Accepted Manuscript

On the dynamics of the singularly perturbed Mackey-Glass equation

A.M.A. El-Sayed, S.M. Salman, N.A. Elabd

PII:	S0377-0427(18)30280-2
DOI:	https://doi.org/10.1016/j.cam.2018.05.010
Reference:	CAM 11674
To appear in:	Journal of Computational and Applied Mathematics
Received date :	22 February 2017
Revised date :	13 April 2018



Please cite this article as: A.M.A. El-Sayed, S.M. Salman, N.A. Elabd, On the dynamics of the singularly perturbed Mackey-Glass equation, *Journal of Computational and Applied Mathematics* (2018), https://doi.org/10.1016/j.cam.2018.05.010

This is a PDF file of an unedited manuscript that has been accepted for publication. As a service to our customers we are providing this early version of the manuscript. The manuscript will undergo copyediting, typesetting, and review of the resulting proof before it is published in its final form. Please note that during the production process errors may be discovered which could affect the content, and all legal disclaimers that apply to the journal pertain.

ACCEPTED MANUSCRIPT

On the dynamics of the singularly perturbed Mackey-Glass equation

A. M. A. El-Sayed, Faculty of Science, Alexandria University amasayed@alexu.edu.eg S.M. Salman, Mathematics department, Faculty of Education, Alexandria University, Alexandria, Egypt samastars9@gmail.com N.A. Elabd Faculty of Science, Omar Al-Mukhtar University, Alqubh, Libya. naemaa.elabd@yahoo.com

Abstract

In this paper, we consider the singularly perturbed Mackey-Glass equation. By letting the perturbation parameter tends to zero, such an equation is formally reduced to a scalar difference equation. Local stability analysis of fixed points is investigated. The method of steps is employed to discretize the system. Moreover, Numerical simulations including Lyapunov exponent, bifurcation diagrams and phase portraits are carried out to confirm the theoretical analysis obtained and to explore more complex dynamics of the system.

Keywords:Singular perturbed equations, Mackey-Glass, fixed points, local stability, lyapunov exponent, bifurcation and chaos.

1 Introduction

Delay differential equations (DDEs) are employed in modeling many problems in science, engineering, biology and medicine. That is because the delay term in such equations increases the reliability in modeling real phenomena and makes the prediction of long term behavior of such models more accurate.

Indeed, (DDEs) represent dynamical system of infinite dimensions which are opposite to ordinary differential equations. That is to say, (DDEs) are a very important topic in dynamical systems. The original stimulus for the study of (DDEs) mainly lies in the application of control theory and the study of stability and automated management. Download English Version:

https://daneshyari.com/en/article/8901745

Download Persian Version:

https://daneshyari.com/article/8901745

Daneshyari.com