



## Magnetic properties and magnetocaloric effect in double $\text{Sr}_2\text{FeMoO}_6$ perovskites

A.S. Erchidi Elyacoubi<sup>a</sup>, R. Masrou<sup>a,\*</sup>, A. Jabar<sup>a</sup>, M. Ellouze<sup>b</sup>, E.K. Hlil<sup>c</sup>

<sup>a</sup> Laboratory of Materials, Processes, Environment and Quality, Cadi Ayyed University, National School of Applied Sciences, B.P. 63 46000, Safi, Morocco

<sup>b</sup> Sfax University, Faculty of Sciences of Sfax, LAMMA, B. P. 1171-3000, Tunisia

<sup>c</sup> Institut Néel, CNRS, Université Grenoble Alpes, BP 166, F-38042 Grenoble cedex 9, France

### ARTICLE INFO

#### PACS:

75.47.Lx – Magnetic oxides/75.30.Sg – Magnetocaloric effects  
87.10.Rt/ Monte Carlo simulations/75.60.Ej  
Magnetic hysteresis cycle

#### Keyword:

$\text{Sr}_2\text{FeMoO}_6$  compound  
Magnetocaloric effect  
Magnetic materials  
Monte Carlo simulation  
Magnetic hysteresis cycle

### ABSTRACT

The magnetic properties and magnetocaloric effect in  $\text{Sr}_2\text{FeMoO}_6$  compound have been studied using the Monte Carlo simulation. Thermal magnetization and  $dM/dT$  of  $\text{Sr}_2\text{FeMoO}_6$  are given. The Curie temperatures  $T_C$ (K) have been obtained. The temperature dependence of the magnetic entropy for a several magnetic field have been also obtained. The field dependence of relative cooling power and magnetic hysteresis cycle of  $\text{Sr}_2\text{FeMoO}_6$  have been determined for a several magnetic field and temperatures. The  $\text{Sr}_2\text{FeMoO}_6$  might be a promising base for developing the new kinds of magnetic refrigerant as working materials in magnetic refrigeration technology.

### 1. Introduction

Ordered double perovskite oxides of the general formula,  $A_2BB'O_6$ , have been known for several decades to have interesting magnetic properties and have drawn great scientific interest due to their high potential for novel spintronics. Especially, the magnetic and resistive properties of the double perovskite  $\text{Sr}_2\text{FeMoO}_6$  are excellent for spin-tropic and magneto-resistive applications [1]. Kobayashi et al. [2], reported a large magnetoresistance effect with a fairly high magnetic transition temperature of about 418 K in  $\text{Sr}_2\text{FeMoO}_6$ , a material belonging to the class of double perovskites ( $ABB'O_6$ ), where the alkaline-earth ion A is Sr and transition-metal ions B and B' are Fe and Mo arranged in a rock-salt structure, respectively [3]. Magnetism testing results show that the sample  $\text{Sr}_2\text{FeMoO}_6$  is ferromagnetic with the magnetic transition temperature of about 380 K [4]. The double perovskite crystal structure consists of two interpenetrating face-centered-cubic sublattices. An ordered arrangement of  $\text{Fe}^{3+}$  ( $3d^5$ ) and  $S = 5/2$  magnetic moments antiferromagnetically coupled to the  $\text{Mo}^{5+}$  ( $4d^1$ ) and  $S = 1/2$  moments gives a total saturation magnetic moment of  $4 \mu_B$  at low temperature [5,6]. The Fe ions present a fairly ionic  $\text{Fe}^{3+}$  ( $3d^5$ ) valence, whereas the Mo ions are in a strongly covalent  $\text{Mo}^{5+}$  ( $4d^1$ ) state [7]. The polarization hysteresis loops of  $\text{Bi}_{4-x}\text{Sb}(\text{La})_x\text{Ti}_3\text{O}_{12}$  have been given [8,9]. The magnetic properties and half-metallicity of the

$\text{CaMnO}_3/\text{BaTiO}_3$  superlattice are investigated by employing the first-principle calculation based on density functional theory [10] and n Monte Carlo simulation is used to study the hexagonal prismatic nanoparticle consisting of a ferromagnetic core of spin-1 surrounded by a ferromagnetic shell of spin-3/2 with ferrimagnetic interface exchange coupling [11].

