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# Study of $\gamma'$ rafting under different stress states – A phase-field simulation considering viscoplasticity



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#### ABSTRACT

The  $\gamma'/\gamma$  evolution in nickel superalloys under different stress states and stress values at 1223 K was simulated through the phase-field method to study the 45°-type rafting mechanism and the influence of orientation deviation on the  $\gamma'/\gamma$  evolution. The simulation results demonstrate that for the shear stress case, 45°-type rafting appears under the external shear stress of 137 MPa. In 45°-type rafting, the equivalent stress inhomogeneity in the  $\gamma$  channel induces a directional diffusion of  $\gamma'$ -forming elements into the low-equivalent-stress areas which are distributed along the diagonal directions. Based on the simulation, a model for the 45°-type rafting mechanism has been proposed. In addition, the influence of orientation deviation on  $\gamma'/\gamma$  evolution originates from the introduction of shear stress components. With increasing external stress, the shear stress component is increased, which causes the rafting direction to approach the 45° direction. Furthermore, the existence of orientation deviation accelerates the process of  $\gamma'$  rafting.

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#### 1. Introduction

Nickel-based single-crystal superalloys are among the most important high-temperature structural materials for manufacturing turbine blades used in both aeronautical and stationary gas turbines; single-crystal blades with the [001] crystallographic orientation ([001] single-crystal blades) are of particular importance [1]. During the service of the turbine engine, [001] single-crystal blades are subjected to combinations of high temperatures and stresses, mainly uniaxial tension produced by centrifugal force. Under such conditions, the initial cubic  $\gamma'$  precipitates tend to coarsen directionally in the phenomenon known as  $\gamma'$ rafting, which profoundly affects the mechanical performance of the superalloys [2–4]. Therefore, extensive efforts have been devoted to studying  $\gamma'$  rafting under tension or compression, by means of experiments [5–9], theoretical studies [10,11] and numerical simulations [12–19].

However, during service, the [001] single-crystal blade endures not only uniaxial tension but also biaxial stress produced by thermal gradients in cooled regions, flowing gas on the blade and local stress concentration [20]. Therefore, multiple states of stress, such as tension, compression, and shear, are applied to the single-crystal blades. In engineering applications, the [001] crystal orientation of the [001] single-crystal blade is not strictly aligned to the axis of the casting, but usually deviates within an angle of  $15^{\circ}$  (i.e.  $\theta < 15^{\circ}$ ) [1]. This angle is generally called the orientation deviation angle and is shown in Fig. 1a. When the uniaxial tension  $\sigma_Z$  is applied along the axis of a single-crystal blade, it can be decomposed into two components with the (001) directions regarded as Cartesian axes (i.e. a YOZ coordinate system): a normal stress component along the [001] orientation (i.e.  $\sigma_{Z'}$ ) and a shear stress component within the (001) plane (i.e.  $\sigma_{ZY'}$ ), as shown in Fig. 1b. Therefore, during service, both tensile and shear stresses are applied on the [001] single-crystal blades because of orientation deviation. Thus, the effect of shear stress on single-crystal blades during service should also be investigated.

As mentioned above, much work has dedicated to the studies of



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**Fig. 1.** Schematics of (a) orientation deviation and (b) force analyze of a [001] singlecrystal blade when applied with uniaxial tension  $\sigma_{Z}$ .  $\theta$  is the orientation deviation angle.

 $\gamma'$  rafting during tensile or compressive creep tests, while the influence of shear stress on  $\gamma'$  rafting characteristics has been infrequently reported. Based on a double shear creep test technique [21], Kamaraj et al. [20] observed that  $\gamma'$  rafting occurred at an angle of 45° relative to the direction of shear stress in the CMSX–6 superalloy. In the present study, this rafting is called 45°-type rafting appeared at very high cumulated strain values. In addition, it has been reported that after high-temperature creep deformation, the  $\gamma'$  precipitates in the necked zone generally raft along the direction reoriented 45° (or less) away from the tensile axis [22,23]. It is well known that both tensile and shear stresses appear in the necked zone. The mechanism controlling such 45°-type rafting has not yet been clearly elucidated, thus it requires further studies.

With the development of computational simulations, the phase-field method (PFM) has emerged as a powerful tool to simulate phase transformations and to explore the mechanism of micro-structural evolutions [13–17,19,24,25]. By coupling the plastic strain field with the phase-field model [13,14,17,19,25], the  $\gamma$ -channel plasticity during high-temperature creep can be considered in simulation. The 45°-type  $\gamma'$  rafting is accompanied by a high plastic strain accumulation. Thus, the coupled phase-field model enables the simulation of  $\gamma'/\gamma$  evolution under shear conditions.

