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# A new contact & slip model for tracked vehicle transient dynamics on hard ground

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## Abstract

This study presents a new general transient contact and slip model for tracked vehicles on hard ground which is simple, accurate, and in agreement with the test results to a satisfactory level. Simulating zero track speed instances become possible with the new contact/shear model which is the major proposed improvement in addition to more accurate results for transient steering and tractive inputs. The model represents a general tracked vehicle having rear or front sprockets, with parameters for center of gravity, wheel positions, number of wheels, and track-pretention. To calculate longitudinal and lateral forces, a transient shear model is used. Shear stress under each track pad is assumed to be a function of shear displacement. The contact time formulation used in shear displacement calculation is improved to gain accuracy for transient and zero track speed conditions.

The model is implemented on the Matlab/Simulink platform and verified with a comprehensive program of road tests composed of transient steering and tractive/braking scenarios. The results of the simulations and the road tests are satisfactorily similar for both constant and transient input maneuvers. Moreover, sensitivity simulations for vehicle parameters are conducted to show that the model responses are inline with the expected vehicle dynamics behaviours.

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Keywords: Tracked vehicle; Steering; Transient lateral and longitudinal dynamics; Shear model

#### 1. Introduction

Studies on steering dynamics of tracked vehicles began in 1950's. Steeds (1950) is one of the first researchers who rigorously defined skid steering behavior of tracked vehicles. His basic assumption was that the interaction between terrain and the track obeyed the Coulomb law of friction. He considered uniformly distributed vehicle weight over the whole track area and suggested a trial and error type of solution. Weiss (1971) proposed calculation of normal

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loads under the track as concentrated point loads under each wheel on hard ground. His equations were solved graphically in the form of nomograms. Kitano and Jyozaki (1976) took into consideration the effect of lateral accelerations, longitudinal accelerations, and track tension on contact forces. They derived their formulas considering regularly spaced wheels of an n-wheeled vehicle and took the center of gravity in the middle of the vehicle. They excluded the effect of track pretension. Kitano and Kuma (1977) derived the differential equations to define the steering motion for transient cases. However, they again used the simple Coulomb's law of friction to calculate shear forces. Watanabe and Kitano (1986) extended the same model to analyze steerability of articulated vehicles. The

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## Nomenclature

$a_x$	longitudinal acceleration $(m/s^2)$	$t_{1i}$
$a_v$	lateral acceleration $(m/s^2)$	t <sub>ni</sub>
Á <sub>tp</sub>	single-track shoe bottom surface area (m <sup>2</sup> )	T <sub>p</sub>
B	vehicle tread (m)	Ts
CoG	center of gravity of the vehicle	~
$d_{km}^{ij}$	distance the track shoe cell sheered after it	$T_{1i}$
кт	started to its movement (m)	T <sub>ni</sub>
fr	coefficient of external motion resistance	V
g	gravity $(m/s^2)$	$V_{m}^{ij}$
Ğ	total vehicle weight (N)	SX
$G_1$	total weight on first track (N)	$V^{ij}$
$G_2$	total weight on second track (N)	sy.
H	Z coordinate of center of gravity (m)	$V_{ti}$
i	number of the road wheel	V.
i	number of the track	· A
$i^{ij}$	slip displacement of a track shoe cell in x direc-	V.,
J xkm	tion in vehicle coordinate system (m)	. y
i <sup>ij</sup>	slip displacement of a track shoe cell in v direc-	$x n_{i}^{ij}$
J ykm	tion in vehicle coordinate system (m)	$MP_k$
$i^{ij}$	total slip displacement of a track shoe cell in	xw.
J km	vehicle coordinate system (m)	
К	shear deformation modulus (m)	x
L	Y distance of CoG to the first track in vehicle	21
$\mathbf{L}_1$	coordinate system (m)	$v n^{ij}$
L	Y distance of CoG to the second track in vehicle	$y_{P_{kl}}$
12	coordinate system (m)	VW
Lir	X distance of road wheel to $\Omega_1$ - $\Omega_2$ axis in vehicle	<i>.</i> ,
LIJ	coordinate system (m)	Y
Lo	X distance of center of gravity to $\Omega_1$ - $\Omega_2$ axis in	
ъG	vehicle coordinate system (m)	ß
М	total vehicle mass (kg)	م الا
M:	moment created by longitudinal force at track	Ψ ω
11-XIJ	shoe (Nm)	ஞ்
M	moment created by lateral force at track shoe	θ <sub>c</sub> .
ivi yıj	(Nm)	θ
n	total number of wheels	e in
$\mathbf{O}_1$	arbitrarily selected point in the direction of first	$\psi^{ij}$
01	track	$\Psi kn$ $\Lambda$
$O_2$	arbitrarily selected point in the direction of sec-	$\Delta_{lj}$
02	ond track	Λx
$n^{ij}$	normal pressure over the bottom surface of a	
Ρ	track shoe $(N/m^2)$	$\Lambda v$
n,	mean length of a track shoe (m)	Ду
pi n	mean width of a track shoe (m)	$\Lambda t^{ij}$
Рw <b>P</b>	total contact force of a track shoe (N)	$\Delta u_k$
т <sub>1</sub> ј Р	static load under each track shoe (N)	$x_{ij}$
• sıj	longitudinal force on each track pad (N)	ß'
	lateral force on each track pad (N)	$P_{j}$
≺yıj R.	longitudinal force created by external rolling	
r j	resistance (N)	
s'	gradient of static load transfer (N/m)	ß
3 <sub>j</sub>	static load transfer (N)	$\rho_{ij}$
s <sub>ij</sub>	static ioau transier (iv)	