In other hand the ordered double-perovskite  $\text{Sr}_2\text{FeMoO}_6$  possesses remarkable room-temperature low-field colossal magnetoresistivity and transport properties which are related, at least in part, to combined structural and magnetic instabilities that are responsible for a cubic-tetragonal phase transition near 420 K [12]. The latter condition is proving problematic: the substitution of other 3d metals for  $\text{Fe}^{3+}$  can give rise to the formation of an  $M^{2+}/\text{Mo}^{6+}$  ion pair [13–15]. Moreover, the magnetic properties of  $\text{Sr}_2\text{FeMoO}_6$  ceramics obtained by sol–gel and solid state reaction methods and sintered by the classical method were compared with those of  $\text{Sr}_2\text{FeMoO}_6$  ceramics obtained by the same two methods, but sintered by the spark plasma sintering technique [16] and neutron diffraction and magnetic susceptibility has been also used to study the crystalline and magnetic structures of  $\text{Sr}_2\text{FeMoO}_6$  by Refs [17,18]. The density-functional theory, the effect of biaxial mechanical strain on the magnetic properties of double perovskite oxide  $\text{Sr}_2\text{FeMoO}_6$  has been studied [19]. The saturation magnetization originating mainly from the Fe moments is correlated with the amount of Mo magnetic

\* Corresponding author.

E-mail address: [rachidmasrou@hotmail.com](mailto:rachidmasrou@hotmail.com) (R. Masrou).

moments observed by nuclear magnetic resonance measurements in  $\text{Sr}_2\text{FeMoO}_6$  [20,21]. The magnetic double perovskites with the general formula  $\text{A}_2\text{BB}'\text{O}_6$  (A = alkaline-earth-metal or rare earth metal cations and B, B' = transition metal cations) have been extensively studied due to their interesting physical properties [22]. The key requirement of magnetic refrigeration is to have proper magnetocaloric materials, which can produce a large magnetic entropy change and a good magnetic reversibility at low magnetic fields and with a wide temperature range [23,24].

The paper is organized as follow. Section 2 present the Model, sections 3 and 4 present the Monte Carlo simulations and results and discussion, respectively and finally we have given in section 5 the conclusions.

## 2. Model and formulation

In this section, for explanation of Monte Carlo algorithm, a following Hamiltonian described the  $\text{Sr}_2\text{FeMoO}_6$  compound using Ising model includes first and second nearest-neighbor interactions and external magnetic field  $h$  is used:

$$H = -J_{1(\text{FeFe})} \sum_{\langle i,j \rangle} S_i S_j - J_{2(\text{FeFe})} \sum_{\langle\langle i,k \rangle\rangle} S_i S_k - J_{1(\text{FeMo})} \sum_{\langle i,l \rangle} S_i \sigma_l - J_{2(\text{FeMo})} \sum_{\langle\langle i,m \rangle\rangle} S_i \sigma_m - J_{1(\text{MoMo})} \sum_{\langle m,n \rangle} \sigma_m \sigma_n - J_{2(\text{MoMo})} \sum_{\langle\langle m,p \rangle\rangle} \sigma_m \sigma_p - h \left( \sum_i S_i + \sum_i \sigma_i \right) \quad (1)$$

where  $S_i(\text{Fe}^{3+}) = 5/2$  and  $\sigma_i(\text{Mo}^{5+}) = 1/2$  denotes the spin states of  $i$ -th cell. The  $\langle i, j \rangle$ ,  $\langle i, l \rangle$  and  $\langle m, n \rangle$  and  $\langle\langle i, k \rangle\rangle$ ,  $\langle\langle i, m \rangle\rangle$  and  $\langle\langle m, p \rangle\rangle$  stand for the first and second nearest neighbor sites ( $(i$  and  $j)$ ,  $(i$  and  $l)$  and  $(m$  and  $n)$ ) and  $((i$  and  $k)$ ,  $(i,m)$  and  $(m,p))$ , respectively. The  $(J_{1(\text{FeFe})}, J_{1(\text{FeMo})}$  and  $J_{1(\text{MoMo})}$  and  $(J_{2(\text{FeFe})}, J_{2(\text{FeMo})}$  and  $J_{2(\text{MoMo})}$ ) are the first and second exchange interactions such as shown in Fig. 1. We will select  $J_{1(\text{FeFe})} = +20.0$  K,  $J_{2(\text{FeFe})} = +19.5$  K,  $J_{1(\text{FeMo})} = +17.0$  K,  $J_{2(\text{FeMo})} = +16.5$  K,  $J_{1(\text{MoMo})} = +16.0$  K and  $J_{2(\text{MoMo})} = +15.5$  K as a unit for performing calculations.

## 3. Monte Carlo simulations

The  $\text{Sr}_2\text{FeMoO}_6$  compound is assumed to reside in the unit cells and the system consists of the total number of spins  $N = N_S(\text{Fe}) + N_\sigma(\text{Mo})$  with  $N_S = 2331$  and  $N_\sigma = 2310$ . The Monte Carlo simulation is applied to simulate the Hamiltonian given by Eq. (1). In this section, we have used the cyclic boundary conditions on the lattice of  $\text{Sr}_2\text{FeMoO}_6$  compound. The Monte Carlo update was performed by choosing random spins and then flipped (from current state  $S_i(\sigma_i)$  to opposite state  $-S_i(-\sigma_i)$ ) with Boltzmann based probability. In general, this can be done using the conventional Metropolis algorithm [25]. i.e.  $P_{\text{Metro}} = \exp(-\Delta E/k_B T)$  where  $\Delta E$  is the energy difference between the

before and the after flip. However, since the actual Metropolis suffers from large correlation time especially close to the critical point [26].

