, respectively (s)
$d\mathbf{F}_{c,j}, d\mathbf{F}_{c,j}'$	Elemental resultant cutting force vectors acting on cutting tool and workpiece due to chip removal, respectively	$t_i^n$	Time of the $i$ th tiny time interval in $T_n$ (s)
$d\mathbf{F}_{fc,j}, d\mathbf{F}_{nc,j}$	Components of $d\mathbf{F}_{c,j}$	$t^n$	Time defined in time range of $T_n$ (s)
$d\mathbf{F}_{sj}, d\mathbf{F}_{ns,j}$	Components of $d\mathbf{F}_{c,j}'$	$t_s$	Time which is studied on (s)
$dF_{xn}, dF_{yn}, dF_{zn}$	Force components of $dF_{c,j}(\tau, z)$ in $X_n, Y_n$ and $Z_n$ directions, respectively (N)	$T$	Rotating period of tool (s)
$dF_{rf,j}(\tau, z), dF_{tf,j}(\tau, z)$	Elemental radial and tangential force components due to tool flank wear, respectively (N)	$T_n$	The $n$ th period
$dt, d\tau$	Lengths of tiny time interval in reverse integration calculation and direct integration calculation, respectively (s)	${}^f_w T, {}^s_w T, {}^{si}_w T$	Transformation matrices from $\mathbf{OXYZ}$ to $\mathbf{O}_f X_f Y_f Z_f, \mathbf{O}_s X_s Y_s Z_s$ and $\mathbf{O}_{si} X_{si} Y_{si} Z_{si}$ in actual milling process, respectively
$dz$	Elementary axial length (m)	${}^f_w T_{rev}, {}^s_w T_{rev}, {}^{si}_w T_{rev}$	Transformation matrices from $\mathbf{OXYZ}$ to $\mathbf{O}_f X_f Y_f Z_f, \mathbf{O}_s X_s Y_s Z_s$ and $\mathbf{O}_{si} X_{si} Y_{si} Z_{si}$ in reverse milling process, respectively
$d\theta_{f,j}(\tau, z)$	Workpiece temperature rise induced by instantaneous elemental flank wear-land heat source ( $^\circ\text{C}$ )	$V$	Cutting velocity (m/s)
$d\theta_{s,j}(\tau, z)$	Workpiece temperature rise induced by instantaneous elemental shear plane heat source ( $^\circ\text{C}$ )	$\mathbf{V}$	Cutting velocity vector
$d\theta_{si,j}(\tau, z)$	Workpiece temperature rise induced by instantaneous elemental image shear plane heat source ( $^\circ\text{C}$ )	$V_o$	Velocity of rectangular heat source moving obliquely on semi-infinite conducting medium (m/s)
$f_{s,j,\varphi_0}(t, z)$	Workpiece temperature rise induced by instantaneous elemental shear plane heat source in reverse integration calculation ( $^\circ\text{C}$ )	$\mathbf{V}_c$	Chip velocity vector
$h_j(\tau, z), h_j^{rev}(t, z)$	Instantaneous uncut chip thicknesses in direct integration calculation and reverse integration calculation, respectively (m)	$V_s$	Shear velocity (m/s)
$K_{ac}, K_{rc}, K_{tc}$	Cutting force coefficients due to chip removal ( $\text{N/m}^2$ )	$\mathbf{V}_s$	Shear velocity vector
$K_{nf}, K_{tf}$	Cutting force coefficients due to tool flank wear ( $\text{N/m}^2$ )	$VB$	Tool flank wear width (m)
$K_r$	Determination coefficient to check whether stable state is reached or not	$x_f, y_f, z_f$	Coordinates of point $M$ in coordinate system $\mathbf{O}_f X_f Y_f Z_f$ (m)
$L, W$	Length and width of rectangular heat source, respectively (m)	$x_{\bar{n}}, y_{\bar{n}}, z_{\bar{n}}$	Coordinates of point $M$ in coordinate system $\mathbf{O}_{\bar{n}} X_{\bar{n}} Y_{\bar{n}} Z_{\bar{n}}$ (m)
$M$	A point in workpiece	$x_h, y_h, z_h$	Coordinates of point $M$ in coordinate system $\mathbf{O}_h X_h Y_h Z_h$ (m)
$N$	Number of cutter teeth	$x_s, y_s, z_s$	Coordinates of point $M$ in coordinate system $\mathbf{O}_s X_s Y_s Z_s$ (m)
$\mathbf{OXYZ}$	Global stationary coordinate system	$z$	Axial position of elemental cutting edge (m)
$\mathbf{O}_h X_h Y_h Z_h$	Coordinate system of heat source	$\alpha$	Thermal diffusivity ( $\text{m}^2/\text{s}$ )
$\mathbf{O}_f X_f Y_f Z_f$	Coordinate system of elemental flank wear-land heat source	$\alpha_n$	Tool normal rake angle ( $^\circ$ )
$\mathbf{O}_{\bar{n}} X_{\bar{n}} Y_{\bar{n}} Z_{\bar{n}}$	Coordinate system of elemental image flank wear-land heat source	$\alpha_w$	Thermal diffusivity of work material ( $\text{m}^2/\text{s}$ )
$\mathbf{O}_n X_n Y_n Z_n$	Coordinate system of elemental cutting edge	$\beta$	Tool helix angle ( $^\circ$ )
		$\beta_a$	Friction angle ( $^\circ$ )
		$\Gamma_j(\tau, z)$	Engagement recognition factor
		$\eta_c$	Chip flow angle ( $^\circ$ )
		$\theta$	Temperature rise ( $^\circ\text{C}$ )
		$\bar{\theta}$	Average temperature rise on rectangular heat source ( $^\circ\text{C}$ )
		$\theta_{f,\varphi_0}, \theta_{s,\varphi_0}, \theta_{si,\varphi_0}$	Workpiece temperature rises in stable state induced by flank wear-land heat source, shear plane

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