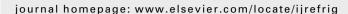




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Condensation of pure and near-azeotropic refrigerants in microfin tubes: A new computational procedure

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ABSTRACT

Microfin tubes are widely used in air cooled and water cooled heat exchangers for heat pump and refrigeration applications during condensation or evaporation of refrigerants. In order to design heat exchangers and to optimize heat transfer surfaces, accurate procedures for computing pressure drops and heat transfer coefficients are necessary. This paper presents a new simple model for the prediction of the heat transfer coefficient to be applied to condensation in horizontal microfin tubes of halogenated and natural refrigerants, pure fluids or nearly azeotropic mixtures. The updated model accounts for refrigerant physical properties, two-phase flow patterns in microfin tubes and geometrical characteristics of the tubes. It is validated against a data bank of 3115 experimental heat transfer coefficients measured in different independent laboratories all over the world including diverse inside tube geometries and different condensing refrigerants among which R22, R134a, R123, R410A and CO₂.

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Condensation des frigorigènes purs et quasi-azéotropiques à l'intèrieur de tubes à microailettes : une nouvelle procédure numérique

Mots clés : Échangeur de chaleur ; Tube microaileté ; Calcul ; Transfert de chaleur ; Chute de pression ; Condensation ; Frigorigène ; Dioxyde de carbone

1. Introduction

In order to reduce both the refrigerant charge and the volume of machinery, the refrigeration and air conditioning manufactories design their heat exchangers with enhanced surfaces. Microfin tubes are widely used for condensation and vaporization in heat pumps, chillers and HVAC systems.

Typical microfin tubes available for industrial applications are made of copper and have an outside diameter from 4 to 15 mm, a single set of 50–70 spiral fins with spiral angle (β)

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Nomenclature
                                                                                    Rx
                                                                                                 geometry enhancement factor (Eq. (10))
                                                                                    Т
                                                                                                temperature [K]
Bo = q\rho_L h\pi D/(8\sigma n_g) (Bond number)
                                                                                    \Delta T = (T_S - T_W) [K]
            specific heat capacity [J kg<sup>-1</sup> K<sup>-1</sup>]
C_p
                                                                                                saturation temperature [K]
                                                                                    T_{S}
D
            fin tip diameter [m]
                                                                                                tube internal wall temperature [K]
                                                                                    T_{w}
е
            (percent deviation) = [(\alpha_{CALC} - \alpha_{ExP})/\alpha_{ExP}]100
                                                                                                thermodynamic vapour quality
            (mean absolute deviation) = (1/Np)\Sigma[|e|]
ear
                                                                                    X_{\rm tt} = (\mu_{\rm L}/\mu_{\rm G})^{0.1} (\rho_{\rm G}/\rho_{\rm L})^{0.5} [(1-x)/x]^{0.9}
            (average deviation) = (1/Np)\Sigma[e]
                                                                                    Greek symbols
Fr = G^2/[(\rho_L - \rho_G)^2 qD] (Froude number)
                                                                                                heat transfer coefficient [W m<sup>-2</sup> K<sup>-1</sup>]
Fr_{GO} = G^2/(\rho_G^2 qD)
                                                                                    α
            gravitational acceleration [m s<sup>-2</sup>]
                                                                                    β
                                                                                                spiral angle [rad]
G = 4 \text{ m/(}\pi\text{D}^2\text{)} mass velocity [kg m<sup>-2</sup> s<sup>-1</sup>]
                                                                                                apex angle [rad]
            fin height [m]
                                                                                    λ
                                                                                                 thermal conductivity [W m<sup>-1</sup> K<sup>-1</sup>]
            latent heat [J kg-1]
                                                                                                 dynamic viscosity [kg m<sup>-1</sup> s<sup>-1</sup>]
                                                                                    μ
J_{\rm G} = xG/[gD\rho_{\rm G}(\rho_{\rm L} - \rho_{\rm G})]^{0.5}
                                                                                    ρ
                                                                                                 density [kg m<sup>-3</sup>]
            tube length [m]
                                                                                                 (standard deviation) = \{ [\Sigma (e - e_R)^2]/(Np - 1) \}^{1/2}
                                                                                    \sigma_{\rm N}
            mass flow rate [kg s^{-1}]
m
                                                                                    Subscripts
Np
            number of experimental data points
                                                                                                ΔT-independent flow regime
                                                                                    Α
            number of grooves
                                                                                    CALC
                                                                                                calculated
Pr = \mu c_p/\lambda (Prandtl number)
                                                                                                ΔT-dependent flow regime
                                                                                    D
Pr_L = \mu_L c_{pL}/\lambda_L
                                                                                    EXP
                                                                                                 experimental
            reduced pressure
p_{\text{RED}}
                                                                                    G
                                                                                                 gas phase
            heat flow rate [W]
                                                                                    GO
                                                                                                 gas phase with total flow rate
Re = GD/\mu (Reynolds number)
                                                                                    L
                                                                                                liquid phase
Re_{eq} = Re_{LO} [(1-x) + x (\rho_L/\rho_G)^{1/2}]
                                                                                    LO
                                                                                                liquid phase with total flow rate
Re_{LO} = GD/\mu_L all liquid Reynolds number
```

from 6 to 30°, fin height (h) from 0.1 to 0.25 mm, fin apex angle (γ) from 25 to 90°. Fig. 1 presents the characteristic geometrical parameters of microfin enhanced tubes.

In condensation, microfin tubes show a heat transfer enhancement when compared to equivalent plain tubes at the

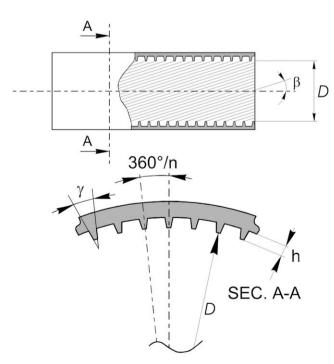


Fig. 1 – Characteristic geometrical parameters of microfin tubes.

same operating conditions (Cavallini et al., 2002a,b, 2006a); on the other hand, these tubes also present higher pressure losses than the plain tubes.

The same authors (Cavallini et al., 2000) also pointed out that the heat transfer enhancement could be explained by three different reasons: first of all the mere increase of the effective heat exchange area. Additionally, the turbulence induced in the liquid film and the surface tension effect on the liquid drainage promote an early transition from the wavy-stratified flow to the annular flow.

Doretti et al. (2005) and Cavallini et al. (2006b) have experimentally visualized the two-phase flow pattern during condensation of halogenated refrigerants inside a microfin tube aiming to link the heat transfer enhancement to the flow pattern transition.

Several authors have experimentally measured the heat transfer coefficient of halogenated and natural refrigerants, pure fluids or nearly azeotropic mixtures, in enhanced tubes. Present authors have collected around 3100 experimental measures of mean, quasi-local and local condensation heat transfer coefficients in order to critically review the models available in the open literature and to develop a new computational procedure for heat transfer and pressure drop prediction. Table 1 summarizes all the experimental test runs in this data bank.

In recent years, many researchers such as Cavallini et al. (1999), Chamra et al. (2005), Chamra and Mago (2006), Han and Lee (2005), Kedzierski and Goncalves (1997), Koyama and Yonemoto (2006), Yu and Koyama (1998) and Wang et al. (2007) have suggested different simple semi-empirical models for the calculation of the heat transfer coefficient during condensation in horizontal helical microfin tubes.

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