Our program calculates the following parameters, namely:

The internal energy per site  $E$  of  $\text{Sr}_2\text{FeMoO}_6$  compound is;

$$E = \frac{1}{N} \langle H \rangle \quad (2)$$

The magnetization of  $\text{Fe}^{3+}$  and  $\text{Mo}^{5+}$  in  $\text{Sr}_2\text{FeMoO}_6$  compound are, respectively:

$$M_S = \left\langle \frac{1}{N_S} \sum_i S_i \right\rangle \quad (3)$$

$$M_\sigma = \left\langle \frac{1}{N_\sigma} \sum_i \sigma_i \right\rangle \quad (4)$$

The total magnetization of  $\text{Sr}_2\text{FeMoO}_6$  compound is:

$$M = \frac{N_S M_S + N_\sigma M_\sigma}{N_S + N_\sigma} \quad (5)$$

The magnetic specific heat of  $\text{Sr}_2\text{FeMoO}_6$  compound is given by:

$$C_m = \frac{\beta^2}{N} (\langle E^2 \rangle - \langle E \rangle^2) \quad (6)$$

where  $\beta = \frac{1}{k_B T}$ ,  $T$  denotes the absolute temperature.

Magnetocaloric effect can be related to the magnetic properties of the material through a thermodynamic Maxwell relation

$$\left( \frac{\partial S}{\partial h} \right)_T = \left( \frac{\partial M}{\partial T} \right)_h \quad (7)$$

The magnetic entropy change of  $\text{Sr}_2\text{FeMoO}_6$  can be calculated from this equation;

$$S(T, h) = \int_0^T \frac{C_m}{T'} dT' \quad (8)$$

The magnetic entropy change between  $h$  different to zero and  $h = 0$  is:

$$\begin{aligned} \Delta S_m(T, h) &= S_m(T, h) - S_m(T, 0) = \int_0^{h_{\text{max}}} \left( \frac{\partial M}{\partial T} \right)_{h_i} dh_i \\ &= \sum_i \left( \frac{\partial M}{\partial T} \right)_{h_i} \Delta h_i \end{aligned} \quad (9)$$

$S_m(T, h)$  and  $S_m(T, 0)$  are the total entropy in presence and absence of magnetic field, respectively and  $h_{\text{max}}$  is the maximum applied external magnetic field.  $\left( \frac{\partial M}{\partial T} \right)_{h_i}$  is the thermal magnetization for a fixed magnetic field  $h_i$ .

The defined parameter of relative cooling power (RCP) described as an area under the dependence of  $\Delta S_m(T)$  on temperature, is a compromise between the magnitude of the magnetic entropy change and the width of the peak. The expression of relative cooling power RCP is:

$$RCP = \int_{T_c}^{T_h} \Delta S_m(T) dT \quad (10)$$

where  $T_c$  and  $T_h$  are the cold and the hot temperatures corresponding to both ends of the half-maximum value of  $\Delta S_m^{\text{max}}$ , respectively.

The excitation magnetic field  $B$  is given by:

$$B = h + 4\pi M \quad (11)$$

## 4. Results and discussion

For the perfect SFMO case, we consider the experimental tetragonal cell within the  $I 4/mmm$  space group, with the lattice parameters  $a = 5.58 \text{ \AA}$  and  $c = 7.90 \text{ \AA}$  [27] containing two formula units (fu) (see

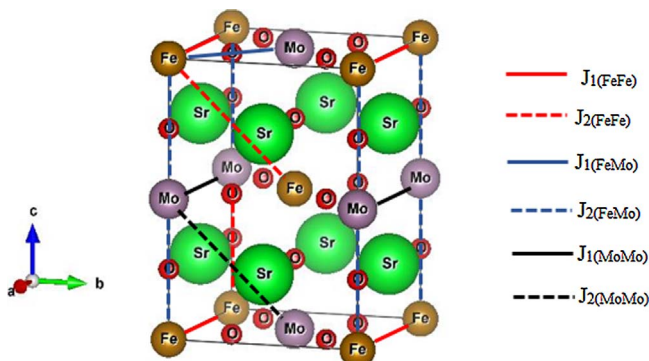


Fig. 1. Crystal structure of double  $\text{Sr}_2\text{FeMoO}_6$  perovskite.

Download English Version:

<https://daneshyari.com/en/article/7904889>

Download Persian Version:

<https://daneshyari.com/article/7904889>

[Daneshyari.com](https://daneshyari.com)