tı;	track force on 1st wheel (N)
tni	track force on n <sup>th</sup> wheel (N)
-пј Т.,	track pretension (N)
-ρ Τ <sub>α</sub>	tension applied by sprocket to the track seg-
- 5	ments (N)
Т.	track tension in front (N)
1 1j Т	track tension in none (N)
1 <sub>nj</sub> V	track tension in real $(N)$
V vii	combined velocity of the venicle (m/s)
sxkm	velocity of the track shoe cell in x direction in
	track shoe coordinate system (m/s)
V <sup>r</sup> sykm	velocity of the track shoe cell in y direction in
	track shoe coordinate system (m/s)
V <sub>tj</sub>	velocity of track (m/s)
V <sub>x</sub>	velocity of the vehicle in x direction in vehicle
	coordinate system (m/s)
$V_{v}$	velocity of the vehicle in y direction in vehicle
5	coordinate system (m/s)
$x p_{i}^{ij}$	X coordinate of a track shoe cell center in track
T KM	shoe coordinate system (m)
XW::	X coordinate of a track shoe center in vehicle
<b>i i</b> i j	coordinate system (m)
x	X location of the vehicle in global coordinate
	system (m)
un <sup>ij</sup>	V coordinate of a track shoe cell center in track
$VP_{km}$	shoe coordinate system (m)
	V accordinate of a track shap contar in vahiala
yw <sub>ij</sub>	Y coordinate of a track shoe center in venicle
v	V lagation of the subjet in alabel as adjuste
ĭ	Y location of the venicle in global coordinate
0	system (m)
ß	side slip angle (rad)
Ψ	yaw angle (rad)
ω	yaw rate (rad/s)
ώ	yaw acceleration (rad/s <sup>2</sup> )
$ heta_{fj}$	approach angle of track (rad)
$\theta_{rj}$	departure angle of track (rad)
$\epsilon_{\psi_{}}$	relative error of yaw angle (%)
$\psi_{km}^{ij}$	direction of slipping of track shoe cell (rad)
$\Delta_{ii}$	load change on road wheel suspension due to
5	track tension (N)
Δx	length of a track shoe cell in x direction in track
	shoe coordinate system (m)
Λv	length of a track shoe cell in v direction in track
	shoe coordinate system (m)
$\Lambda t^{ij}$	slip displacement integration step size (s)
$\Delta \iota_{km}$	dynamic load change due to lateral acceleration
$x_{ij}$	under each track shoe (N)
R!	aradiant of the dynamic vertical load shares rel
$P_{j}$	gradient of the dynamic vertical load change rel-
	auve to the distance from point O that is due to
	longitudinal acceleration under each track shoe
	(N/m)

dynamic load change due to longitudinal acceleration under each track shoe (N)

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