In this study, we use a coupled phase-field model [25] proposed earlier to simulate the  $\gamma'/\gamma$  evolution during creep. Three kinds of stress states, i.e., shear, monoclinic loading, and tension, are applied to the [001] single-crystal sample. Here, the [001] crystal orientation is strictly aligned to the axis of the [001] single-crystal sample. The schematic of the loading on the sample is shown in Fig. 2. The shear stress is applied within the plane normal to the [001] direction, the monoclinic loading is applied along the direction 15° away from the [001] direction, and the tensile stress is applied along the [001] direction. The monoclinic loading of the strict [001] singlecrystal sample is equivalent to the tension applied to the [001] single-crystal sample with an orientation deviation angle of 15°. The simulation results for the tension case are used for comparison with the monoclinic loading case. The aim of the present study is to investigate 45°-type rafting mechanism and the influence of orientation deviation on  $\gamma'/\gamma$  evolution.

#### 2. Model description

#### 2.1. Ginzburg-Landau free energy

A set of field variables is used to describe the microstructural evolution in the PFM. The concentration field  $c(\mathbf{r})$  describes the



(a) Shear (b) Monoclinic loading (c) Tension

**Fig. 2.** Schematics of stress loadings on the [001] single-crystal sample. The [001] crystal orientation is parallel to the axis of sample.

morphologies of the  $\gamma'$  and  $\gamma$  phases and the three long-range ordered (LRO) parameter fields  $\eta_i(\mathbf{r})$  (i = 1,2,3) describe the ordering of the  $\gamma'$  phase [26]. Four ordered  $\gamma'$  precipitates are characterized by the following LRO parameters:  $(\eta_1, \eta_2, \eta_3) = (1,1,1)\eta_0$ ,  $(\overline{1}, \overline{1}, \overline{1})\eta_0$ ,  $(\overline{1}, \overline{1}, \overline{1})\eta_0$ ,  $(1, \overline{1}, \overline{1})\eta_0$ .

It is known that microstructural evolution is driven by the decrease of total energy. The total free energy F of  $\gamma'/\gamma$  evolution during creep consists of the non-equilibrium free chemical energy  $F_{ch}$ , elastic energy  $F_{el}$  and plastic energy  $F_{pl}$  and can be expressed as a function of all field variables. As usual,  $F_{ch}$  can be approximated by a standard Ginzburg–Landau function [13,26]:

$$F_{ch} = \int\limits_{V} \left[ f(c,\eta_i) + \frac{\alpha}{2} |\nabla c|^2 + \frac{\beta}{2} \sum_{i=1}^{3} |\nabla \eta_i|^2 \right] dV$$
(1)

where *V* is the volume of studied system,  $f(c, \eta_i)$  is the local free energy density of a homogeneous system, and  $\alpha$  and  $\beta$  are the constant gradient coefficients, implying an isotropic interfacial energy.  $f(c, \eta_i)$  is presented in a Landau polynomial form:

$$f(c,\eta_i) = \varDelta f \left[ \frac{1}{2} (c - c_m)^2 + \frac{B}{6} (c_2 - c) \sum_{i=1}^3 \eta_i^2 - \frac{C}{3} \eta_1 \eta_2 \eta_3 + \frac{D}{12} \sum_{i=1}^3 \eta_i^4 \right]$$
(2)

where  $c_m$  and  $c_p$  are the equilibrium concentrations of the  $\gamma$  matrix and  $\gamma'$  precipitate, respectively, and  $c_2$  is an arbitrary constant chosen between  $c_m$  and  $c_p$ ; here,  $c_2 = 0.18$ . *B*, *C*, and *D* are constants related to  $c_2$ ,  $c_m$ ,  $c_p$  and the equilibrium LRO parameter  $\eta_o$  through [13]:

$$B = 2(c_p - c_m) / \eta_0^2$$

$$C = 6(c_p - c_m)(c_2 - c_m) / \eta_0^3$$

$$D = 2(c_p - c_m)(c_p + 2c_2 - 3c_m) / \eta_0^4$$
(3)

#### 2.2. Elastic energy

The contribution of elastic energy to the  $\gamma'/\gamma$  evolution is described by micro-elasticity theory [27]. For an elastically inhomogeneous system, the elastic energy  $F_{el}$  is calculated using the general equation [12]:

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