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Research paper

# Design, analysis, and experimental validation of an active constant-force system based on a low-stiffness mechanism

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#### ABSTRACT

In low-gravity suspension simulation experiments, the partial gravitational forces of tested objects are balanced by the constant vertical forces on cables generated by constant-force systems. To improve system robustness against external payload disturbance, such systems usually employ low-stiffness mechanisms. The schematic diagram of our proposed low-stiffness mechanism is derived from an energy approach, which is especially preferable when the low-stiffness mechanism comprises two kinds of elastic components. The mechanism uses a combination of an axially arranged torsion bar and a group of radially arranged springs. While the former exhibits high energy density and generates major output force, the latter offers a negative stiffness to shape the output force curve so that it resembles a constant one. The mechanism has a comparatively smaller overall size, lower stiffness, and wider adjustable force range. The low-stiffness mechanism is used to form an active constant-force system. The system, as well as its dynamic model and controller, are also detailed in this paper. Experimental results demonstrate that the active constant-force system can be robustly controlled by a proportional-derivative controller with incomplete derivation to generate a high-accuracy dynamic force.

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#### 1. Introduction

One of the most significant current discussions in astronaut training and spacecraft reliability assessment is the ground simulation of a low-gravity environment on the planet's surface [1, 2]. An alternative method for the simulation is using slings to apply vertical forces on tested objects to compensate for their partial gravity [3, 4]. Such a method usually consists of a horizontal position tracking system maintaining the sling vertical and a constant-force system keeping the sling force constant. The performance of a constant-force system is a key factor to ensure high-fidelity simulation. Two requirements for constant-force systems are high steady-state force accuracy and excellent dynamic response.

Currently, research results regarding to constant-force systems can be classified into passive constant-force systems and active constant-force systems (ACFSs). Passive constant-force systems are generally classified in terms of compensation components into two types: counterweights [5–7] and buffer springs [8–10]. They are simple in structure; however, the counterweight inertia and spring deformation significantly affect the force accuracy and dynamic characteristics. Consequently, they are suitable for low-speed or low-force accuracy applications. ACFSs are divided on the basis of drive source and composition

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### Nomenclature

L	Lagrangian operator (J)
V <sub>LSM</sub>	Elastic potential energy of LSM (J)
q	Generalised degree of freedom and angle between input and output terminals of low-
	stiffness mechanism (LSM) (°)
Q(q)	Generalised force (N m)
С	Stored elastic energy at initial working point (J)
Q <sub>C</sub>	Setting generalised force (N m)
Τ'	Torsional stiffness of torsion bar (N m/°)
$q_{\rm st}$	Initial angle of torsion bar (°)
V <sub>tor</sub> , V <sub>spr</sub>	Elastic potential energy of torsion bar and compressed spring (J)
V <sub>ACFS</sub>	Elastic potential energy of ACFS (J)
V <sub>rem</sub>	Elastic potential energy of elastic elements except torsion bar (J)
V <sub>rmax</sub>	Maximum elastic potential energy of elastic elements except torsion bar (J)
<i>C</i> <sub>1</sub>	Initial elastic potential energy of elastic elements except torsion bar (J)
$q_{\max(V_{\text{rem}})}$	Angle under the maximum elastic potential energy of remaining elastic elements ( $^{\circ}$ )
$q_{ m H}$	Maximum angle of one side of the initial position of LSM(°)
T <sub>EACFS</sub>	Torque error function of ACFS (N m)
F <sub>E<sub>ACFS</sub></sub>	Force error function of ACFS (N)
K <sub>ACFS</sub>	Equivalent stiffness of LSM and ACFS (N/mm)
d	Torsion bar diameter (mm)
L <sub>tor</sub>	Torsion bar length (mm)
k	Stiffness of compressed spring (N/mm)
$l_0, l_{st}$	Rest and installed lengths of compressed spring (mm)
Fpre	Preload of compressed springs (N)
l(q)	Length function of compressed spring (mm)
е	Distance from outer joint of compressed spring to rotation axis of LSM (mm)
r	Distance from inner joint of compressed spring to rotation axis of LSM (locking bar with
	constant length) (mm)
$\alpha(q)$	Angle function between compressed spring axis and locking bar direction (°)
F <sub>spr</sub>	Force of compressed spring (N)
R	Reel radius (mm)
τ	Motor torque (N m)
$J_1$	Equivalent moment of inertia of motor shaft, brake, reducer, and input terminal of LSM $(ka, cm^2)$
I	(kg cm <sup>2</sup> ) Equivalent moment of inertia of reel and output terminal of LSM (kg cm <sup>2</sup> )
	Moment of inertia of motor, brake reducer and coupling $(kg \text{ cm}^2)$
Jmotor, Jbrake, Jreducer, Jcoupling	Transmission ratio
l I.	Faujualent moment of inertia of input terminal of LSM ( $k\alpha$ cm <sup>2</sup> )
Jin	Equivalent homent of mertia of input terminal of Esw (kg cm )
$\mu_1$	ISM (N s/mm)
11.2	Equivalent viscous friction coefficient between input and output terminals of LSM
<i>p</i> ~2	(N s/mm)
11.2	Equivalent viscous friction coefficient between output terminal of LSM and support
μ3	(N s/mm)
θ.	Rotation angle of input terminal of LSM (°) (Positive direction is clockwise viewed from
σŢ	the motor to the LSM)
<i>A</i> <sub>2</sub>	Rotation angle of output terminal of ISM (°) (Direction is the same as $\theta_1$ )
	Actual torque of LSM (N m)
FLOM	Actual force of LSM (N)
F <sub>ct</sub>	Required force of LSM (N)
F	Sling force (N)
- F_	Sling force error (N)
$f^{\Delta}$	Friction force (N)
, F <sub>C</sub>	Coulomb friction force (N)
v	Relative sliding velocity (m/s)
μ	Viscous friction coefficient (N s/mm)
r ·	(

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